Reinterpreting Relativity:
Using the Equivalence Principle to Explain Away Cosmological Anomalies

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Abstract: According to the standard interpretation of Einstein’s field equations, gravity consists of mass-energy curving spacetime, and an additional physical force or entity—denoted by $\Lambda$ (the ‘cosmological constant’)—is responsible for the Universe’s metric-expansion. Although General Relativity’s direct predictions have been systematically confirmed, the dominant cosmological model thought to follow from it—the $\Lambda$CDM (Lambda cold dark matter) model of the Universe’s history and composition—faces considerable challenges, including various observational anomalies and experimental failures to detect dark matter, dark energy, or inflation-field candidates. This paper shows that Einstein’s Equivalence Principle entails two possible physical interpretations of General Relativity’s field equations. Although the field equations facially appear to support the standard interpretation—that gravity consists of mass-energy curving spacetime—the field equations can be equivalently understood as holding that gravitational effects instead result from mass-energy accelerating the metric-expansion of a second-order Euclidean spacetime fabric superimposed upon an absolute, first-order Euclidean space, resulting in the observational appearance of spacetime curvature. This alternative interpretation of relativity is shown to be empirically equivalent to the standard interpretation. It is then shown to potentially resolve every major observational anomaly for the $\Lambda$CDM model, including recent observations that conflict with the $\Lambda$CDM’s predictions, as well as the failure to directly detect dark matter, dark energy, and inflation field candidates. On the new interpretation of relativity defended, observational data currently taken to be evidence for ‘dark energy’, ‘dark matter’, and ‘inflation’ instead just are measurement artifacts of gravity, where gravity is interpreted non-standardly in terms of accelerated second-order metric expansion.

Keywords: cosmology, dark energy, dark matter, gravity, inflation, relativity.
`[I]t is impossible to discover by experiment whether a given system of coordinates is accelerated, or whether its motion is straight and uniform and the observed effects are due to a gravitational field.’ – Albert Einstein [32]

Physics is in crisis [4, 76]. First, although the Standard Model of particle physics has been highly successful, it faces considerable theoretical [18, 106-7], explanatory [13, 19, 93, 111], and predictive [1, 21] difficulties. Second, decades of theorizing about physics beyond the Standard Model has yet to yield any verified predictions [59, 118]. For example, instead of finding new supersymmetric particles widely hypothesized to address various theoretical problems—including but not limited to the hierarchy problem [58] and lack of any particle in the Standard Model to account for gravitation [27, 111]—the Large Hadron Collider and other experiments have to date only definitively detected the Higgs Boson and other findings predicted by the Standard Model [6, 59]. Although several potential anomalies to the Standard Model relating to the positive muon magnetic moment and lepton universality have recently emerged [1, 72], none of these potential anomalies has yet passed the threshold for claiming a discovery, and their implications for new physics beyond the Standard Model are unclear.

Third, the dominant theory of cosmology based on quantum mechanics and relativity—the \( \Lambda \)CDM (Lambda cold dark matter) model of the Universe’s composition and history [92]—faces equal if not more considerable challenges. Despite positing dark matter [113], dark energy [90, 112], and an inflation field [53-4] to account for a variety of cosmological observations, every experimental search for dark-matter, dark-energy, and inflation-field candidates has thus far turned up empty [11]. Finally, recent observations of the cosmos appear to contradict the \( \Lambda \)CDM model. First, in 2019 the Hubble Space Telescope indicate that the Universe is expanding faster than the \( \Lambda \)CDM predicts, and that the Universe itself may be about 5 billion
years younger than previously estimated \([104-5]\) using the \(\Lambda\)CDM model—and no one knows why \([70, 95]\). Second, recent observations of galaxies diverge from the predictions made by conventional models of dark matter \([79]\).

This crisis—our best physical theories failing to explain various phenomena and making incorrect predictions, including fruitless searches for new theoretical entities—should seem all too familiar to historians and philosophers of science. Many millennia ago, Ptolemaic astronomers were convinced that they broadly had the correct theory of the orbits of heavenly bodies. However, their paradigm failed to predict the retrograde motion of the planets \([117]\). Similarly, just over one-hundred years ago Newtonian physicists seemed confident that they had the correct theory of physics—until Newtonian theory failed to predict observed deviations in Mercury's orbit during perihelion procession \([120]\). In these and other historical cases, similar crises in physical science were generated by ‘anomalies’—that is, by the prevailing physical paradigms either making false predictions or otherwise failing to explain relevant phenomena. Equally notably, such crises have tended be resolved by what Thomas Kuhn famously termed ‘revolutionary science’ \([68]\)—that is, by paradigm shifts whereby the relevant physical phenomena in question were dramatically reconceptualized. For example, in the case of Ptolemaic astronomy and observed retrograde motion of other planets, these ‘anomalies’ were ultimately resolved neither by further observation nor by refinements in Ptolemaic astronomy, such as the introduction of ‘epicycles.’ Instead, they were resolved by Copernicus rejecting the geocentric assumption at the heart of the Ptolemaic paradigm: the assumption that the Earth is stationary, and the Sun and other planets move in circular orbits around it. Copernicus saw that once we simply reconceptualize what is going on—assuming instead that the Earth and other planets revolve around the Sun—we can explain the same
observational data (retrograde motion) far more simply and elegantly, such that retrograde motion is not an ‘anomaly’, but exactly what one would expect if the Earth and other planets do in fact revolve around the Sun and ordinary laws of physics on Earth hold in the heavens. Similarly, in the case of Mercury’s perihelion contradicting Newtonian predictions, the relevant anomalies were ultimately resolved not by further data-collection nor by refining Newtonian mechanics, but instead by Einstein reconceptualizing space and time as warped by mass-energy rather than absolute [33-8].

Might physics be due for another paradigm shift? That is, might the current crisis in physics be resolvable though a simple change of how we interpret theory or observational data? Recently, some physicists have called on philosophers for assistance [69, 106], noting that past scientific revolutions have been inspired by the philosophy of science [68, 87]. Einstein’s theory of relativity, for example, was inspired both by David Hume’s and Ernst Mach’s epistemology and metaphysics: specifically, by their contention that physical phenomena (such as causation in Hume’s case, and space and time in Mach’s case) cannot be assumed to have the properties we may be inclined to ascribe to them a priori (such as absolute Newtonian values), but must instead be derived from sense experience [87]. In his 1905 paper on special relativity (which he later generalized in the General Theory), Einstein used this philosophical assumption as follows: he showed that if (i) we assume the observation that light has the equivalent speed in every reference frame, and that (ii) the laws of physics are invariant in all inertial frames of reference [38, 63], (iii) we do not assume that space and time have their properties a priori (qua Newton), but instead (iv) assume that space and time are whatever we measure them to be in experience (qua Hume and Mach) [87], then it follows that (v) space and time are in fact relative [33-8, 52]. Notably, Einstein was not the first to
recognize that simultaneity and light having the same observed speed in all frames of reference appeared to have the implication that observed space and time must be relative. Mach, Poincaré, Lorentz, and others broadly recognized this well before 1905 [57, 62]. The difference, as one commentator puts it, is that ‘neither Lorentz nor Poincaré made the full leap: that there is no reason to posit an ether, that there is no absolute rest, that time is relative...and so is space’ [62]. Much like Copernicus, who simply reconceptualized how to understand the observed orbits of heavenly bodies (rejecting the geocentric assumption that the Earth is stationary in favor of the heliocentric assumption that the Earth revolves around the Sun), Einstein’s primary insight was philosophical in nature: that if we take the observed invariance of the speed of light and laws of nature to tell us what space and time are (rather than assuming space and time to absolute a priori), then we must conclude that Newton was wrong: that space and time are not absolute, and by extension, that there is no need to invoke the existence of the (then-predicted but systematically undetected) ‘luminiferous ether.’

This paper argues that what Einstein took to be his ‘greatest blunder’ [84]—the seemingly arbitrary introduction of the cosmological constant ($\Lambda$) into his gravitational field equations to counterbalance gravity to ensure a stable universe [35]—may have been radically misinterpreted, and with it, the physical significance of General Relativity as a whole. In brief, this paper argues that whereas Einstein’s field equations have been standardly interpreted as holding that space and time are curved by mass-energy [115]—with the cosmological constant ($\Lambda$) representing some additional physical force (such as quintessence or dark energy [16, 30, 90]) beyond gravity [35, 88]—Einstein’s Equivalence Principle shows that the field equations can be equivalently reinterpreted in a very different way, attributing to them an altogether different physical significance.
Einstein’s Equivalence Principle is at bottom conceptual principle which holds that two different ways of interpreting our observations are empirically equivalent: namely, that ‘it is impossible to discover by experiment whether a given system of coordinates is accelerated, or whether its motion is straight and uniform and the observed effects are due to a gravitational field’ [32]. This principle lies at the heart of General Relativity [33], and entails that the effects of a gravitational field are observationally equivalent to the ‘pseudo force’ that an observer in a non-inertial (or accelerated) frame of reference will experience—such as, to use one of Einstein’s famous example, an observer standing in an elevator accelerating upwards in empty space [34]. Notice, as such, that it follows from the Equivalence Principle that the equations of General Relativity can be interpreted in both ways. The present paper illustrates how this is the case, showing that instead of interpreting various terms in the field equations as literally representing curved spacetime, we can equivalently interpret them as holding that ‘spacetime curvature’ is a measurement-artifact generated by mass-energy accelerating the coordinate expansion of a dynamic, second-order (non-curved) Euclidean spacetime fabric overlaid upon an absolute Euclidean space. On this new interpretation of the field equations, gravity does not actually curve spacetime, and \( \Lambda \) is not an additional physical entity beyond gravity (such as dark energy or quintessence). Rather, \( \Lambda \)—the accelerating metric expansion of spacetime—just is a fundamental feature of gravity itself, and the other terms in the field equations (e.g. scalar curvature \([R]\), Ricci tensor \([R_{\mu\nu}]\), stress-energy tensor \([T_{\mu\nu}]\), etc.) merely represent measurement artifacts generated by the accelerated metric-expansion of a second-order Euclidean spacetime by mass-energy. Gravitational ‘curvature’, on the new interpretation of relativity to be proposed, is a kind of observational illusion: mass-energy does not actually curve spacetime; it merely makes it look that way in every observation by virtue of mass-
energy locally accelerating a second-order metric-expansion of spacetime around objects located in and/or moving through a static, unobservable, first-order Newtonian spacetime.

I will argue for this through a variety of simple thought-experiments. Further, in addition to showing how this reconceptualization of General Relativity explains away ‘dark energy’ (since, on the new interpretation, we do not need to introduce any new physical entity to account for $\Lambda$ in the field equations), I argue that the reinterpretation also explains away ‘dark matter’, as I show that cosmological phenomena currently taken to be indicative of dark matter can also be explained in terms of the locally accelerated expansion of Euclidean spacetime by mass-energy. In short, once the physical significance of Einstein’s field equations is reconceptualized, ‘dark matter’ and ‘dark energy’ really are just two more examples of non-existent phenomena—such as the aether [71, 86], phlogiston [8], and élan vital [10]—that have been postulated in the past on the basis of incorrect paradigms. Further, I will show how the reconceptualization that I propose explains other recent observational ‘anomalies’: specifically, the unexpected increase in the rate of the Universe’s metric-expansion not predicted by the $\Lambda$CDM model. Finally, I will argue that the reconceptualization of the field equations may even explain another poorly understood feature of the Universe: inflation, or theory that the Universe’s spacetime metric expanded exponentially from $10^{-31}$ to $10^{-36}$ seconds after the Big Bang before slowing down and expanding more slowly since then [53-4]. Although the $\Lambda$CDM model requires yet another fundamental theoretical entity beyond dark energy and dark matter to account for this ‘inflationary epoch’ of the Universe—namely, an ‘inflation field’ comprised by a hypothetical particle called an ‘inflaton’ [53]—this explanation is argued by critics to be ad hoc and not corresponding to any experimentally observed physical field [110]. As we will see, on my reconceptualization of the field equations,
exponential spacetime inflation just after the Big Bang and the ‘expansion slowdown’ that occurred thereafter *just are* the spacetime-accelerating effects of mass-energy surrounding the ‘white hole’ singularity that spawned the Big Bang. And indeed, as we will see, my reconceptualization explains why the hypothesized curve of the Universe’s early expansion-rate roughly matches galactic rotation curves currently taken to be evidence of dark matter. On the reconceptualization of relativity that I propose, both curves are the result not of an inflation field (viz. early inflation) or dark matter (viz. galaxies), but simply the result of *gravity*, properly interpreted.

