# Particle Revolution Theory 

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#### Abstract

: Jim Sawyer (1948-2018) of Buffalo, New York, challenged the Heisenberg Uncertainty Principle and the current Cloud Theory. He concurred with Einstein that there exists a uniform electromagnetic quantum gravity field (Einstein, 1927). Sawyer independently researched to prove order exists in the universe, and that the locations of atomic particles can be located with high probability. Polyhedral analysis of the Periodic Table of the Elements reveals a geometric pattern that can be used to map the locations of spinning electrons at rest mass. I, Marla Wagner, assisted Sawyer in the development of his theory and now I am continuing to present his theory in his honor.


## Introduction

The inverse meter electron volt is in a constant ratio with the atomic wavelength of the specific element. All of the elements are related to Planck's constant in the following formula: electron volts multiplied by wavelength $\lambda$ equals 1.2398 constant (MIT, 2012). Atomic $z$ as a unit of frequency energy is proportional to the quantum number of spinning electrons for a specific atomic mass. There are exceptions for atomic mass as weight (for example, Cobalt 27 has a greater mass than Nickel 28), which present evidence for the existence of a dual coordinate system. This spinning electron energy constant must originate from a specific atomic nuclear isotope. The frequency of spinning electron rest energy has a nucleon with an equivalent spinning frequency. The sum of the energy for a given atomic element $(z)$ is the sum of spinning energy for all sub atomic particles.

## Particle Revolution Theory

The nucleon-electron force must equal the theoretical photon force (c) that positions an electron on an axis of symmetry. The nucleon force liberating the spinning electron releases at the speed of light and thus becomes a photon. The stable inner electron spinning at a specific frequency of revolution is held by a force equivalent to an electron traveling at the speed of light. When an electron is liberated by another electron, it travels at the constant speed of light (c) and has a frequency based on the revolutions of the spinning electron. The photo polarization of light presents light in rotation as either a right or left circular rotation. This unifies single electron theory with multi-electron theory, a known conundrum.

Sawyer contended that the order of atomic wavelength, specific number of units per shell (Magic Numbers), and Mosley's proportion for atomic number reveal a progressive polyhedral order for electron shell layers related to an increase in frequency. Sawyer contended that the frequency waves are, in actuality, $360^{\circ}$ rotations of spinning electrons on axes of symmetry. The speed of light (c) is equivalent to the energy needed by the nucleus to release an electron from its rest mass.

Electrons are arranged along polyhedral axes of symmetry. They gyrate in place at rest mass, and are paired with an electron opposite the nucleus. This creates the shielding effect. The pairs of electrons are spinning as gyroscopes in one direction; however, two opposing electrons on an axis of symmetry are spinning in opposite directions relative to the central nucleus. This could explain action at a distance. The overall arrangement of the pairs of electrons can be visualized as having polyhedral symmetry,
where each electron is located at either a polyhedral vertex or the center of a polyhedral face.


Figure 1. Quantum loop resembling infinity symbol: red is electromagnetic force radiating from nucleus to a pair of spinning electrons on triangular axes, and green is quantum gravity force returning to nucleus on Cartesian axes.

Sawyer contended the electromagnetic forces of spinning electrons are radiating from the nucleus on four and/or six axes of symmetry and looping to the nucleus as theoretical quantum gravity on three axes of symmetry. This forms a dual coordinate system, balancing between either four axes of symmetry (out) and three axes of symmetry (in), or between six axes of symmetry (out) and three axes of symmetry (in).

The electromagnetic flow is equally balanced between energy radiating from the nucleus to the electron (driving it to gyrate in place at rest mass) and energy returning to the nucleus from the electrons as quantum gravity. This balance in electromagnetic flow is a quantum loop. The internal mechanism for the returning force is based on a combination of a quantum loop gravity (Lee Smolin, 2002) and six- and ten-dimensional string theory (Witten, Edward 2002).


