## Conjecture on odd semiprimes which are Harshad numbers that relates them with 2-Poulet numbers

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Abstract. In a previous paper I conjectured that for any largest prime factor of a Poulet number p1 with two prime factors exists a series with infinite many Poulet numbers p2 formed this way: p2 mod (p1 - d) = d, where d is the largest prime factor of p1 (see the sequence A214305 in OEIS). In this paper I conjecture that for any least prime factor of an odd Harshad number h1 with two prime factors, not divisible by 3, exists a series with infinite many Harshad numbers h2 formed this way: h2 mod (h1 - d) = d, where d is the least prime factor of p1.

## Conjecture:

For any least prime factor of an odd Harshad number hl with two prime factors, not divisible by 3, exists a series with infinite many Harshad numbers h2 formed this way: h2 mod (h1 - d) = d, where d is the least prime factor of pl.

Note: see the sequence A214305 posted by me in OEIS to see a related conjecture on Poulet numbers with two prime factors.

## The sequence of the odd Harshad semiprimes not divisible by 3:

: 209, 247, 407, 481, 511, 629, 803, 1141, 1387, 1417, 1651, 1679, 1853 (...)

## Examples:

:	for $h1 = 209 = 11*19$ we have the	following	Harshad
	numbers h2 of the form 198*n + 11:		
	: 407, 605, 803 ();		
:	for $h1 = 247 = 13*19$ we have the	following	Harshad
	numbers h2 of the form $234*n + 13$ :		
	: 481, 715, 1183 ();		
:	for $h1 = 481 = 13*37$ we have the	following	Harshad
	numbers h2 of the form $468*n + 13$ :		
	: 1417, 2353, 2821 ();		
:	for $h1 = 511 = 7*73$ we have the	following	Harshad
	numbers h2 of the form $504*n + 7$ :		
	: 1015, 2023, 3031 ();		

:	for $h1 = 629 = 17*37$ we have the	following	Harshad
	numbers h2 of the form $612*n + 17$ :		
	: 1853, 2465, 3077 ();		
:	for $h1 = 1387 = 19*73$ we have the	following	Harshad
	numbers h2 of the form $1368*n + 19$ :		
	: 2755, 5491, 8227 ();		
:	for $h1 = 1417 = 13*109$ we have the	following	Harshad
	numbers h2 of the form $1404*n + 13$ :		
	: 2821, 4225, 7033 ();		
:	for $h1 = 1651 = 13*127$ we have the	following	Harshad
	numbers h2 of the form $1638*n + 13$ :		
	: 8203, 13117, 18031 ();		
:	for $h1 = 1679 = 23*73$ we have the	following	Harshad
	numbers h2 of the form $1656*n + 23$ :		
	: 4991, 6647, 14927 ();		
:	for $h1 = 1853 = 17*109$ we have the	following	Harshad
	numbers h2 of the form $1836*n + 17$ :		
	: 5525, 7361, 14705 ().		