Before proceeding, several caveats are in order. First, this article contains no complex mathematics of the sort that is standard in modern physics. Although I apply simple geometry to thought experiments, I am professional philosopher, not a mathematician—so I do not possess the mathematical training to extend the reasoning I present into complex mathematics. Importantly, however, this paper’s argument is purely conceptual, holding that Einstein’s Equivalence Principle directly establishes the multiple possible interpretations of his field equations that I discuss. Given that some readers may be skeptical that detailed mathematics is unnecessary, consider a remark that Stephen Hawking and Leonard Mlodinow make about Ptolemaic astronomy:

> Although it is not uncommon for people to say that Copernicus proved Ptolemy wrong, that is not true...one can use either model of the universe, for our observations of the heavens are explained by assuming either the earth or the sun to be at rest. Despite its role in philosophical debates over the nature of our universe, the real advantage of the Copernican system is simply that the equations of motion are much simpler in the frame of reference in which the sun is at rest [56].
As we will see in more detail in §1, Hawking and Mlodinow are correct: Ptolemaic and Copernican astronomy can be rendered observationally equivalent, as it is a well-established theorem in philosophy of science that one can always render multiple physical theories consistent with the same observations merely by revising the theories' background assumptions [109]. Further, while Ptolemaic and Copernican astronomy do posit different mathematics for explaining the motions of heavenly bodies, it does not take complex math to appreciate the relevant differences between them: that is, in how the two paradigms interpret the physical significance of the same observed phenomena. Indeed, even though complex math can be used to show the differences between the theories, the differences can also be simply visualized, such that we see that Copernicus's interpretation of observations provides a simpler, more unified, and more powerful explanation of physical phenomena than the Ptolemaic one. Even a grade-schooler can see this by comparing the following two pictures:

**Figure 1.**

**Copernican and Ptolemaic Paradigms**

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<th>Ptolemaic Paradigm(^1)</th>
<th>Copernican Paradigm(^2)</th>
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Second, although my argument only utilizes simple thought experiments and geometry, it is worth noting that relativity was initially formulated in an analogous manner: Einstein utilized simple thought experiments to make the case for special relativity, such as what an observer on a moving train and a second observer on a stationary hillside would observe from their inertial frames of reference—and then by applying relatively simple math to those conceptual insights [62]. Similarly, although the general theory of relativity ultimately requires advanced tensor and Riemannian mathematics to fully explicate, the primary insight that inspired it was also conceptual—and established again, by simple thought-experiments, including the famous observation that an individual in an enclosed elevator hurtling through space would clearly be unable to tell whether they are being pulled down by gravitational field or whether their elevator is accelerating upward against their feet—a phenomenon that anyone who has ridden in elevator has experienced themselves without the need of complex math [5]. Consequently, although this article may strike readers trained in advanced physics as strangely (or even ‘unacceptably’) devoid of mathematics, I ask readers to bear with my mathematical limitations as a philosopher and instead ask whether any of the conceptual and associated physical insights of the thought-experiments I provide are valid, particularly insofar as they may help explain away many current ‘anomalies’ in cosmology.

Third, I also want to note that because I am admittedly theorizing about academic fields that lie outside of my areas of advanced training (philosophy and philosophy of science), some details of my account theory may be altogether incorrect and in need of serious correction. Indeed, this paper may well contain simple errors that anyone trained in mathematical physics or cosmology could easily detect and avoid. However, while I am self-consciously engaging in what one philosopher has recently termed ‘epistemic trespassing’—namely, judging matters
outside of my own field of expertise [7]—I have decided to hazard these risks for two reasons: first, because many important insights in the history of science have been due to novel conceptual arguments and paradigm shifts [25]; and second, because some physicists have openly suggested that philosophers may be able to provide some important insights to help resolve the kinds of foundational problems and crises currently afflicting physics [69, 106]. Consequently, although the physical speculations I defend below may be inaccurate on some (or even many) details—or even embarrassingly misguided—I have decided to hazard these risks on the chance that they may contain a grain of important insight.

Finally, bearing this in mind, I want to note some important dissimilarities between philosophical and scientific methods as forms of inquiry. In empirical science, getting the technical details right and making correct physical predictions are the default standards for making a publishable contribution to human knowledge. Philosophers, on the other hand, often get things wrong, but in service to important conceptual insights that can perhaps lead to empirically adequate development later on. For this reason, philosophy is sometimes called ‘the handmaiden of the sciences’: philosophy isn’t science, but it can serve the sciences (as it often has) by helping scientists see old phenomena in new ways. As Frederick [45] writes:

A philosophy paper... ought to offer a solution to a problem that gives us new Insight ... It can do that only by making a surprising claim ... And it will tell us more, the bolder the claim made, provided that the claim survives criticism. The solution offered in a philosophy paper will therefore be better, other things being equal, the bolder and the more surprising the solution is; and thus the more open it is to the risk of refutation. To get substantial progress, we must take risks; *many of the risky claims will not survive criticism*; but *the ones that do* will make a substantial contribution to our knowledge.
Indeed, there are details of my account—some early on, some later on—that I am very uncertain about and may involve serious mistakes, perhaps even ‘fatal’ ones. Although some specialists may be tempted to stop reading upon coming across them, I humbly ask readers to consider the entirety of the paper. Philosophy and physical science work very differently. Whereas in physical science it is considered vital to get every physical and mathematical detail correct, in the history of philosophy significant conceptual advances often come replete with large errors. My hope, then, is merely that willing readers will take this paper for what it is: a philosopher attempting to bring their training and specialization to bear on an ongoing scientific crisis that has, up this point, flummoxed the fields of theoretical and experimental physics given their prevailing paradigms.

1. Interpreting Einstein’s Field Equations: Philosophical Preliminaries

Einstein’s field equations are a set of ten equations that define gravitation—i.e. the fundamental interaction or ‘effects’ of gravity—in terms of the ‘curvature’ of spacetime by mass and energy [37]. Here is one equation, the so-called ‘Einstein tensor’:

\[ G_{\mu\nu} = R_{\mu\nu} - \frac{1}{2} R g_{\mu\nu} \]

Here is another:

\[ G_{\mu\nu} + g_{\mu\nu} \Lambda = \frac{8\pi G}{c^4} T_{\mu\nu} \]

In these equations, ‘G’ stands for Newton’s gravitational constant, ‘R’ stands for scalar curvature (the simplest non-Euclidean curvature in non-Euclidean Riemannian geometry), ‘R_{\mu\nu}’ for the Ricci curvature tensor (viz. the amount by which the volume of a narrow conical piece of a geodesic ball in a Riemannian manifold deviates from that of the ball in Euclidean space), ‘\Lambda’ for the cosmological constant, ‘T_{\mu\nu}’ for the stress-energy tensor (describing the
density and flux of energy and momentum in spacetime), and ‘c’ for the speed of light. Now, given that the field equations describe metric tensors in non-Euclidean spacetime, the most natural interpretation of their physical significance—the one presented by Einstein and now widely accepted in physics [81]—is that they describe gravitation (viz. G = Newton’s constant) in terms of the density and flux of energy curving spacetime in a non-Euclidean fashion (viz. $R_{\mu\nu}$). Indeed, given the facial meaning of these terms—e.g. ‘R’ denoting scalar curvature in a Riemannian (non-Euclidean) manifold—this interpretation of the physical significance of the field equations might appear inescapable. It has been, at any rate, the standard interpretation of the field equations (and hence, of General Relativity) ever since Einstein proposed the theory (Figure 2).

**Figure 2.**

The Standard Interpretation of General Relativity: Gravity as Mass-Energy Curving Spacetime

Nevertheless, dating back at least to Quine, philosophers have recognized that a single term in any language always admits of *multiple interpretations*—which Quine terms the ‘radical indeterminacy of translation’ [96-9]. In fact, following the famous Quine-Duhem thesis in the philosophy of science—which holds that no single empirical hypothesis can ever be tested in

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*Image: LIGO/T. PYLE.*
isolation, only relative to other background assumptions [29, 100]—Quine argues that when it comes to interpreting the meaning of any linguistic term (including scientific equations and theories), there are always three indeterminacies: ones that, as we will see, may have crucial implications for interpreting the field equations.

First, there is inscrutability of reference, or the fact that any given sentence in a language can always be translated into a variety of other sentences referring to very different entities. As a famous example, Quine gives the example of linguist who visits an isolated human tribe, discovering that they use the word ‘gavagai’ whenever they see rabbits [99]. As Quine puts it, the linguist may assume that ‘gavagai’ refers to rabbits—because the linguist has the background assumption that speakers use words to name animals and other objects. However, Quine points out, there are in principle many alternative possible referents of the term, such as undetached rabbit-parts or ‘rabbit-tropes.’ We can illustrate Quine’s point better perhaps with a famous example by the philosopher Nelson Goodman [51]. Consider the words ‘blue’ and ‘green.’ It is entirely natural to suppose that ‘blue’ refers to blue objects and ‘green’ to green objects. But now consider the following definition of the properties ‘grue’ and ‘bleen’:

An object is ‘grue’ if and only if it is blue up until the year 2100 AD but green thereafter.

An object is ‘bleen’ if and only if it is green up until the year 2100 AD but blue thereafter.

Here is the philosophical point: insofar as the year 2100 AD has not yet come, every use of the words ‘blue’ and ‘green’ in the English language up until now has been entirely consistent with those terms meaning ‘grue’ and ‘bleen.’ That is, we have no empirical evidence based on what has been observed in the past for assuming that our word ‘blue’ refers to the property blue
rather than the property *grue*. The two interpretations of ‘blue’ are observationally identical, viz. the use of ‘blue’ up until today. Thus, if we base our theory of what ‘blue’ and ‘green’ mean purely on empirical observation, then we must conclude that meaning of these terms are *indeterminate*—because, again, there are multiple possible interpretations of them consistent with all of the empirical evidence of their use that has been collected. Finally, although this may seem like an artificial conceptual problem to theoretical physicists, as we will soon see it has potentially revolutionary implications for interpreting General Relativity. For here is a point that should resonate with any physicist or mathematical geometer: any coordinates in a non-Euclidean manifold can clearly, in principle, be *translated* into (or mapped onto) coordinates in Euclidean space, as in Figure 3.

**Figure 3.**

*Euclidean ‘Translations’ of Non-Euclidean Geometry*⁴

![Diagram of Euclidean 'Translations' of Non-Euclidean Geometry](https://creativecommons.org/licenses/by-sa/3.0/)

Each of these drawings is in two-dimensional Euclidean space—and so is expressed *in* Euclidean ‘language’ (you can plot each diagram on an ‘X’ and ‘Y’ axis). What the figures on the left and right comprise are *Euclidean translations* of what a straight line *is* in Euclidean space (e.g. two straight lines never intersect) with what a straight line is in non-Euclidean space (viz. in elliptic space, two ‘straight’ lines *do* intersect). We can also put the relevant translation in

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⁴ Image: derivative work: Pbroks13 (talk)Noneuclid.png;Joshuabowman at en.wikipedia, CC BY-SA 3.0 http://creativecommons.org/licenses/by-sa/3.0/, via Wikimedia Commons, retrieved 14 October 2021.
natural language: ‘A straight line in non-Euclidean space is curved when translated into Euclidean space’ (which is exactly what the ‘Hyperbolic’ and ‘Elliptic’ figures above illustrate). We will soon see why these points about inter-translatability are so important: the Einstein field equations can be interpreted as describing gravitation in terms of the curvature of spacetime (the traditional interpretation), but they can be equivalently interpreted in terms of ‘spacetime curvature’ being a measurement artifact of mass-energy exponentially accelerating the local metric-expansion of a dynamic, second-order Euclidean space superimposed upon an absolute first-order Euclidean space.

This brings us to a crucial corollary. Following his point about the indeterminacy of reference, Quine argues that this indeterminacy in turn generates holophrastic indeterminacy, which is that while there is always more than one correct method to translate one sentence into another, the translated sentences will nevertheless differ in terms of their ‘net import’ [96]. We can how this is by considering the ontological import of the two interpretations of Einstein’s field equations we will discuss. On the traditional interpretation of those equations, gravitation results from mass and energy curving spacetime. On the alternative interpretation I will propose, gravitation results from mass-energy accelerating the local metric-expansion of Euclidean space. If I am correct, both equations are equally ‘correct’ interpretations of the field equations, at least in the formal sense that they are inter-translatable. However, despite being formally equivalent (as equally valid translations of Einstein’s equations), each interpretation has dramatically different ontological import. The traditional interpretation of the Einstein field equations holds that it is a physical reality that (A) mass and energy curve spacetime in a non-Euclidean fashion, such that (B) gravitational effects can be explained in terms of spacetime curvature, but (C) in addition, there must be some further physical entity (e.g. dark
energy, quintessence, etc.) denoted by the cosmological constant. In contrast, my alternative interpretation of the field equations defended below holds instead that (A*) mass-energy accelerate the local expansion of a second-order Euclidean spacetime fabric around objects located in an unchanging first-order Newtonian coordinate system, such that (B*) all gravitational effects (ranging from massive objects attracting each other to the apparent bending of space and time) are constituted by that accelerated expansion, (C) without the cosmological constant denoting any additional force above and beyond (A*). This is crucial, we will see, in that whereas the traditional interpretation of the field equations gives rise to unexplained ‘anomalies’—ranging from the absence of any detection of dark matter or dark energy particle candidates in experiments to divergences between the Universe’s observed age and expansion rate and predictions generated by the $\Lambda$CDM (Lambda cold dark matter) model of the cosmos—my interpretation explains these ‘anomalies’ without positing new fundamental entities such as dark matter or dark energy.

Which brings us to one final preliminary: Quine’s third indeterminacy—which he argues follows from the first two, namely, the underdetermination of scientific theory by empirical evidence [96, 109]. As we have seen, the reference of any given scientific term appears to be indeterminate—as there are always multiple formally equivalent interpretations of the same term or equation. What this means, in turn—insofar as each interpretation is its own ‘theory’ of what the terms or equations mean—is that scientific theories are always underdetermined by our empirical evidence: that is, that there is always more than one theory consistent with the same observations. This, again, is Einstein’s own point in stating the Equivalence Principle. Insofar as it is ‘impossible to discover by experiment whether a given system of coordinates is accelerated, or whether its motion is straight and uniform and the
observed effects are due to a gravitational field’, both interpretations of ‘gravity’ are empirically equivalent, and hence, which interpretation is true is underdetermined by all empirical evidence.