Figure 2. The three axes of symmetry are found between opposite faces of the cube, and also connect opposite vertices of the octahedron (Left). The four axes of symmetry are found between opposite vertices of the cube, when the cube is truncated the four axes connect opposite triangle faces (Middle). The six axes of symmetry are found between opposite vertices of the cuboctahedron. The cuboctahedron is formed from truncating the cube, so the three and four axes are also present in the cuboctahedron.

## The Particle Revolution Periodic Table

This theory provides a better understanding of $\mathrm{Px}, \mathrm{Py}, \mathrm{Pz}$, used in organic chemistry. The spherical packing theory of Linus Pauling numerically agrees with atomic mass numbers for the nuclei of the primary elements of this theory. Sawyer used tetrahedral-octahedral packing for spheroids. The numerical packing of electron shell layers follows the polyhedral geometry presented.

In the first and second orbitals, the electromagnetic forces are acting on the tetrahedral four axes of symmetry. The third orbital shell is acting on cuboctahedral six axes of symmetry. Sawyer contended orthogonal octahedral ligand-type bonding, which is classified as (dz2, and dx2-dy2), is acting without spinning electrons and is bonding at the six
square faces of cuboctahedron. These six square faces of the cuboctahedron are in alignment with the orthogonal three axes of symmetry ( $\mathrm{x}, \mathrm{y}, \mathrm{z}$ ).


Figure 3. Quantum Gravity concentrates along (X, Y, Z) axes where electrons spin at the vertices of the cuboctahedron.

Sawyer contended the 12 electron bonding locations for the Fermi model of Copper are located at the twelve vertices of the cuboctahedron (Choy, J. Naset, et. al, 2000). The model for Carbon 12 is a cuboctahedron (Pauling, 1968). Recognizing the four axes of symmetry of the Carbon atom unlocks the geometry of life itself. The model for Neon 20 is a tetrahedron. Metal clusters such as Au and Pt form cuboctahedral spherical packing structures in shell layers (Wilcoxon, 2006). Metals such as Co, Fe and Ni exhibit properties of shell layer formations in truncated octahedral symmetry (Besley, 1995).

Table 1 shows the culmination of a lifetime of research by Sawyer. Each element is shown as its appropriate polyhedron with electrons in their locations (not to scale). Table 2 details the locations of electrons for each shell layer. This challenges the current theory that we cannot determine the location of atomic particles, and that the electrons occupy a cloud about the nucleus. This Periodic Table places the Lanthanum series back in numerical order within the table. Each element is a highly ordered system, a natural motor.
Table 1: Six-Dimensional Periodic Table of the Elements


Table 2: Description of Shell Layers and Corresponding Polyhedrons

| Elements | Shell <br> Layer | No. of Electrons | $\begin{aligned} & \text { No. of } \\ & \text { Axes } \end{aligned}$ | Polyhedral Location |
| :---: | :---: | :---: | :---: | :---: |
| $\mathrm{H}-\mathrm{He}$ | 1 | 2 | 4 | Tetrahedron |
| $\mathrm{Li}-\mathrm{C}$ | 2 | 4 | 4 | 4 vertices of tetrahedron |
| $\mathrm{Li}-\mathrm{Ne}$ | 2 | 8 | 4 | 8 centroids of octahedron faces, in pairs of 2 |
| $\mathrm{Na}-\mathrm{Si}$ | 3 | 4 | 4 | 4 vertices of tetrahedron (shell $2: 8$ centroids of octahedron faces) |
| $\mathrm{Na}-\mathrm{Ar}$ | 3 | 8 | 4 | 8 centroids of cuboctahedron triangular faces (shell $2: 8$ centroids of octahedron faces) |
| $\mathrm{K}-\mathrm{Zn}$ | 4 | 12 | 6 | 12 vertices of cuboctahedron (shell 3:8 centroids of cuboctahedron triangular faces; shell 2: 8 centroids of octahedron faces) |
| $\mathrm{Ga}-\mathrm{Kr}$ | 4 | 6 | 3 | 6 centroids of cuboctahedron square faces +12 vertices of cuboctahedron (shell 3: 8 centroids of cuboctahedron triangular faces; shell 2: 8 centroids of octahedron faces) |
| $\mathrm{Rb}-\mathrm{Cd}$ | 5 | 12 | 6 | 12 centroids of rhombic dodecahedron rhombus faces (shell 4: 12 vertices of cuboctahedron +6 centroids of cuboctahedron square faces; shell 3: 8 centroids of cuboctahedron triangular faces; shell $2: 8$ centroids of octahedron faces) |
| $\mathrm{Ga}-\mathrm{Xe}$ | 5 | 24 | 6 | 24 vertices of truncated octahedron (shell 4: 12 vertices of cuboctahedron; shell 3: 8 centroids of cuboctahedron triangular faces; shell 2: 8 centroids of octahedron faces) |
| $\mathrm{Cs}-\mathrm{Ba}$ | 6 | 8 | 6 | 8 centroids of cuboctahedron or icosahedron triangle faces in rotation (shell 5: 12 vertices of cuboctahedron +8 centroids of cuboctahedron triangular faces; shell 4: 12 vertices of cuboctahedron; shell $3: 8$ centroids of cuboctahedron triangular faces, shell 2: 8 centroids of octahedron faces) (outer shell could have truncated-rhombic dodecahedron symmetry (3)) |
| $\mathrm{Ce}-\mathrm{Rn}$ | 7 | 32 | 6 | 32 vertices of truncated-rhombic dodecahedron (shell 6: 8 centroids of icosahedron triangles faces in rotation, shell 5: 12 vertices of cuboctahedron +8 centroids of cuboctahedron triangular faces; shell 4: 12 vertices of cuboctahedron; shell $3: 8$ centroids of cuboctahedron triangular faces, shell $2: 8$ centroids of octahedron faces) |
| W-Re | 7 | $12+6$ | 6 | $12+6$ truncated-rhombic dodecahedron (3) (shell $6: 8$ centroids of icosahedron triangles faces in rotation; shell 5: 12 vertices of cuboctahedron +8 centroids of cuboctahedron triangular faces; shell 4: 12 vertices of cuboctahedron; shell $3: 8$ centroids of cuboctahedron triangular faces, shell 2:8 centroids of octahedron faces) |
| $\mathrm{Fr}-\mathrm{U}$ | 7 | 6 | 3 | 6 vertices of octahedron +32 vertices of truncated-rhombic dodecahedron (shell 6: 8 centroids of icosahedron triangles faces in rotation, shell 5: 12 vertices of cuboctahedron +8 centroids of cuboctahedron triangular faces; shell 4: 12 vertices of cuboctahedron; shell 3: 8 centroids of cuboctahedron triangular faces, shell $2: 8$ centroids of octahedron faces) |

## Triangular Coordinate System

Peidong Yang and a team of Berkeley scientists manipulated $\mathrm{Pt} / \mathrm{Pd}$ to produce a growth pattern for nanocrystals from cube to cuboctahedron to octahedron. The scientists determined that there is a dual mechanism involved on triangular planes. Nanocrystals present new evidence that the triangular planes are valid growth directions of atomic space.

The Bose-Einstein Condensate experiment produced equilateral triangular arrays similar to vortex lattices in superconductors (Conradson, 2013; Feder, 2001). This reveals the fundamental existence of triangular lattice structures in nature's atomic particles.

Polyhedrons such as tetrahedron, octahedron, cuboctahedron and icosahedron are found in frustrated geometry. Triangular planes with three-directional number lines are needed to understand the dynamic properties of atomic particles in space.

Roderich Moessner presents the crystal structure of spin ice based on pyrochlore lattice (Moessner, 2005). The ising spins are forced to spin along the four triangular/ hexagonal lattices of the tetrahedron. This structure presents the need to describe the intersection of four
hexagonal lattices found in the cuboctahedron.