We can see how this pertains to our discussion moving forward. One possibility—consistent with all of our evidence to date—is that the traditional physical interpretation of Einstein’s field equations (gravity curving spacetime) is correct, and we just have not yet discovered the other theoretical entities (dark matter, dark energy, etc.) entailed by that interpretation. Another possibility, however, is that the traditional interpretation of the field equations is incorrect, and we have not discovered dark matter or dark energy particles because they do not exist. Nothing, at present, can be used to demonstrate definitively which interpretation is more accurate. That can only be determined moving forward: by formulating both interpretations and determining which interpretation generates better predictions (such as, on my alternative interpretation, the prediction that dark energy does not exist and thus will never be discovered in empirical tests).

2. Equivalently Reinterpreting the Field Equations of General Relativity

Let us now return to Einstein’s field equations, taking the two equations mentioned earlier as our starting points:

\[ G_{\mu\nu} = R_{\mu\nu} - \frac{1}{2} R g_{\mu\nu} \]

\[ G_{\mu\nu} + g_{\mu\nu} \Lambda = \frac{8\pi G}{c^4} T_{\mu\nu} \]

Let us return to the terms the equation involves, and the theoretical entities its terms are traditionally understood as positing. ‘G’ is understood as standing for Newton’s gravitation constant, that is, for the observed fact that the ‘gravitational force’ between any two massive
bodies bodies—their dispositions to attract each other—is the product of their masses and the inverse square of their distance. ‘c’ is understood as standing for the speed of light, that is, for the observed fact that light moves at 186,000 miles per second. Next, all of the other major terms besides the cosmological constant—‘T_{\mu\nu}', ‘g_{\mu\nu}', and ‘R_{\mu\nu}'—stand for metric, stress-energy, and curvature tensors, where tensors are (to greatly) functions in coordinate space. So, if we set aside the cosmological constant for a moment, what these equations seem to say is that the force of gravity (viz. Newton’s constant) is a function of the stress-energy on objects generated by curved spacetime. Notice, next, that these basic claims—and similar claims of Einstein’s other field equations—appear to have been systematically confirmed through observation. Einstein’s field equations predict that if mass and energy curve spacetime in the way expressed by the equations, then we should observe the bending of light near massive objects such as stars and galaxies, as well as time dilation, and so on. Because all of these predictions have been confirmed repeatedly, it is entirely natural to think that we have interpreted the field equations correctly: that is, that mass and energy really do curve spacetime, which in turn constitutes gravitational force.

Notice, however, that there is a remaining term in the equations that we have not yet interpreted: the cosmological constant (‘Λ’). Einstein included this term in his equations, because he saw that without it the Universe could not be static [35]. This is, of course, observationally supported, since the Universe hasn’t collapsed on itself—but further, in the decades since Einstein introduced Λ, observations indicate that Universe’s spacetime metric is not only not collapsing but instead expanding [59]. Consequently, theorists have supposed—based on the traditional interpretation of the field equations described above—that ‘Λ’ must refer to some yet-to-be-observed theoretical entity that causes spacetime to expand: either dark
energy, a field of constant negative energy pressure, or quintessence, an entity akin to dark matter but the value of which changes over time rather than remaining constant [16, 90, 101]. Alas, no such substance—neither dark energy nor quintessence—has been directly detected in any experiment to date. This is one ‘anomaly’: the fact that, on our current interpretation of the field equations, around 70% of the Universe’s total mass-energy is constituted by a theoretical entity that has never been confirmed in any experiment [44]. Next, observational evidence of the cosmos has—at least on the traditional interpretation of Einstein’s field equations—discovered another ‘anomaly’: the fact that galactic rotation curves [23], velocity dispersion profiles of elliptical galaxies [12], galactic gravitational lensing effects [121], and other observations suggest that the amount of and distribution of mass in different structures of the Universe are dramatically different than predictions suggest they should be given the amount of observed (baryonic) matter. These anomalies have led theorists to posit a second as-yet-detected substance—dark matter—as constituting approximately 27% of the Universe’s mass-energy [113]. However, although many theories of dark matter have been proposed, no experiment to date has directly verified its physical existence [28]. Consequently, according to the standard interpretation of Einstein’s field equations, our best theory of cosmology—the ΛCDM (Lambda cold dark matter) model—ordinary baryonic matter and energy, the only kind that have ever been directly observed, make up only 4.9% of the mass-energy of the Universe and the other 95% of the Universe’s mass-energy is constituted by theoretical entities never confirmed in any experiment to date. Further, these values not only appear to have changed dramatically over the course of the Universe’s history, but also appear to still be changing for yet-to-be understood reasons (Figure 4).
Oddly, these values even appear to have changed over time, and in ways that explicitly deviate from the predictions of the ΛCDM theory of cosmology. The Universe’s expansion (qua ‘dark energy’) appears to be accelerating more than earlier observations and the ΛCDM model jointly predict it should [105].

Again, one possibility here—the one generally accepted in theoretical physics today [102]—is that the traditional interpretation of the Einstein field equations is correct, and that the theoretical entities they are thought to entail when combined with observation—dark energy, dark matter, etc.—will eventually be found. Notice, however, how eerily similar our current situation is to the cases of past false paradigms in scientific history. From the 3rd century BC through 1543 AD, Hipparchian and Ptolemaic astronomers theorized that in addition to main circular orbits, planets needed to have additional sub-orbits—‘epicycles’
around their main orbits—to account for their observed motion [50]. Then, in the 17th and 18th centuries, physical scientists theorized that heat and combustion must involve a special substance, ‘phlogiston’—an extra, then-yet-to-be-detected substance in addition to all other physical substances [8]. Similarly, in the early 20th century, some theorists theorized that life had to involve a special substance, ‘élan vital’—an extra, then-yet-to-be-detected substance in addition to all other physical substances [10]. Finally, for many millennia, ranging from ancient Greece through the early 20th Century [78, 86], philosophers and physical scientists believed that space had to be filled with a special substance, the ‘aether’—once again an extra, then-yet-to-be-detected substance in addition to all other known substances. In each case, we see the same pattern: the dominant scientific paradigm of the era positing the existence of additional theoretical entities beyond physical substances and processes already theorized to exist. As we now know, in each of these cases, the theoretical entities believed to exist turned out not to exist at all. The scientists who posited their existence were working with incorrect paradigms. It was only when Copernicus reconceptualized the cosmos—positing that the Earth and other planets orbit the Sun—that astronomers realized that the motions of heavenly bodies could be fully explained without the existence of epicycles. Similarly, it was only once biologists reconceptualized life as the result of organic chemistry, and chemists reconceptualized heat in terms of molecular kinetic energy, that they recognized that life and heat could be fully explained without the existence of phlogiston or élan vital. This is why no educated person believes in these theoretical entities today. We believe that Ptolemaic epicycles, phlogiston, élan vital, and the aether do not exist because we now see that the theories that posited their existence conceptualized the world the wrong way. I will now argue that the same may be true of the standard interpretations of Einstein’s field equations, the physical significance of
General Relativity, and the dominant cosmological model of the Universe.

Let us begin by consider Einstein's strong equivalence principle, which Einstein explains as follows:

A little reflection will show that the law of the equality of the inertial and gravitational mass is equivalent to the assertion that the acceleration imparted to a body by a gravitational field is independent of the nature of the body. For Newton's equation of motion in a gravitational field, written out in full, it is:

\[(\text{Inertial mass}) \times (\text{Acceleration}) = (\text{Intensity of the gravitational field}) \times (\text{Gravitational mass}).\]

It is only when there is numerical equality between the inertial and gravitational mass that the acceleration is independent of the nature of the body [34].

What this means, in lay terms, is that the force of gravity experienced by a person standing on a massive object is observationally equivalent to the force experienced by an observer in an accelerating frame of reference. Einstein famously illustrated this equivalence through several simple thought-experiments [94], the primary one involving a person locked in a windowless elevator with no idea of what is going on outside. Unbeknownst to the person in the elevator, the elevator is hurtling through outer space (where there is no Earth-like gravity). Einstein then noted that if the elevator were to accelerate upward, the person inside the elevator would experience themselves as ‘pulled’ toward its floor by a seemingly invisible force. Further, if the elevator were to accelerate upward at the correct rate (e.g. 9.8m/s^2), the downward force the person would experience would be equivalent to the ‘force of gravity’ on Earth. Conversely, Einstein pointed out that if the elevator stopped accelerating upward but instead continued upward at a constant velocity, the person inside would feel ‘weightless’, just as though they
were standing in an elevator on Earth (a gravitational reference-frame) in a free-fall (Figure 5).

**Figure 5.**
The Strong Equivalence Principle Illustrated\(^5\)

To put it another way, the ‘downward’ pull of gravity on Earth is in principle equivalent to the ‘upward’ acceleration of an (non-inertial) reference frame. Consequently, although this is too simplistic, it follows that the ‘force’ of gravity that we experience could in principle be the result of the *surface of the Earth* expanding upward against us at an accelerated rate (Figure 6).

**Figure 6.**
An Inadequate Interpretation of Relativity:
Gravity as the Metric Expansion of Spacetime and Objects *in Spacetime*\(^6\)

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Now, of course, this model cannot be correct. For, given how spacetime is currently understood, this would mean that all objects in space would need to expand along with it at the very same rate—in which case the above model clearly cannot account for the most basic features of gravity: namely, the way that gravity ‘pulls’ objects with mass toward each other—including, in our case, pulling us and other objects toward the Earth. For if, as the above model supposes, the surface of the Earth expands as a direct consequence of spacetime’s metric expansion, then all objects on and around the Earth would also expand in spacetime along with it. Because objects on the Earth, such as me and this table in front of me, would be ‘accelerating outward’ at the very same rate as the surface of the Earth, no object on Earth would—as a result of expanding spacetime—accelerate toward the Earth. There would, on the model described, be no gravitational attraction or ‘force’ at all.

Interestingly, however, as mistaken as the above model is, there another possible model interpretation of the field equations in the general vicinity that I will now argue may be correct. The alternative interpretation I propose holds that instead of gravity curving spacetime (viz. the traditional interpretation of the field equations), gravity is instead (A) the accelerated expansion of a kind dynamic Euclidean spacetime fabric through and around objects with mass-energy, that are in turn (B) located in and moving through an absolute, fixed, non-expanding, unobservable Euclidean space. Allow me to now lay out and illustrate this interpretation through a series of thought-experiments.

**2.1. Gravity as the Accelerated Metric-Expansion of Second-Order Euclidean Spacetime**

Consider first two objects (‘particles’) located in absolute Euclidean space, represented on a standard Cartesian plane:
Next, let us suppose that while those particles remain ‘fixed’ to where they are in this absolute Euclidean space—i.e. particle 1 existing at \((x = 2, y = 6)\) and particle 2 at \((x = 9, y = 6)\)—we superimpose a second Euclidean space—however, this time a *dynamic* (or changeable) *Euclidean spacetime fabric*—on top of that first Euclidean space, as in Figure 8:

**Figure 8.**

Superposition of Dynamic Euclidean Spacetime Fabric on Absolute Euclidean Space

Because this figure may leave the model a bit unclear, the simplest way to understand what I have in mind is by analogy to laying a tensile fabric (e.g. spandex) on the floor of an everyday
room, and then by placing to objects (e.g. two balls) on top of the fabric some distance apart:

**Figure 9.**
An Analogical Illustration: Tensile Fabric Overlaid on Non-Tensile Background

![Diagram of a room with a tensile fabric overlaid on the floor](https://i.pinimg.com/originals/34/99/d1/3499d12f28a741f0063ee8f2bbd711d9.jpg)

In this picture, we see there are two distinct ‘realms’ of Euclidean space: the ‘absolute’, unchanging Euclidean space beneath the tensile fabric (i.e. the floor), and a second flat Euclidean space superimposed on top of it (i.e. the tensile fabric). Finally, let us assume that although objects are indeed *located* in first-order Euclidean space (viz. the two balls are located in definition positions relative to the absolute, unchanging floor), observers ‘living’ on the fabric cannot *observe* the first-order Euclidean space because it is ‘hidden’ beneath the dynamic fabric upon which they are situated. On this model, then, we are to suppose that although absolute Euclidean space ‘exists’, it cannot be detected by the senses or measured by any scientific instrument located on top of the dynamic fabric. Instead, only the movement of objects (e.g. the two ‘particles’, or in this case, balls) can be measured relative to the dynamic space (i.e. the tensile fabric). Because on this model objects are objectively ‘located’ in absolute

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Euclidean space, but that absolute space cannot be observed, let us imagine next the two particles described above as *remaining precisely where they are* in absolute Euclidean space—i.e. particle 1 at (X=2, y=6) and particle 2 at (x=9, y=6)—while making the absolute Euclidean space ‘invisible.’ We can do this, in pictorial form, by simply *taking away* the absolute ‘Euclidean’ grid from Figure 6, leaving the two particles *fixed in place*, and picturing them *only* relative to the dynamic, second-order Euclidean space (Figure 10).

**Figure 10.**

Two Objects Located Non-Observeable Absolute Space *Embedded in Dynamic Spacetime*

![Diagram of two objects in dynamic spacetime](image)

Particles *fixed in place* in *(unobservable)* absolute Euclidean space (rendered invisible).

Absolute positions = (2,6) and (9,6)

Second-Order Dynamic Euclidean spacetime *(observable and not fixed in place)*

Initial position of particles = (2,6) and (9,6)

Remember, these two particles are now to be understood as located *precisely* where they were always located in absolute space. This new spatial grid is *not* a representation of absolute space, but now instead as a dynamic second-order *fabric* that surrounds those objects located in first-order Euclidean space.

Let us now suppose, following Einstein’s field equations, that a central component of gravity is \( \Lambda \), the ‘cosmological constant’ which holds that gravity is *associated* with the metric-expansion of space—which, again, on the traditional interpretation, is supposed to be some entity (dark energy or quintessence) *distinct* from spacetime curvature. Let us now suppose, in
contrast to the traditional interpretation, that instead of mass and energy causing spacetime to curve, they instead cause the accelerated expansion of the dynamic, second-order Euclidean spacetime described above—while the two ‘particles’ remain entirely unmoved from their previous locations in absolute first-order space. If we make of the above assumptions—and we assume that the two particles in the above diagram have mass-energy, causing the second-order fabric around them to expand in an accelerated fashion (while still remaining Euclidean)—then observers in that dynamic second-order space will observe the following.

**Figure 11.**

‘Gravitational Force’ as Locally Accelerated Expansion of Dynamic Euclidean Fabric

Think now about what is going on here. Remember, the two particles pictured here have not moved at all from where they were located in the (now-invisible) first-order Euclidean space. Particle 1 has remained stationary at (2,6) in absolute space, and particle 2 has remained at (9,6). However, their spatial location in that first-order Euclidean space is invisible, as it is ‘beneath’ the dynamic, second-order Euclidean fabric those same particles are situated upon—the only spatial locations that observers in this world can observe. But now if we consider that space—the expanding second-order Euclidean space—our observations will indicate that the two particles have ‘moved toward each other.’ At time $t$, the two particles were 6 observable spacetime units apart, whereas at $t+1$ they are just over three observable spacetime units
apart, whereas at \( t+2 \) the two particles are just over two observable spacetime units apart. Observers in that dynamic spacetime will thus witness the following ‘behavior’ of the two particles (Figure 12).

**Figure 12.**

*Measurements of object locations by observers in dynamic spacetime*

![Diagram showing object locations at different times](image)

Observers, in other words, will witness the particles ‘drawing closer together’ as if tugged toward each other by an *invisible force*—the *force of gravity*. Which of course is precisely what we witness in our world. So, although the two particles have not budged one inch from where they have been in absolute Euclidean, this new interpretation of gravity—of objects with mass-energy causing the expansion of second-order Euclidean space around objects located in an unobservable first-order Euclidean space—will *replicate* our observations of ‘gravitational attraction’, all *without* any kind of non-Euclidean curvature.

However, if this is the real mechanism of gravity, then in order for objects with mass-energy to *continue* accelerating toward each other vis-à-vis the ‘force of gravity’, the mechanism described above—objects with mass-energy expanding the local fabric of dynamic spacetime—*cannot* occur at a constant rate. This is for the simple reason that dynamic spacetime expands, the *volume* of each unit of spacetime expands at an accelerated rate:
We see what the observational consequences of this volume expansion would be in Figure 11. As we see there, if spacetime expansion occurred at a constant rate around objects with mass-energy, those objects would initially ‘accelerate’ toward each other (the two particles in figure 10 cut their observed spacetime distance by roughly half from $t$ to $t+1$, from 7 spacetime units apart to just over three). However, from $t$ to $t+1$, the rate at which they move toward each other appears to ‘slow down’ (as the two particles move from approximately 3 spacetime units apart at $t+1$ to approximately 2 units apart at $t+2$). This is a direct consequence of the expansion of a spatial metric increasing the volume of each subsequent metric. If spacetime around any two objects with mass-energy (e.g. particles) expands at a constant rate, the reduction in observed metric distance between them will drop over time—leading their ‘observed motion’ toward each other to appear to slow down the closer they appear to get. But of course this is precisely how gravity does not work. Gravitational attraction is observed to increase the closer that objects with mass energy get to each other. Consequently, in order for

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this reinterpretation of Einstein’s field equations to correctly model observed behavior of gravity, the expansion of spacetime fabric around objects with mass energy must increase—which is to say, Λ in Einstein’s field equations (i.e. the ‘cosmological constant’) cannot be constant: its value must increase—that is, the acceleration of spacetime expansion must increase over time for the ‘effects’ of gravity (viz. gravitational attraction) to remain constant.

As we will see below (in §2.3), this implication of the reinterpretation I am proposing enables us to explain away ‘dark energy’ and ‘dark matter’ without positing the existence of any such entities. Dark energy and dark matter, on this reinterpretation of the field equations, are not things that exist in addition to gravity. Rather, gravity just is the accelerating expansion of dynamic spacetime fabric around objects with mass-energy—which, as we will see, not only explains the Universe’s accelerated expansion and ‘unexpected’ deviations from the ΛCDM model of the Universe without positing dark energy. It also, as we will see, promises to explain phenomena associated with ‘dark matter’—e.g., unexpectedly strong gravitational lensing and velocity dispersions in galaxies, etc.—without positing dark matter. And it may even explain the hypothesized exponential expansion of spacetime just after the Big Bang—without positing a special ‘inflation field.’ All of these things, or so I argue below, may be explained by gravity alone—if we reinterpret Einstein’s field equations in the manner being proposed.

Before we get to those issues, however, we have quite a bit more work to do. First, as we have just seen, the reinterpretation of the field equations being offered explains gravitational attraction—why two or more objects with mass energy will be observed to ‘attract’ each other, bringing them ‘closer together’ in spacetime. What we have not yet explained is the feeling of ‘gravitational force’, the fact that two objects not moving in absolute Euclidean space (‘below’ the superimposed dynamic spacetime fabric that is expanding around
them) should feel the ‘tug’ of gravity as a ‘force’ tugging them toward each other. After all, the objects in question are not moving at all: it is merely dynamic spacetime fabric that is expanding around them (due to their mass-energy) in an accelerating fashion. Can we explain the felt ‘force’ of gravity in terms of these phenomena—the phenomena posited by the reinterpretation of the field equations being offered? Indeed, it can.

As Einstein’s elevator example shows, in order for acceleration to cause a felt force (i.e. a person in an elevator feeling themselves pulled downward), the thing accelerating (in this case, the elevator accelerating upward) must make physical contact with a non-accelerating object (in this case, the person inside). Consequently, in order to explain how the (exponentially) accelerating expansion of spacetime around objects with mass-energy not only ‘attracts’ objects to each other (which we have already seen) but does so in a way that imparts felt force upon them, we need to specify a mechanism by which the accelerated expansion of spacetime might impart such force. Fortunately, we already have conceptual foundations to explain this.

Let us begin with an analogous case from everyday life—one that does not involve the expansion of a ‘fabric’ but rather movement of a dynamic surface beneath an object: namely, the experience of stepping onto a ‘moving walkway’ at the airport (Figure 14). When you step on a moving walkway at the airport, the surface of the walkway is accelerated relative to the unmoving floor you were previously walking upon: specifically, it is accelerating away from it. Consequently, when you first step on the moving walkway, you will—for only a split second (until the walkway is no longer accelerating relative to you)—feel yourself pulled backward:
Figure 14.

Experienced force upon stepping onto a moving walkway

Now consider what happens if you place a circular object (a ball) on a moving walkway and continuously accelerate the speed of the walkway (Figure 15): relative to the moving walkway, the ball will ‘tumble backwards’:

Figure 15.
Force imparted by an accelerating moving walkway

Now, of course, as we all know in this case—the case of a moving walkway—the ball on top of the walkway will always get further away from its initial starting point, much as you or I move further away from the walkway's beginning the moment you or I step upon it. However, this is not the case if, instead of placing an object on a moving walkway, we instead place it on an

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expanding fabric (i.e. fabric). You can see this yourself by placing an object on top of a piece of expansive fabric, or even a rubber band. If you pull the fabric to the right (much as the moving walkway in the above example moves to the right relative to the ball), accelerating the fabric’s expansion in that direction, the object on top of it move to the right relative to absolute Euclidean space but nevertheless fall to the left relative to the expanding fabric (Figure 16):

**Figure 16.**

*Force imparted by accelerating expansion of dynamic second-order spacetime fabric*

Consequently, if we amend the new reinterpretation of the field equations I proposed above—where objects with mass-energy locally cause the second-order dynamic Euclidean space under and around them to expand at an accelerating rate—with a further assumption, that there is some friction (formally represented by the field equations stress-energy tensor, $T_{\mu\nu}$) between those objects otherwise ‘stuck’ in absolute Euclidean space and the second-order dynamic Euclidean spacetime fabric accelerating around them as a result of their mass-energy, then that expansion will not only lead objects with mass energy to appear to ‘move closer together’ (as in Figures 11), but also feel tugged toward each other as if by an invisible force (the ‘force of gravity’, as in Figure 16). Finally, let us assume in the model that the amount of
‘friction’ (or stress-tensor-energy) the expansion of dynamic Euclidean spacetime fabric imparts on objects is *inversely* proportional to the volume of second-order spacetime fabric multiplied by its rate of acceleration. As we saw earlier (Figures 12-13), for this new interpretation of the field equations to properly model gravitational attraction (viz. Newton’s constant, \( C \)), mass-energy has to expand dynamic Euclidean fabric at an *exponentially accelerating* rate. Let us now suppose, in line with this assumption that the second-order Euclidean fabric has a ‘density’ (in terms of the force it imparts on objects located in absolute Euclidean space) that varies *inversely* with the cubic volume of each ‘unit’ of fabric (Figure 17).

**Figure 17.**

**Inverse-Square Relationship Between Dynamic Euclidean Metric-Volume and ‘Force’**

To see why this is physically plausible given the nature of the new interpretation of the field equations being proposed, consider what has been claimed in the model so far. First, I have posited an objective, unobservable Euclidean space and time—an objective coordinate plane where objects are *located* even though that plane cannot be observed with the senses or
scientific instruments. Second, I have posited on ‘top’ of that objective coordinate plane, a
second Euclidean spacetime—this time a dynamic one, a Euclidean fabric that expands around
objects located in the first plane due to those objects’ mass-energy, making them appear to
come closer together due to ‘gravitation’ simply by the fabric’s spatial metric expanding away
from massive objects in an acceleration fashion (viz. a piece of spandex on the floor ‘tugging’
on objects placed on the floor). Now one thing we know about tensile fabrics is that they have
properties much like liquids and gasses. If, for instance, you stretch a rubber band—which has
a fixed total volume—so that the rubber band takes up more space, each cubic millimeter of
the rubber band will come to have less volume than before it was stretched, because now the
same total volume (the rubber band) is spread out over more space via its internal metric
expansion (each point on the rubber band moving further and further apart from each other as
the band is stretched). This, in brief, is how tensile fabrics work: the more they are stretched—
the more they are expanded—the less volume each cubic portion of the fabric will have.

Bearing this in mind, let us imagine another thought experiment similar to Figure 15,
where we imagined piece of fabric on the floor and stretching away from a massive object (the
Earth), tugging on the person standing on the fabric such that the person falls backwards
toward the object. Instead, let us imagine the following two scenarios (Figure 18).
In scenario 1, you are standing waist-deep in water near the shore of a large ocean. By analogy, let us suppose the water is occluded sediment so that you cannot see below its surface. Your feet, then, are embedded in a space you cannot see: the floor of the ocean. So, following the reinterpretation of the field equations I am proposing, let us suppose that neither you nor anyone else has ever seen or otherwise been acquainted with the ocean floor. Indeed, let us suppose that you are paralyzed from the waist down so that you cannot even feel your legs or feet below the surface. For all you have ever seen or can measure with the instruments you have available, the ocean floor does not appear to exist—and yet it does: it is simply that all you can measure is what you see and feel above the surface. Now let us suppose that a massive ocean wave heads your way, albeit at a relatively slow velocity (let’s say, ten miles per hour). Because the wave is dense, when it hits you it will knock you over. Finally, now imagine

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Scenario 2, which is the same as scenario 1 except that instead of being waist deep in the ocean, you are waist deep in *mist*—that is, watery air. Because the air is far less dense than water, how fast must the air hit you in order to impart the same force (viz. stress-energy)? The answer, of course, is that it will have to be traveling well over a *hundred* miles an hour, as in a hurricane. Consequently, if we assume—in line with the alternative interpretation of the field equations being explored—that objects are simultaneously located in (A) an objective, absolute, but unobservable Euclidean space (Figure 8), (B) a second, dynamic Euclidean fabric *overlaid* on that absolute space (Figure 8), such that (C) those objects’ mass-energy in the dynamic space cause the *accelerated expansion* of the second-order Euclidean spacetime metric *away* from that mass-energy (Figures 10-11), (D) the accelerated expansion of that fabric *exerts force* on objects in the vicinity (Figures 14-16), specifically (E) force inversely proportional to the square of volume per cubic metric of spacetime fabric (Figure 17), *then* we will have modeled gravitational attraction and gravitational force, including the inverse-square law (Figures 12, 13, and 17). That is, we will have interpreted the physical significance of Einstein’s field equations—and the way in which they account for gravitational behavior—in a new, *observationally-equivalent* way.