Figure 4. Intersection of four hexagonal planes of equilateral triangles. Six vectors (R, S, T, U, $\mathrm{V}, \mathrm{W})$ are shown as the new triangular coordinate system.

Sawyer utilized the algebra of ( $\mathrm{R}, \mathrm{S}, \mathrm{T}, \mathrm{U}, \mathrm{V}, \mathrm{W}$ ) to geometrically represent the edges and axes of symmetry for the primary six-dimensional polyhedrons: tetrahedron, octahedron, cuboctahedron, truncated-octahedron, and truncated rhombic-dodecahedron. This presents a new form of algebra to unify triangular planes, octahedral planes of crystallography (111), frustrated geometry, and kagome and pyrochlore lattice structures.

The cuboctahedron contains both triangular planes and square planes. This presents an opportunity to convert Cartesian coordinates into triangular coordinates.


Figure 5. The square planes of the cuboctahedron labeled with $(\mathrm{X}, \mathrm{Y}, \mathrm{Z})$ and $(\mathrm{R}, \mathrm{S}, \mathrm{T}, \mathrm{U}, \mathrm{V}$, W).

An experiment conducted by NASA formed octahedral salt crystals in zero gravity (NASA, 2014). In outer space, the atomic gravity forces on three axes of symmetry are weaker than the electronegativity forces on six axes of symmetry of sodium chloride $(\mathrm{NaCl})$ crystals. On Earth, atomic gravity forces are stronger on three axes of symmetry, forming cubic salt crystals. This supports the existence of a dual coordinate system between General Relativity and Quantum Gravity.

## The Nucleus

The nucleons are arranged in a tetrahedron-octahedron truss. Particle Revolution Theory integrates Stephen Hawking's twelve spinning quarks (Hawking, 2001) with the cuboctahedron's six axes of symmetry. Hydrogen atom contains one set of spinning quarks, with a central atomic particle. Helium contains two Atomic Mass One (AMO) units. Lithium nucleus contains two internal AMO units and a second shell with a set of three spinning quarks. Beryllium contains two AMO units and two sets of three spinning quarks. Boron contains two AMO units and three sets of three spinning quarks with icosahedral symmetry.


Figure 6. Nuclear models of $\mathrm{Hi}, \mathrm{He}, \mathrm{Li}, \mathrm{Be}, \mathrm{Bo}$ and C
The nuclear model of Boron is an icosahedron with a central octahedron, connected by quantum gravity on ( $\mathrm{x}, \mathrm{y}, \mathrm{z}$ ). Boron has two sets of triple quarks at the vertices of the octahedron, and three sets of triple quarks at nine vertices of the icosahedron. The central atomic particle is shown in red.


Figure 7. Nuclear model of Boron
The arrangement of charges within the network of nucleons is as follows:


Figure 8. Nuclear charge arrangements for triangular planes (above) and square planes (below).

Sawyer developed nuclear models based upon this packing arrangement for Carbon, Oxygen, Fluorine, Neon, Argon, Calcium 43 and 44, Titanium, Manganese, Iron, Nickel, Zinc, Krypton, Barium, Cerium, Neodymium, Platinum, Mercury,

Uranium, Americium, and Californium. He also predicted a man-made element 122 Marlanium.


Figure 9. Nucleus of Krytpon: square planes (left), model (middle), and triangular planes (right).


Figure 10. 122 Nucleus of Marlanium: square planes (left), model (middle), and triangular planes (right).