More specifically, on the reinterpretation of the field equations being proposed, gravity does not actually curve spacetime. Instead, General Relativity’s field equations actually describe something very different. Centers of mass-energy *exponentially accelerate* the expansion of their local spacetime coordinate systems (viz. \( \Lambda \)), such that this metric expansion *explains* the other features of the field equations—*gravitational attraction* (viz. ‘G’/Newton’s constant), *spacetime curvature* (viz. \( R_{\mu
u}/the \ Riemannian \ tensor \)), and the force of gravitational attraction (viz. ‘T’/*stress-energy tensor*)—as measurement artifacts of the accelerated
coordinate explanation. If this reinterpretation of the field equations is correct, we not only do not need to posit any additional force in nature beyond gravity (such as dark energy or quintessence) to make sense of the field equations or cosmos. Instead, \( \Lambda \) just is the fundamental effect of mass-energy on spacetime, such that this very effect explains why objects moving through spacetime appear to follow curved paths and experience the ‘force’ of gravity. Further, as we saw above, this reinterpretation also explains why the value of \( \Lambda \) should not be constant at all (viz. the cosmological constant or dark energy), but instead increase over time (qua ‘quintessence’), as on the reinterpretation \( \Lambda \) itself needs to increase in value as it exponentially expands the volume of spacetime, in order for measured gravitational effects to remain constant—an implication in line with recent observations that spacetime is expanding faster than the \( \Lambda \)CDM predicts it should [104].

We will now see that in addition to explaining gravitational attraction and force, the reinterpretation can explain the appearance of spacetime curvature, other verified features of General Relativity (e.g. time dilation), the apparent existence of ‘dark matter’, and finally, recent observational ‘anomalies’ inconsistent with the dominant \( \Lambda \)CDM model of the Universe.

2.2. ‘Spacetime curvature’ as observational artifact of accelerated spacetime expansion

The dominant interpretation of General Relativity holds that spacetime is curved by mass-energy, and gravitational attraction the result of said curvature. We have already seen how the reinterpretation of the field equations I have proposed can account for gravitational attraction without spacetime curvature. It is just as easy to see, using the thought-experiments we have already examined, how the reinterpretation I am proposing can explain the appearance of spacetime curvature without there actually being any such thing. Allow me to explain.

Let us suppose that a massive object (say, the Sun) is located at a determinate location
in that absolute Euclidean space (x=4, y=4) (Figure 19):

![Massive Object Located in (Unobservable) Absolute Euclidean space](https://timedotcom.files.wordpress.com/2014/02/sun.jpg)

**Figure 19.**

Now let us suppose that *light* is unique—that, unlike all other physical entities, which are located in absolute spacetime, light *only* propagates in the dynamic second-order spacetime fabric (note: although ascribing this unique property to light may appear arbitrary at this point in our investigations, it is worth bearing in mind that light *is* fundamentally different than all other observed objects in having the same observed speed regardless of one’s motion relative to it). Consequently, much as we did in our thought-experiments with particles, let us ‘remove’ the absolute Euclidean space from Figure 19 (bearing in mind that it is still there) and instead *substitute* in the second-order dynamic Euclidean spacetime fabric posited by my reinterpretation of the field equations (Figure 11), along with a beam of light propagating *in that* dynamic spacetime:

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Now let us witness what happens if we suppose that the object’s mass-energy causes this dynamic spacetime to expand locally in an accelerated fashion. Although light travels in a continuous fashion, for the sake of simplicity let us focus on three ‘time-slices’ of a light beam traveling past Earth (Figure 21):

**Figure 21.**
Light Traveling Straight Through Accelerated Expansion of Dynamic Spacetime Fabric

Notice what is happening here. At time $t$, the light beam will be measured by observers to be located at $(2,13)$. At time $t+1$, the same beam of light (which by hypothesis has been moving in a ‘Euclidean’ straight line relative to Euclidean space)
that space), will be observed as located at coordinates (5, 7.5). Then, at time $t+2$, that same beam of light will be observed at coordinates (5.5, 5). Although again this is an *idealization* (since light travels continuously), here is what we get when we plot this *observed* behavior in a Cartesian (Euclidean) plane (Figure 22):

**Figure 22.**

*Observed Consequences of Light Traveling Through Expanding Euclidean Fabric*

![Diagram of light beam](image)

In other words, the accelerated local expansion of Euclidean space as a result of mass-energy will, on the reinterpretation of General Relativity being proposed, lead to *observations* of the apparent ‘curvature’ of space by gravity. On this interpretation of the field equations, it is not spacetime that is curved by mass-energy, nor the beam of light that is curving. Instead, the *apparent* ‘curvature’ of spacetime is simply an *observational artifact* of mass-energy causing
the accelerated-expansion of a second-order Euclidean spacetime fabric around objects moving in a *straight line* through an absolute first-order Euclidean coordinate-system. What about the ‘curvature’ of time? Once again we can use the reinterpretation of the field equations to explain how mass-energy *appears* to curve time. To see how, consider first the fundamental difference I hypothesized above between light and all other physical things. As we know from observation, the speed of light is observed to be *constant* regardless of one’s reference frame. On the reinterpretation of relativity being proposed, this means that the *length* of light must expand as space expands (Figure 23), such that light is always observed to travel 1 light-second per second but the *spatial length* of one light-second expands.

**Figure 23.**

*Spatial Expansion of Light with Accelerated Dynamic Space Expansion*

Notice something that we will return to later. Because light is a particle and a wave, as light travels through a gravitational field its *wavelength* will appear stretched, qua the ‘redshift’ observed in measurements of all galaxies around us (Figure 24). This redshift, however, will not be explained in the manner it currently is— that is, by the ΛCDM model. According to the ΛCDM model, observed redshift is caused by *some entity beyond gravity* (‘quintessence’ or ‘dark energy’) accelerating the expansion of spacetime everywhere in the Universe. Instead, on the reinterpretation of relativity being defended here, the observed redshift of light from
distant galaxies is the result of gravity locally accelerating the expansion of a second-order, dynamic spacetime around objects with mass-energy.

**Figure 24.**

Redshift = Gravity as Locally Accelerated Expansion of 2nd Order Euclidean Spacetime

Importantly, to reiterate, this redshift is not—on the new interpretation of relativity being proposed—the result of spacetime being curved by gravity (which is itself a measurement artifact of gravity being the accelerated expansion of spacetime). Nor, for reasons we have already seen, will the redshift be constant. Rather, because gravity just is (on the new interpretation) mass-energy accelerating the expansion of dynamic Euclidean spacetime, the reinterpretation predicts that gravitational redshift should be constantly increasing—which is precisely what cosmological observations reveal but the dominant ΛCMD model of the Universe leaves unexplained (having to posit ‘dark energy’ or ‘quintessence’ to explain it).

Now let us turn away from light—which again is observed to have an invariant velocity in all reference frames—to the observed speed of ordinary objects. Let us begin by plotting the spatial position of an object over time in (unobservable) absolute Euclidean space. Let us suppose, specifically, that this object is me walking from one place to another at a constant rate relative to absolute space (Figure 25), e.g. 2 spatial units per 1 unit of ‘objective’ time.
Remember, on the reinterpretation of the field equations being offered, these ‘absolute’ spatial and temporal locations are unobservable. The only thing that inhabitants of our Universe can observe is the behavior of objects relative to the dynamic second-order Euclidean spacetime overlaid on the ‘absolute’ spatiotemporal dimensions above. Next, let us suppose that I am walking on an object (the Earth) with a high mass-energy. Consequently, on the reinterpretation of the field equations being proposed, here is what will be observed:

‘Time Dilation’ as Consequence of Accelerating Metric-Expansion of Euclidean space

Observers within this expanding Euclidean space (i.e. you and me) would witness nothing odd: we would experience ourselves as moving at a constant rate. For although it would, in actuality, take us longer and longer to traverse a single metric of expanding spactime fabric, everything
around us would be doing this at a constant rate—thus leading us, within this reference frame, perceiving everything moving at a constant rate (not appearing to slow down). To observers outside of our gravitational reference-frame, however, things would be very different. Because their spacetime would not be caught in the local expansion of our gravitational field, they would witness everything in our vicinity taking longer and longer to occur. That is, relative to outside observers, the gravity surrounding us would appear to slow time down (Figure 27):

Figure 27.

New Interpretation of Relativistic Spacetime Dilation 12

For, as we see in the above figure, in the accelerated expansion of Euclidean space it takes a progressively longer and longer time to cover the same area of ground (I move one unit of space from $t$ to $t+1$, only .25 units of space from $t+1$ to $t+2$, and so on). The reconceptualization

of Einstein’s field equations being proposed thus explains ‘time dilation’: it just does so via a
different mechanism than that posited by the traditional interpretation of the field equations—
not by the curvature of space and time but instead simply by mass-energy accelerating dynamic
Euclidean spacetime metric while objects (e.g. you and me) move at a constant rate through an
unobservable, absolute Euclidean space.

2.3. ‘Dark Energy’ and ‘Dark Matter’ as Observational Artifacts of Gravity as Mass-Energy
Accelerating Local Spacetime Expansion

As discussed earlier, the ΛCDM (Lambda cold dark matter) model is the dominant cosmological
model of the Universe’s composition and history. This model, which is based on the traditional
interpretation of General Relativity, holds that the Universe is constituted by three things:

1. **Ordinary ‘baryonic’ matter** and energy (quarks, atoms, electromagnetism, etc.)

2. A cosmological constant (Λ) associated with **dark energy**, a special kind of energy that
   is thought to accelerate the metric expansion of the Universe *equally* throughout all
   space.

3. **Cold dark matter** (CDM), a special type of matter that moves very slowly and has
   gravitational effects but interacts very weakly with ordinary matter and
   electromagnetic radiation.

Here, in brief outline, is how this cosmological model has been arrived at:

First, as we have seen, the traditional interpretation of Einstein’s field equations—the
interpretation which holds that mass-energy curves spacetime—treats Λ as an additional
theoretical entity beyond gravity. This is because all of the other major terms in the field
equations—e.g. ‘G’, ‘T_{\mu\nu}', ‘g_{\mu\nu}', and ‘R_{\mu\nu}'—have been interpreted as describing ‘gravitational
force’ (G) in terms of the density of mass-energy (g_{\mu\nu}, T_{\mu\nu}) curving spacetime in a non-
Euclidean fashion (\(R_{\mu\nu}\)). As we have seen, on this interpretation of the field equations, Einstein added in \(\Lambda\) seemingly arbitrarily, simply in order to achieve a stable (rather than contracting) Universe. Consequently, in the decades since the observational discovery that the Universe is expanding [60], theorists have supposed (based upon the traditional interpretation of the field equations) that \(\Lambda\) has to stand for some extra theoretical entity: either dark energy, an unseen force that expands spacetime throughout the Universe at a constant rate of acceleration, or ‘quintessence’, an unseen force that expands the Universe at a variable (i.e. changing) rate. Notice, furthermore, that ever since Einstein proposed it, cosmologists have primarily aimed to fit \(\Lambda\) to ‘observed data.’ Whereas Einstein inserted \(\Lambda\) to achieve a stable Universe, the Hubble telescope’s observation of gravitational redshift has been taken by cosmologists to imply that \(\Lambda\) (i.e. dark energy) is stronger than Einstein thought. Further, recent observations that the Universe’s rate of expansion is accelerating faster than the \(\Lambda\)CDM predicts [104] has once again led theorists—purely on the basis of observation—to entertain the possibility that perhaps \(\Lambda\) is not constant, after all, but instead variable (as theories of ‘quintessence’ hold). Notice, again, that on the traditional interpretation of the field equations we have no \textit{a priori} reason to favor dark energy (\(\Lambda\) being constant) over ‘quintessence’ (\(\Lambda\) being variable). This is instead treated as an \textit{experimental} question to be resolved by cosmological observation—despite, of course, all existing searches for dark energy and quintessence having turned up empty.

Finally, in addition to treating \(\Lambda\) as an additional theoretical entity, on the traditional interpretation of the field equations there must be \textit{yet another} as-yet undetected theoretical entity: dark matter, an entity \textit{postulated nowhere} in the field equations themselves. This extra type of matter is thought to exist because—at least on the traditional interpretation of the field equations—galaxies and other cosmological structures appear to have \textit{vastly} more mass than
observations of ordinary baryonic matter suggest. The dominant explanation of this ‘extra mass’ is that our Universe contains vast quantities of ‘cold dark matter’—either some new type of fundamental particle such as axions \([108]\) or WIMPs \([64]\), or else massive compact objects such as black holes and neutron stars (MACHOs) \([20]\)—and that this matter clumps together in massive spherical halos in galaxies (Figure 28).

**Figure 28.**

*Hypothesized Galactic Dark Matter ‘Halos’*\(^{13}\)


Evidence for this ‘extra mass’ comes in several forms. First, spiral galaxies have unexpectedly ‘flat’ rotation curves \([23]\). Whereas planets in solar systems move more quickly the closer they are to a star and more slowly the further they are away (like a whirlpool), the arms in spiral galaxies are observed to rotate at a similar rate throughout most of the galaxy’s diameter, much like the spokes on a bi-cycle wheel rotate ‘locked together’ (Figure 29).

Second, the rotation curves of galaxies appear to have changed dramatically from the early Universe to today [40, 47]. Galactic rotation curves of more distant galaxies (which are thus earlier in the Universe’s history) are closer to what one would expect given visible baryonic matter. In these distant galaxies, stars close to the galactic center orbit more quickly than stars further away, much as planets do in solar systems. However, in more nearby galaxies (closer to us in spacetime), rotation curves become more flattened, with stars close to the galactic center and further away rotating around the galaxy with broadly similar velocities. According to the ΛCDM model, these changes in galaxy rotation curves are the result of more recent galaxies having more dark matter than more distant ones—with the extra dark matter in more recent galaxies serving as the mass-energy ‘engine’ of the flatter rotation curves (see Figure 30).