## Fission in Terms of Particle Revolution Theory

The fission of Uranium 92 produces Barium 56 and Krypton 36 with a mass of approximately 92 units; Uranium has 92 electrons. Sawyer theorized that the slow spinning
alpha-type atomic nucleon particle destabilizes the high frequency Uranium nucleus. The outer 92 AMO and 92 electrons separate from the Uranium nuclear core of 146 nucleons. The 92 quark units re-combine into a polyhedral Krypton 36 AMO. Barium's atomic mass of approximately 146 AMO accepts the 56 electrons. The nuclear AMO must be equivalent to 92 separate Hydrogen 1 atoms. This fission theory recognizes the destabilized 56 Uranium electrons as they return to a stable remaining 146 nucleus, as a transmutation of Barium 56. Sawyer contended the polyhedral geometry produced Barium and Krypton in Lise Meitner's atom splitting experiment (Sime, 1998). The destabilization mechanism involved in the fission of Uranium is related to individual Q units of mass:
238
Ur 92 electrons fission $=$

90 | 92 |
| :---: |
| Kr 36 electrons + |
| 143 |$\quad \mathrm{Ba} 56$ electrons ${ }^{235}$ Ur 92

electrons fission $=$ Cs 37 electrons $+\quad \mathrm{Rb} 55$ electrons
For both reactions, the number of electrons is extremely close to the atomic mass number for $90 \quad 90 \quad 235$
both Kr and Cs . The destabilization of $\quad$ Ur with 92 electrons produces 92 AMO and one nucleus composed of 146 nucleons of Barium 56. The Uranium nucleus, with 92 spinning triple sets of quarks and 92 complimentary electrons, are all simultaneously released $146 \quad 143$
as 92 AMO. The remaining electrons and Uranium nucleons form Ba or Rb , respectively. Sawyer contended the slower spinning Helium nucleus destabilizes the Uranium nucleus by reducing the velocity of spin, thereby releasing all 92 AMO for

Uranium. The remaining 146 nucleons become a new slower spinning nucleus of Ba with 143
56 electrons or Rb with 55 electrons and energy.

## Supernovas in Terms of Particle Revolution Theory

The atomic structure of meteorites reveals the process for a supernova event. The achondrite family of elements has an inter-atomic relationship in the early stages of a supernova event. The Willimette meteorite in the Hayden Planetarium has a nickel-iron composition with large holes where nuclear fusion of $\mathrm{Fe} 26+\mathrm{Ni} 28$ could have yielded Xe 54 in a supernova star.

The nuclear fusion of four Hydrogen atoms into one Helium molecule is the fuel for young stars. The chemical elements Aluminum, Silicon, Oxygen, and Manganese are part of star formation that potentially leads to a supernova event. Sawyer predicted that during a supernova event, Xe 54 is produced at the center from the fusion of Fe 26 and Ni 28. Gas formation results in the 22.4 volume increase, which explains the huge force behind a supernova event. The cuboctahedron model could complete the explanation of nucleosynthesis, the strong force between protons and neutrons or quarks. The nuclear fusion sequence utilizes the alpha process for a supernova event, and evolves from the formation of a star core primarily based on Silicon and Sulfur. The fusion continues to fuse in the following sequence (Wikipedia, 2015):
$1428 \mathrm{Si}+24 \mathrm{He} \rightarrow 1632 \mathrm{~S}$
$1632 \mathrm{~S}+24 \mathrm{He} \rightarrow 1836 \mathrm{Ar}$
$1836 \mathrm{Ar}+24 \mathrm{He} \rightarrow 2040 \mathrm{Ca}$

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2040Ca + 24He}->2244T
2244Ti}+24\textrm{He}->2448\textrm{Cr
2448\textrm{Cr}+24He}->2652\textrm{Fe
2652Fe}+24H\textrm{He}->2856\textrm{Ni
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Sawyer contended that the final two stages of the Helium fusion produces:
$2652 \mathrm{Fe}+2856 \mathrm{Ni}+224 \mathrm{He} \rightarrow 54116 \mathrm{Xe}+$ meteorites + energy

## Conclusion

The Particle Revolution Periodic Table can be used to discover more sustainable sources of fuel, and to access much more energy from much less material. It was Sawyer's hope, and it continues to be my hope, that a new era of technology develops as a result of this finding. If this new technology is modeled after the geometry of the atom, it may provide solutions to current problems such as global warming.

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