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Figure 30.
Differences in Galactic Rotation Curves from Nearby-Present to Remote-Past

![Figure 30](image)

'These observations have been taken by theorists to imply that early galaxies were dominated by ordinary matter, only to become more dominated by dark matter as the Universe has progressed [41], such that (according to the ΛCDM model), the entire composition of the Universe has dramatically changed over time:

Figure 31.
Changes in Universe’s Hypothesized Composition

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A third source of evidence for dark matter is that velocity dispersions (the rate at which objects move) in elliptical galaxies do not match predictions based on those galaxies’ observed ordinary baryonic matter [13]. Fourth, galaxies in general have much stronger gravitational lensing effects (the amount that they bend starlight) than predicted using observations of their ordinary baryonic matter [103, 120]. Finally, in addition to these and other cosmological observations that theorists standardly take to be evidence for dark matter, there is at least one further oddity that lacks any explanation on the ΛCDM model. It is widely believed today that nearly all large galaxies—including our own—have supermassive black holes at their center: black holes having hundreds of thousands to billions of times the mass of the Sun [66-7].

Interestingly, however, recent observations indicate a ‘strange’ relationship between these black holes and dark matter [14-15]: namely, that ‘the more dark matter a galaxy has, the bigger its black hole tends to be’ [82]. This relationship is yet another ‘anomaly’ not explained by the ΛCDM model, as the ΛCDM model takes dark matter to be an entirely different kind of stuff that does not interact with (or interacts only very weakly with) ordinary mass-energy, including the immense mass-energy of black holes.

Crucially, all of these ‘anomalies’—the fact that galactic rotation curves do not match predictions based upon galaxies’ observed baryonic matter, the strange (and yet-to-be-understood) relationship between ‘dark matter’ and galactic black holes, the fact that dark matter has never been directly detected in any experiment to date, and so on—are all based upon the traditional interpretation of General Relativity’s field equations. Specifically, they are based upon the assumptions that ‘Dark matter does not bend light itself; mass (in this case the mass of the dark matter) bends spacetime. Light follows the curvature of spacetime, resulting in the lensing effect’ [6, 116].
Let us not mince words at this point. The $\Lambda$CDM of the cosmos is the dominant cosmological theory of the Universe today. It is widely accepted because it appears to follow logically from two things: (1) General Relativity (as traditionally interpreted), and (2) cosmological observations. Because General Relativity's predictions have been systematically confirmed, the $\Lambda$CDM model seems logically unavoidable given cosmological observations and the traditional interpretation of relativity. But let us be clear: the $\Lambda$CDM model is a theoretical and predictive mess. First, the $\Lambda$CDM model posits not one but two theoretical entities—dark matter and dark energy—that have never been directly observed in any experiment. Second, the $\Lambda$CDM model asserts that these two entities make up the vast majority of mass-energy in the Universe: 95.1% (!), compared to only 4.9% ordinary mass-energy. Third, as we have seen, the $\Lambda$CDM model holds that the relative amounts of different forms of mass and energy have dramatically changed over the course of the Universe’s history for reasons that no one understands—with the early Universe having nearly no dark energy to it being (apparently) dominated by dark energy today (Figure 31). Fourth, estimations of the Universe’s rate of expansion based on the $\Lambda$CDM model and previous observations conflict with the rate of expansion found in more recent observations, which find the Universe’s rate of expansion to be increasing larger than expected [104]. Fifth, the $\Lambda$CDM model contains no obvious explanation of why galaxies with larger central black holes should have more dark matter. Sixth, dark matter simulations indicate that the density of dark matter should be more ‘peaked’ in galaxies than observed [46].

We could go on—but the point is this: if you wanted to design a false scientific paradigm akin to Ptolemy’s epicycles or the luminiferous aether of Newtonian physics, you could hardly do better than this. For consider what we have just summarized: according to the dominant
theory of the cosmos, our Universe consists of (A) vast amounts of matter and energy that (B) have never been directly observed, (C) have failed to be detected in every experimental search carried out to date, (D) change dramatically in quantity and proportion over the Universe's history for some completely unknown reason, and (E) conflict with and fail to explain a variety of other cosmological observations. All of these facts together suggest that the ΛCDM model may be deeply misbegotten. However, as we have seen, it is thought to follow inexorably from two things: from General Relativity and observations of the cosmos. Since observations are what they are (observed facts), this means there are only three possibilities: (1) the ΛCDM is correct and we will someday find the dark matter and energy we are looking for, (2) General Relativity is false, or (3) we have misinterpreted the physical significance of General Relativity. I have just laid out a litany of reasons to think that the ΛCDM model may be false. Let us assume for the sake of argument that it is. That leaves options (2) and (3). It is of course possible that General Relativity is incorrect—and many alternative theories have been proposed, ranging from Farnes' dark fluid theory [42] (which it is said will be testable beginning in 2022 [39]) to Milgrom's Modified Newtonian Mechanics (MOND) [80], Bekenstein's TeVes model [10], and Moffat's STVG model [83]. However, there are two related reasons why General Relativity is favored over these alternatives. First, General Relativity's many predictions—ranging from predictions of Mercury's perihelion to the slowing of clocks on fast-moving objects to gravitational lensing to gravitational waves—have all been systematically verified. Second, to the extent that the alternative theories have been tested, they appear to make at least some incorrect predictions [3, 16, 73]. So, it seems, we have reasons to reject option (2). That leaves option (3): the possibility that General Relativity is correct but its physical significance has been misunderstood.
I have provided an alternative interpretation of the field equations, one according to which Λ is not an additional theoretical entity (dark energy) beyond gravity, but instead simply an expression of what gravity is: namely, not the warping of spacetime by mass-energy, but instead the *accelerating* local metric-expansion of dynamic second-order Euclidean spacetime fabric overlaid on ‘absolute’ Euclidean space—which in turn leads to the *appearance* of ‘spacetime curvature’ as a measurement artifact (again, see Figure 22). I have shown how this alternative interpretation of the meaning of the field equations explains the *apparent* bending of spacetime, as objects (such as beams of light) traveling through expanding Newtonian space will *appear* to curve to anyone located within the same dynamic Euclidean fabric. Further, I have shown how the alternative interpretation explains gravitational attraction (viz. Newton’s constant), and the felt *force* of gravity. Finally, I have shown how, if we represent ordinary objects as located in first-order absolute Euclidean space surrounded by and affected by second-order dynamic Euclidean fabric, but *light* as located in (and expanding with) second-order dynamic Euclidean space time—so as to model light’s unique property of always appearing to move at the same rate through observable spacetime regardless of reference-frame—the model explains *spacetime-dilation*. Now, to be sure, I did not go through complex math—and perhaps going through all of the math may require modifications to the model (which I am happy to countenance). The point, though, is this: we have seen in concrete terms, through a series of simply thought-experiments, how all of the central conceptual features of General Relativity—the conceptual features *represented* by various terms in the field equations, ranging from gravitational attraction (G) to spacetime ‘curvature’ (R) the density of mass-energy (T), etc.—can be *reinterpreted* in a new way, one that explains gravitational attraction, curvature, etc., *in terms of Λ*, that is, in terms of gravity *just being* mass-energy.
locally accelerating the metric-expansion of spacetime. The question we now turn to is whether this reconceptualization can explain the many observational ‘anomalies’ that have arisen relative to the ΛCDM model.

Let us begin with dark energy. The current paradigm—embodied in the ΛCDM model—is that ‘Λ’ in the field equations stands for a constant in nature: a repulsive force that is expanding the Universe’s spacetime metric everywhere at a constant rate (Figure 32).

**Figure 32.**

The Dominant Interpretation of ‘Λ’: *Uniform Metric Expansion by Dark Energy*

In other words, on the traditional interpretation of general relativity, the Universe is akin to a balloon expanding. It is not that galaxies are moving further apart from one another in space. Rather, it is that space between them is expanding in metric, everywhere at a uniform rate. The main evidence for this account has been observational data indicating a linear relationship between the distance between us and observed galaxies and those galaxies’ redshift [105]. Further, the idea that space is expanding in this uniform fashion has been codified in what is known as Hubble’s Law (recently renamed the Hubble–Lemaître Law [61]). Alas, there is a serious problem: recent observations with the Hubble Space Telescope indicate that the Hubble Law is *false*. These observations indicate that the Universe is expanding significantly

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faster than predicted using the law and previous observations [89, 104]. Some have already suggested that this unexplained deviation from the Hubble Law may require revisions to physics or to the ΛCDM model [114]—but in any case, as of now, it is considered a mystery [77]. Yet, these results are not a mystery on the reinterpretation of General Relativity being proposed in this paper. First, on my reinterpretation of relativity, the Universe’s spacetime metric is not expanding everywhere at a uniform rate. Instead, spacetime expansion occurs locally—around objects with mass-energy (i.e. galaxies)—at an accelerating rate. The theory thereby predicts observed gravitation redshifts, but explains them differently: as caused by the extreme stretching of Euclidean space around galaxies (Figure 33).

**Figure 33.**
Redshift as Artifact of Mass-Energy Locally Accelerating Spacetime Metric Expansion

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Milky Way Galaxy

(Accelerated) Local Spacetime Expansion

Other Galaxies

Closer to Earth

Further away

Observer on Earth sees

Observed accelerated expansion rapidly tapers off in empty space

Observed Differential redshift by distance

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In other words, on this paper’s reinterpretation of relativity, what is going on is the exact inverse of what the theory of ‘dark fluid’ posits. Dark fluid holds that we should make sense of accelerated universal expansion by holding there is a new entity (dark fluid) that (A) expands in voids and (B) contracts in gravitational systems. On the reinterpretation of general relativity being offered, gravity just is (C) the accelerated expansion of spacetime in gravitational systems which (D) does not occur in voids (since gravitational effects drop off rapidly with distance by the Inverse-Square Law. Both ways of explaining the observed metric-expansion of space are observationally equivalent—they are just conceptually ‘inverted.’

Second, in addition to explaining something crucial that the ΛCDM model does not—the recently observed increase of the Universe’s ‘rate of expansion’ mentioned above—this explanation also explains another otherwise-unexplained set of ‘anomalies’ [65]: the fact that galaxies in particular clusters (e.g. the Virgo cluster) deviate significantly from the otherwise linear relationship between distance and redshift posited by Hubble’s Law (Figure 34).

**Figure 34.**

Deviations of Virgo Cluster Galaxies from Hubble’s Law

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My reinterpretation of the field equations explains these and other redshift deviations from Hubble’s Law in terms of a function between the mass-energy and distance of other galaxies—as on my reinterpretation the local metric expansion of space around any galaxy (including our own) will be a function not only of (i) distance but also, (ii) how much mass-energy the system has, (iii) how that mass-energy is distributed in the galaxy, and (iv) how long that system’s mass-energy has been exponentially accelerating the expansion of its local spacetime metric (viz. the age of the particular galaxy itself). This paper’s reconceptualization of relativity can thus explain the observed deviations from redshift predictions of Hubble’s law. If galaxies in the Virgo cluster differ in age, total mass-energy, and/or mass-energy distribution (i.e. if some galaxies have mass energy more concentrated at their center, whereas the mass-energy of other galaxies is more diffused across the galaxy as a whole), then these facts can explain why their observed redshifts differ. Third, and perhaps most importantly of all, my reinterpretation of the field equations explains why the apparent amount of ‘dark energy’ is many orders of magnitude greater than the amount of ordinary baryonic matter observed in the Universe. Remember, according to the ΛCDM model of the Universe, 13.7 billion years ago there was nearly no dark energy in the Universe at all—whereas today the estimate is that 72% of all of the Universe’s mass-energy is dark energy compared to only 4.6% ordinary matter. Further, as we have seen, the amount of dark energy the Universe appears to have has continued to increase significantly from predictions based on previous observations. To put it simply, if we assume the ΛCDM model of the Universe (based on the traditional interpretation of the field equations), we must posit that the Universe’s amount of dark energy has increased exponentially over time and continues to do so—for reasons that, on the ΛCDM model itself, are completely unexplained. In contrast, my reinterpretation of the field equations explains
directly—by identifying gravity itself with mass-energy locally accelerating the metric-expansion of spacetime at an ever-accelerating rate—why redshift observations should result in the appearance of the Universe having expanded much more slowly in the past (viz. ‘no dark energy’), the apparent exponential increase in the Universe’s rate of expansion since then and to this day (viz. there appearing to be vastly more dark energy than ordinary matter today), and why the Universe’s apparent rate of accelerated expansion is higher than the ΛCDM predicts. Finally, as we will see below, my reinterpretation of the field equations not only explains why an alternative to General Relativity—Modified Newtonian Dynamics (MOND)—has the features it does (modeling gravity in Newtonian terms but weakening over long distances), but also an as-yet-unexplained stunning coincidence that arises in the mathematics of MOND: namely, that one of its central functions (a₀), a new fundamental constant that MOND takes to be a substitute for ‘dark matter’, is within a single order of magnitude of estimates of Hubble’s law, viz. the expansion of the Universe [79]. In other words, MOND suggests that there is somehow a deep physical connection between the accelerating expansion of the universe (viz. ‘dark energy’) and the ‘extra mass’ that galaxies appear to have (viz. ‘dark matter’)—though MOND does not explain what this connection might be. There is one other theoretical proposal for how ‘dark matter’ and ‘dark energy’ may be related: dark fluid theory, which takes ‘dark energy’ and ‘dark matter’ to be a single substance that acts differently in gravitational systems like galaxies and in ‘empty’ intergalactic voids, expanding in voids and contracting in gravitational systems [43]. However, we will see that my reinterpretation of the field equations explains the relation without any special substance, but instead purely in terms of mass-energy accelerating the expansion of second-order Euclidean spacetime locally relative to regions of space with less mass-energy, where spacetime is simply not expanding.
due to the absence of significant mass-energy (which, to be clear, makes the reinterpretation of General Relativity I am proposing very different than dark fluid theory).

Now that we have seen how the reinterpretation proposed may explain away the existence of dark energy, let us turn to ‘dark matter.’ To recap my earlier overview, dark matter is thought to exist because, on the traditional interpretation of General Relativity, galaxies appear to have vastly stronger gravitational effects—viz. gravitational lensing, spiral rotation curves, and so on—than their visible matter suggests. The only way to explain this, on the traditional interpretation of General Relativity, is to hold that there is something—something that cannot be ‘seen’ like ordinary baryonic matter (viz. interacting with electromagnetism)—giving those galaxies extra mass. This extra something, of course, is supposed to be ‘dark matter’—the most influential theory being that it is a new fundamental particle with immense mass (i.e. WIMPs). Moreover, in order to explain the rotation-curves of galaxies (Figure 29), this massive stuff must—again, on the traditional interpretation of the field equations—be distributed in a certain way: namely, in a massive ‘halo’ around and encompassing the galaxy (Figure 28); a halo which, however, appears to have changed dramatically from the ancient Universe (where galaxies appear to have little dark matter) to today (where they appear to have an immense amount of it) (see Figure 30). Finally, although individual galaxies are thought to have much more dark matter today than in the distant past, the Universe as a whole is thought to contain far less dark matter than in the past (Figure 31). All of this is deeply puzzling—in addition, of course, to the fact that every experimental search for dark matter candidates thus far has turned up empty.

The new interpretation of General Relativity that I have outlined promises to elegantly explain all of the above phenomena in terms of gravity alone. Here is how. Consider first the
Solar System. The Sun’s mass is $1.989 \times 10^{30}$ kg, constituting 99.8 percent of the Solar System’s total mass. The Sun’s diameter is 1.391 million km. The Solar System’s diameter is 149,597,870 km. So, the Sun’s diameter constitutes approximately 9.3% of the Solar System’s diameter while containing nearly all of the Solar System’s mass. Now consider the Milky Way galaxy. On April 20th, 2019 scientists released the first confirmed image of a black hole: an image of the supermassive black hole at the center of our own Milky Way galaxy, Sagittarius A* [85, 91]. Observational estimates indicate that Sagittarius A*’s diameter is about 60 million km [75], and its mass between $3.7 \pm 0.2$ million and $4.31 \pm 0.38$ million solar masses [48-9]. In contrast, the diameter of the Milky Way Galaxy is estimated to be 150-200,000 light years [74], and the total mass of its ordinary baryonic matter approximately 60 billion solar masses [26]. This means that the center of gravity in our Galaxy—the supermassive black hole at its center—constitutes only .00006% of the galaxy’s baryonic mass and only .00000012% of the galaxy’s diameter. This means that the distribution of ordinary matter in solar systems and in galaxies are vastly different in orders of magnitude. In solar systems, ordinary baryonic mass-energy is around 98% *centrally* located (in the star at the solar system’s center), whereas in galaxies the ordinary baryonic mass-energy is *not* centrally located, but instead more *widely distributed* throughout the galaxy. According to Kepler’s Second Law, rotation velocities should *decrease* the further one gets away from the center of gravitational system. In our own Solar System, the outer planets obey this law—but this is *not* what is observed in galaxies. Instead, in galaxies rotation velocities remain broadly ‘flat’ across the entire diameter of a galaxy.

My reinterpretation of the physical significance of the field equations explains this as follows. Let us begin again with how we modeled gravitational attraction in Figure 11, which I reproduce below:
On the new interpretation of the field equations proposed, gravity ‘pulls’ on things, *moving* them through dynamic Euclidean spacetime fabric by *expanding* that fabric around objects with mass-energy, ‘bringing them closer together’ by *reducing the number of spacetime units between them*. This phenomenon results in objects *appearing* to move closer together as if ‘tugged by an invisible force’:

**Figure 11.**

‘Gravitational Force’ as Local Expansion of Dynamic Euclidean Spacetime Fabric

Observed measurements in dynamic spacetime

Now, remember, this is not a theory of motion in general. On the account I am proposing, non-gravitational motion involves objects moving through *absolute Euclidean space*: an objective reference-frame *overlaid* with a second-order dynamic spacetime (Figure 35).
Bearing this in mind, let us now model the *gravitational* affects in different types of systems on objects moving through objective Euclidean space described above. Since mass-energy is highly centrally concentrated in the solar system, my new interpretation of the field equations holds that the expansion of spacetime will accelerate dramatically closer to the Sun, and far less dramatically the further away from the Sun one gets (Figure 36). Further, because on the interpretation of the field equations I propose, gravity ‘moves’ objects by reducing the *number* of spacetime units those objects cross in a given period of time (relative to the number of spacetime units objects in less-expanded spacetime cross), objects moving with velocity around massive objects (e.g. planets revolving around the Sun) will *appear* to local observers to orbit more quickly ‘due to gravity’ the closer they are to the massive object, and more slowly the further they are away (though, again, because gravity expands spacetime, to outside observers *time* will appear to move more slowly on objects closer to massive objects):
Re-Interpretation of Gravitational Motion (Illustrated in a Solar System)\textsuperscript{19}

Exponential acceleration of spacetime expansion varying in inverse-square proportion to with distance from mass-energy.

Mercury
(highly-accelerated expansion by Sun's mass-energy results in dramatically fewer spacetime units to traverse orbit – only 7 units for complete orbit)

Earth
(less-accelerated spacetime expansion than Mercury due to distance from Sun = lesser reduction of spacetime units for complete orbit) – 18 units for complete orbit

Jupiter
(less-accelerated expansion by distance from Sun [viz. inverse-square law] = 28 units for complete orbit)

Pluto
(far-less-accelerated spacetime expansion due to large distance from Sun = much larger number of spacetime units to traverse for full orbit)

Since, on my interpretation of the physical significance of the field equations, ‘gravitation’ is the result of mass-energy \textit{exponentially accelerating the local expansion} of spacetime (viz. an increasing value of Λ as a function of time and distance from a mass-energy source), it follows on my reinterpretation that \textit{general relativity} entails that ‘gravity’ works differently across different spacetime scales (much as in MOND). We can begin to see how as follows.

Look again at Figure 36 on the previous page. We see there that on the reinterpretation of relativity being defended, the Sun’s mass-energy accelerates the local expansion of spacetime more quickly the closer one is to the Sun than the further away one goes. But, as we saw earlier, this results in \textit{the appearance} of ‘gravitational effects’ as a measurement artifact. Just as Einstein’s elevator hurtling \textit{upwards} at an accelerating rate explains the \textit{inverse}, ‘downward pull’ (or ‘pseudo-gravity’) a person in the elevator feels, \textit{the exponential expansion} spacetime (on the reinterpretation of relativity being defended) explains why we measure \textit{the inverse} for objects in spacetime: namely, objects in ‘gravitational fields’ obeying the Inverse Square Law: ‘the gravitational attraction between two point bodies is proportional to the product of their masses and inversely proportional to the square of the distance’ [2]. The two functions here—(A) gravity itself exponentially accelerating the expansion of a second-order, dynamic local spacetime coordinates around objects fixed in an unchanging first-order space, and (B) our \textit{measuring} those objects attracting each other in inverse proportion to the square of their mass and distance—are \textit{two sides of the same coin}. The first function (exponentially accelerated spacetime expansion) is the physical ground of gravitational effects, and the second (the Inverse Square Law of gravitation) the \textit{observed consequences} that the first function has on measurements of objects in spacetime (viz. ‘gravitational effects').
We can see the connection as follows. Here, to begin, is a graphical representation of the Inverse Square Law:

**Figure 37.**

**The Inverse-Square Law**

Next, let us plot a standard inverse-square function geometrically on a Cartesian plane:

**Figure 38.**

**Inverse-Square Function**

\[ I \alpha \frac{1}{r^2} \]

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In the case of gravity, the inverse square function represents an exponential drop of gravitational force the further one moves away from a center of mass-energy. Let us now ask: what is the inverse of this? The answer, of course, is: an exponential increase in quantity the further one moves away from an origin—or very roughly, a logarithmic scale (Figure 39).

**Figure 39.**

*Logarithmic functions*

So, the reconceptualization of relativity this paper defends thus explains the inverse square law of 'gravitational attraction' in terms of its inverse function: mass-energy exponentially accelerating the local expansion of spacetime according to a logarithmic function (see figures 11-22). How does this relate to 'dark matter'? It suggests that the larger a gravitational system is and/or the longer that gravitational system is operating (in spacetime scale), the closer the functional characteristics of the system should appear to approximate an exponential (logarithmic) function. But this is precisely what we see in the rotation curves of very large objects in the nearby universe: namely, galaxies that have existed far longer than galaxies in the distant 'young' universe (Figure 40).

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The implications here are straightforward. In smaller or younger gravitational systems (such as a solar system), gravitational attraction should drop off steeply the further one gets from a center of mass-energy (Figure 41).
However, on the reinterpretation of the relativity being offered, the larger a gravitational system is, the more diffusely its mass-energy is distributed, or the longer a gravitational system has been in operation, the more that system needs to exponentially accelerate the expansion of its second-order local spacetime region to result in ‘gravitational effects.’ This means that larger gravitational systems (such as galaxies) should more closely approximate

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logarithmic effects, particularly the longer they have been around—and since, distant galaxies existed in the very young universe whereas close by galaxies are in the older Universe as it now is, this means that nearby galaxies should approximate a flatter curve—as in:

**Figure 42.**

**Interpretation of Gravity in Older, Larger Gravitational Systems**

![Graph of common logarithm](https://en.wikipedia.org/wiki/Common_logarithm#/media/File:Graph_of_common_logarithm.svg)

**Much larger, older gravitational system (galaxy)** = rapid drop-off of gravitational effects by distance from gravitational center (≈ inverse square law), followed by exponentially larger drop off (‘flatter curve’) due to larger scale and duration.

24 Log 10x image:

So, in larger gravitational systems that have existed longer and where mass is widely distributed (such as nearby galaxies), spacetime be locally expanded (throughout the galaxy) everywhere far from the center at approximately the same level of acceleration (see Figure 43)—which is what is observed: nearby galaxies having ‘flat’ rotation curves.

**Figure 43.**

**New Interpretation of Galactic Gravitation & Rotation Curves (Without Dark Matter)**

‘Flat’ accelerated expansion of spacetime by gravity, resulting in ‘flat’ rotation curves currently taken as evidence for ‘dark matter’.

If this is what gravity is, then we have a ready explanation—without dark matter—for why the rotation curves of nearby spiral galaxies should be flat, but older galaxies less flat. Newton’s inverse square law simply does not hold when mass-energy across a large scale is distributed like it is in galaxies and when such systems have been operating over a long spacetime scale. We do not need the ‘extra mass’ of dark matter to account for any of this. All we need is ordinary visible matter, and to understand gravitational effects in terms of mass-energy locally exponentially accelerating the expansion of space time. And here is the crucial thing: recent
observations of galaxies—which have ‘amazed’ researchers—indicate that galaxy rotation speeds, while ‘flat’, do not match conventional models of mass distributions and dark matter [22-3]. Instead, galaxy rotation speeds have been found to be highly correlated with their ordinary visible matter [79]—just as my reinterpretation of the field equations predicts. It should not be underestimated just how much these recent findings confound dark matter theory, with researchers stating, ‘It’s an impressive demonstration of something, but I don’t know what that something is’ [22]. My reinterpretation of relativity holds that galaxy rotation speeds should be dictated by their ordinary baryonic matter, and that their ‘flat’ rotation curves are not explained by dark matter but instead how gravity accelerates the expansion of Euclidean spacetime fabric—a phenomenon that, on my reinterpretation, should occur throughout galaxies in ‘flat’ manner generated by their diffuse (rather than centralized) distribution of matter. Further, as we have seen, my account explains why galaxies of roughly the same age can appear from Earth to have differential redshifts—as on my reinterpretation of relativity, the redshift of galaxies are not the result of the Universe’s age and expansion, but instead local spacetime expansion around galaxies as a result of gravity, the observed effects of which will differ with the galaxy’s age, total mass-energy, and mass-energy distribution.

Figure 44.

Observed redshifts in Virgo cluster compared to ΛCDM/Hubble’s Law predictions
What about gravitational lensing? Here is the real power of the reinterpretation. As we saw earlier, the bending of light is—on the new interpretation of the field equations I am proposing—is a function of mass-energy expanding dynamic spacetime at an exponentially increasing rate. In a mass-energy system like the solar system—where mass is centrally located—the exponential metric expansion of space occurs primary toward the center of gravity, weakening dramatically the further out one moves away from the central source of gravity. However, according to the interpretation's analysis of galactic gravitation, spacetime expansion is exponentially accelerating across a much wider area: the entire area of the galaxy. This suggests, given the analysis of light’s bending described earlier, that galaxies should appear to bend light more than the inverse-square law suggests—which is what gravitational lensing suggests.

On this interpretation of 'dark matter', there is—obviously—a direct connection to 'dark energy': they are one and the same thing, namely gravity. Gravity accelerates the expansion of spacetime fabric locally around galaxies (thus generating the Hubble redshift taken as evidence of accelerating expansion of the Universe), while local expansion throughout galaxies produces a 'halo' throughout those galaxies where spacetime is expanding at a 'flat' (but exponential rate), thus explaining why galaxies appear to have vastly more mass than they do and why galaxies have the 'flat' rotation curves they do. This unified explanation of the appearance of dark matter and dark energy not only explains them away (without us having to posit any such extra entities); it also explains some astonishing and otherwise unexplained coincidences. First, it explains why galaxies with larger supermassive black holes appear to have more ‘dark matter.’ Dark matter is nothing but gravity, and galaxies with larger supermassive black holes have more gravity. Second, it explains a fascinating coincidence that
arises in the mathematics of Modified Newtonian Dynamics (MOND). In brief, MOND holds that gravity operates differently in slowly accelerating systems like galaxies—where it holds that instead of varying inversely with the square of radius distance, gravity varies inversely simply with radius. There are many outstanding issues with MOND that we need not concern ourselves with here. Let us instead consider a few basic points. Here is MOND’s central equation [78]:

\[ \vec{F} = m \mu \left( \frac{a}{a_0} \right) \vec{a} \]

In this equation, \( F \) is Newtonian force, \( m \) is mass, \( a \) is acceleration, \( \mu \) is an ‘interpolating’ function, and \( a_0 \) a new fundamental constant of nature demarcating the transition between Newtonian and MOND gravity. In other words, this equation describes how gravity (supposedly) operates totally differently in conditions of low acceleration. Of most interest to us here is \( a_0 \). When \( a_0 \) is fit to the observed properties of galaxies, its value turns out to be within an order of magnitude of \( cH_0 \), where \( c \) is the speed of light and \( H_0 \) is the Hubble constant. In other words, MOND’s equations demonstrate that—at least on its alternative theory of gravity—the altered properties of gravity in galaxies is approximately identical in value to the acceleration rate of the universe (viz. \( \Lambda \)). MOND does not provide any account of why this should be so, and as we have seen the standard interpretation of General Relativity does not explain this fascinating coincidence either. This paper’s alternative interpretation of the field equations, on the other hand, explains it directly: the observed accelerated metric-expansion of the Universe (\( \Lambda \)) just is gravity, and the strange behavior of gravity on galactic scales (which MOND attempts to describe without dark matter) just is the consequence of the value that \( \Lambda \) must take on my new interpretation (as I have argued its value must be constantly
increasing, and must be doing so \textit{locally} around objects with mass-energy, such as galaxies).

2.4. Cosmic Inflation as Gravitational Effects of Big Bang ‘White Hole’

Finally, this paper’s reinterpretation of Einstein’s field equations may even explain cosmic inflation. Currently, the dominant theory of the Universe’s history holds that our Universe began from an \textit{infinitely dense point} (i.e. the Big Bang). Following Hawking, who demonstrated that a Big Bang is mathematically equivalent to a time-reversed black hole [55], the Big Bang has been theorized to be a ‘white hole’ (Figure 45) [31].

\textbf{Figure 45.}


Let us now think what this means. The only properties that a black hole has are mass, spin, and charge. If the Universe \textit{is} a time-reversed black hole (i.e. a white hole), then the Big Bang singularity \textit{itself} has an immense (potentially infinite) mass. Consequently, \textit{if} as the present paper has argued gravity itself is mass-energy \textit{accelerating} the metric-expansion of space—
and, as we all know, gravity’s effects lessen with respect to distance via the inverse-square law—then *the acceleration of the metric expansion of space* should be immense just after the Big Bang, but then slow dramatically as mass-energy moves further away from that origin. But this is *precisely* what inflationary theory holds (Figure 46):

**Figure 46.**

*Exponential Early Acceleration of Universe’s Metric Expansion*\(^\text{26}\)

The reinterpretation of the field equations proposed explains why this is so, *and* why exponential inflation in the early Universe has been followed by a ‘flatter’ acceleration curve since then. Because the ‘white hole’ constituting the Big Bang was an object of extreme mass, and on my interpretation of the field equations gravity *just is* mass-energy causing nearby Euclidean spacetime fabric to expand at an accelerated rate, it follows that the near-infinite

\(^{\text{26}}\) Image by the National Science Foundation: https://commons.wikimedia.org/wiki/File:HistoryOfUniverse-BICEP2-20140317.png, retrieved 14 October 2021.
mass-energy of the ‘white hole’ should \textit{exponentially} expand Euclidean spacetime fabric—but, following the inverse-square law, mass-energy’s accelerating effect on space-time expansion should degrade rapidly as energy moves further away, \textit{reducing} its accelerating effects on spacetime expansion dramatically with distance (Figure 47):

\textbf{Figure 47.}

\textit{Early ‘Inflationary Epoch’ of the Universe as the Big Bang’s Gravity Exponentially Accelerating Local Spacetime Expansion} $^{27}$

Could this—that is, \textit{gravity itself}—be the right explanation of exponential inflation in the Universe (rather than some new ‘inflationary field’)? One hint that it may be is the stunning similarity between the \textit{acceleration-expansion curve} of the Universe and the \textit{galactic-rotation curves} thought to be indicative of ‘dark matter’ (Figure 48):

\footnote{27 White hole image: https://i.ytimg.com/vi/upToWCYVnF4/maxresdefault.jpg, retrieved 14 October 2021.}
Figure 48.
A Coincidence Too Big to Ignore?
Big Bang-Inflation Curve Compared to Galactic Rotation Curves

Exponential Inflation in Early Universe
(currently hypothesized as due to an ‘inflation field’)

Galactic rotation curves currently interpreted as ‘dark matter’

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28 Second image (galactic rotation curve) by Mario De Leo – Own Work:
If my reconceptualization of the field equations is correct, this stunning ‘coincidence’ is no coincidence. Gravity, again, is known to obey the inverse-square law, such that the force of gravity (viz. spacetime curvature) is inversely proportional to the square of the distance from the gravitational source (i.e. mass-energy). Further, as we have seen, this law is a measurement artifact generated by mass-energy exponentially accelerating the expansion of spacetime.

**Figure 49.**

*Exponential expansion of spacetime explaining inverse-square relationship*

On my account, then, in galaxies supermassive black holes at the galactic center locally accelerate the expansion spacetime at an exponential rate—exponentially higher than stars do in solar systems—only for the rate of acceleration to slow thereafter (due to distance and the diffusion of mass-energy across galaxies). Similarly, on my reinterpretation of the field equations, the ‘inflationary era’ of the Universe’s spacetime metric *is the very same phenomenon*: the mass-energy of the Big Bang accelerating the expansion of its nearby (‘post-big-bang’) spacetime at an exponential rate, followed by slower acceleration thereafter due to distance (viz. the inverse square law) and the diffuse distribution of mass-energy in the subsequent Universe. On the new interpretation of the field equations, *all* of this—the
Universe’s initial ‘inflation field’, later-emerging ‘dark energy’, and ‘dark matter’—are none of these things: they are just gravity, properly interpreted. Indeed, the match between gravity as exponential expansion of spacetime, galactic rotation curves, and inflation in the early universe is stunning. To begin, compare an exponential function to the rotation curves of nearby galaxies, i.e. galaxies that have been around a long time, rather than ‘baby’ galaxies in the early universe (Figure 50):

**Figure 50.**
**Fit of Gravity-as-Exponential Expansion to Nearby Galactic Rotation Curves**

Now compare a similar (albeit stronger) exponential function to the Big Bang, as it is an exponentially stronger and older gravitational entity (viz. near-infinite mass-energy):

**Figure 51.**
**Fit of Gravity-as-Exponential Expansion to Inflationary Universe**
As we see here, exponential curves fit both phenomena perfectly, and in proportion to their respective mass-energy profiles. This is exactly what one would expect if—as the present paper argues—gravitational effects are simply a measurement artifact of mass-energy locally causing exponential expansion of a second-order space-time.

Finally, there is another point to mention here, which is that my account explains certain mysteries about the concept of a ‘white hole.’ Currently, it is not well-understood how a white hole can occur in nature, as white holes are thought (following Hawking) to be equivalent to time-inverted black holes—leading, obviously, to questions about how time can become inverted in a way that mass-energy can escape the extreme gravitational effects of a singularity. On my reconceptualization of relativity, these problems evaporate. White holes are not time-reversed black holes. The assumption that they are time-reversed is based upon the background hypothesis that the Big Bang expanded spacetime whereas black holes are thought to contract spacetime. On my reinterpretation of relativity, this seeming asymmetry is based upon a conceptual mistake: namely, the failure to see that gravity just is the accelerated metric-expansion of space-time by mass energy. On my account, the Big Bang and ordinary black holes (including supermassive black holes) are fundamentally doing the same thing, and in the same temporal direction: namely, exponentially accelerating the local expansion of spacetime around them in inverse proportion to the square of mass and distance (viz. the Inverse-Square Law). Rather, the difference is that the Big Bang is simply exponentially larger (in terms of total mass-energy) than supermassive black holes, as well as the most distant such object in our observable past. Here, after all, is the standard depiction of a gravitational potential:
Here, in turn, are the gravitational potentials of the Sun, a neutron star, and wormhole, offset against a representation of ‘cosmic inflation’ turned on its side:

**Figure 53.**

The Big Bang as a *Gravity Well*[^30]

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[^29]: Image: AllenMcC.,

its spacetime horizon (viz. the ‘inflationary epoch’ in the early Universe) before these effects rapidly dropped off as the rest of the Universe became further removed from the Big Bang singularity (viz. the Inverse-Square Law). On this reinterpretation of the field equations, the Sun, a neutron star, a black hole, and the Big Bang are all (i) doing exactly the same thing, (ii) in the same direction of time: namely, (iii) exponentially accelerating the local expansion of space-time around them in proportion to their respective amounts of mass-energy, where (iv) these gravitational effects drop off exponentially in inverse proportion to the square of mass and distance. Finally, this can explain away another anomaly. Croker and Weiner [24] argue that when an error in applying general relativity’s field equations to cosmology is corrected, black holes can be understood as surrounded by a thin halo of dark energy (Figure 49).

Figure 49.

Croker & Weiner’s Black Hole Dark Energy Hypothesis

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At this point, I conclude with a rhetorical question. Which of the following two possibilities is more likely at this point, given the history of scientific inquiry?

1. **The status-quo hypothesis**, which holds, based on the traditional interpretation of general relativity’s field equations, that:
   
   a. The Universe is suffused with a *variety of exotic substances* (dark matter, dark energy, an inflation field, etc.) that—much like the *aether, phlogiston, and élan vital*—have *never* been directly observed in any experiment.
   
   b. The amount and properties of these substances have *changed dramatically* over the course of the Universe’s history for some yet-to-be-understood reason.
   
   c. Our current model of the Universe (the ΛCDM model) is broadly correct despite (a) and (b) and the fact that the ΛCDM model itself entails other anomalies, including incorrect recent predictions about the Universe’s observed rate of expansion.

Or,

2. **The reinterpretation of general relativity’s field equations defended in this paper**, which holds that we may explain away all of these cosmological anomalies simply by reinterpreting a central term in the field equations, $\Lambda$, as expressing the fundamental nature of gravity *as* exponentially accelerating the expansion of a second-order Newtonian spacetime fabric overlaid on an absolute spacetime metric, in the manner explained and illustrated in this article.

**Conclusion**

This paper’s reinterpretation of relativity’s physical significance may be misguided. I may have also made mistakes of detail in presenting the interpretation and its various implications.
Nevertheless, I believe we have seen ample conceptual reasons to believe there may be something to it. Physics, again, is in crisis. The ΛCDM model of the cosmos—based on the traditional interpretation of the field equations—is rife with theoretical, explanatory, and predictive problems. Dark energy and dark matter, two central elements of the model, are not only astonishingly strange—supposedly constituting nearly all of the Universe, and changing in proportion from one cosmological moment to the next; every experimental search for them to date has yielded null results. Further, a third new theoretical entity widely invoked in order to explain the Universe’s exponential inflation just after the Big Bang—a so-called inflation field—multiplies theoretical entities even further, despite the fact that no inflation-field has ever been experimentally detected. The alternative interpretation of the field equations I have laid out does away with dark energy, dark matter, and a primordial inflation field, explaining all of the above phenomena in terms of gravity, and gravity in terms of a new interpretation of ‘Λ’: it being the fundamental interaction that mass-energy has on locally accelerating spacetime expansion. We have seen that this new interpretation of relativity holds that gravity does not involve the literal non-Euclidean curvature of spacetime, but instead an accelerated expansion of Euclidean spacetime in a manner that gives rise to observations of ‘spacetime curvature’ (viz. the bending of light, relativistic time and space dilation, etc.) as a measurement artifact generated by the accelerated expansion of a second-order, dynamic Euclidean spacetime fabric against an absolute, first-order Euclidean background. This new interpretation of the field equations may turn out to be incorrect. But, given all of the problems it appears it may be capable of resolving, I submit that the conceptual arguments provided for it warrant further investigation using the specialized methods of mathematical physics.
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