# IFA - Owari - Adinkra - Clifford (Giza) - Llull - Lukasa origins of E8-Cl(16) Physics 

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## IFA

At least as far back as 12,000 years ago, Africans had developed IFA Oracle divination based $256=2^{\wedge} 8$ elementary states known as the 256 Odu

One IFA way to choose among the $2^{\wedge} 8$ Odu possible states is to cast an Opele Chain ( image from Folkcuba.com web site )

of 8 shells that when cast can land either up or down.
Since the number of sub-hypercubes in an 8 -dimensional hypercube is $6,561=81 \times 81=3^{\wedge} 8$, the IFA Oracle has $\mathrm{N}=8$ ternary 3 -structure as well as binary 2 -structure:

```
N 2^N 3^N
0
1
2
3
4
5
6
7
8 256 = 16x16
2 1 8 7
\(3^{\wedge} \mathrm{N}\)

\section*{Owari}

The ancient African game Owari is described by Ron Eglash (in his book "African Fractals" (Rutgers 1999) and on his web site at www.csdt.rpi.edu): "... the owari marchinggroup system can be used as a one-dimensional cellular automaton ...

... transients of many different lengths can be produced. ... the constant pattern is called a "point attractor", and the transients would be said to lie in the "basin of attraction". IFA binary 2 -structure corresponds to static states.
IFA ternary 3-structure corresponds to dynamic states.
Owari uses binary 2-choice IFA static states to define dynamics on ternary neighbor IFA states
producing the 256 elements of Elementary Cellular Automata

( image from "A New Kind of Science" by Stephen Wolfram ) which correspond to the 256 Odu of IFA.

\section*{Adinkra}

According to The Oxford Encyclopedia of African Thought, Vol. 1, by F. Abiola Irele and Biodun Jeyifo, "... Adinkra are visual forms that ... integrate striking aesthetic power, evocative mathematical structures, and philosophical conceptions ...
[lts] cosmic framework is suggested by the Adinkra symbol Gye Nyame ..
meaning ...
"This great panorama of creation dates back to time immemorial, no one lives who saw its beginning
and no one will live to see its end, except Nyame ...". ...".

looks like an Opele Chain


Gates and co-authors Doran, Faux, Hubsch, Iga, Landweber, and Miller in arxiv 0806.0050 [hep-th] said: "... Adinkras are directed graphs ...

The fundamental example of an Adinkra topology is that of the N -cube, \(I^{\wedge} N=[0 ; 1] N\). It has \(2^{\wedge} N\) vertices and \(N \times 2^{\wedge}(\mathrm{N}-1)\) edges.
We may embed it in \(\mathrm{R}^{\wedge} \mathrm{N}\) by locating the vertices at the points \(\mathrm{p}=(\mathrm{p} 1, \ldots, \mathrm{pN})\) in \(\mathrm{R}^{\wedge} \mathrm{N}\), where \(\mathrm{pl}=0\) or 1 in all \(2^{\wedge} \mathrm{N}\) possible combinations. ...
For every vertex, \(p\), the weight of \(p\), written \(w t(p)\), equals the number of J in \(\{1, \ldots, \mathrm{~N}\}\) for which \(\mathrm{pJ}=1 \ldots\)
As the weights of the vertices are either odd or even, we color them either black or white, respectively ..
We associate the numbers from 1 to N with N different colors ...
The result is called the colored N -cube. ...

We now construct ... MI^Ncubic ... Adinkras ... called Top Clifford Algebra superfields ... let \(\mathrm{N}=3\)...


Gates and co-authors Doran, Faux, Hubsch, Iga, Landweber, and Miller in arxiv 0811.3410 [hep-th] said:
"... Herein, we relate Adinkras to Clifford algebras ...
The extreme example is when the Adinkra is one-hooked, that is, there is only one vertex \(v\) of lowest engineering dimension, and that this is the unique vertex having all its adjacent edges oriented away from it ...
In the one-hooked case ... there is only one Adinkra possible, with only one Adinkra topology, and with only one doubly even code capable of describing it. ... Here is an example of a hypercube \(\mathrm{I}^{\wedge} 4\) topology ...

...".
G. D. Landweber's 2006 program Adinkramat at http://www.cohomology.com/ produces Adinkra graphs of \(\mathrm{MI}^{\wedge}\) Ncubic, such as
\(\mathrm{N}=8\) of real Clifford Algebra \(\mathrm{Cl}(8)\) with 28 -dim grade \(2=\operatorname{Spin}(8)\) and graded structure \(1+8+28+56+70+56+28+8+1\) with \(2^{\wedge} 8=256\) elements corresponding to the 256 Odu and sqrt(256) \(=16\)-dim spinors \(=8\)-dim + half-spinors and 8 -dim -half-spinors


The \(2^{\wedge} 8=16 \times 16=156\) elements of \(\mathrm{Cl}(8)\) correspond directly to: the 256 vertices of an 8-dim hypercube; the 256 Odu of IFA Divination; the 256 fundamental Cellular Automata, which inherit the graded structure
\(\begin{array}{lllllllll}1 & 8 & 28 & 56 & 70 & 56 & 28 & 8 & 1\end{array}\)

\section*{Clifford (Giza)}

Adinkras show how the 256 Odu of IFA have the structure of the 256-dimensional Real Clifford Algebra \(\mathrm{Cl}(8)\) which is the algebra of \(16 \times 16\) Real Matrices
and whose full spinors, corresponding to columns or rows of the matrices, are 16-dimensional.
IFA recognizes the fundamental importance of those 16 dimensions by personifying the 16 as the 16 Orishas
\begin{tabular}{lll}
0000 & 0 Ogbe & - light - birth of Orunmila (wisdom) \\
0001 & 1 Osa & - overcome fear \\
0010 & 2 Otura & - govern wisely \\
0011 & 3 Owonrin & - weather storm \\
0100 & 4 Irete & - if you refuse to sacrifice something, \\
& & you may lose it anyway \\
0101 & 5 Ofun & - Oludumare creates Earth, the Odu, \\
& & the Orishas, and humans \\
0110 & 6 Edi & - watch out for obstacles \\
0111 & 7 Okanran & - follow plans \\
1000 & 8 Ogunda & - Ogun - use technology wisely \\
1001 & 9 Iwori & - ask diviner for advice \\
1010 & 10 Ose & - truth protects good and destroys evil \\
1011 & 11 Oturopon & - raise children well \\
1100 & 12 Irosun & - crouch and wait and plan \\
1101 & 13 Ika & - you reap what you sow \\
1110 & 14 Obara & - cooperate (each hand washes the other) \\
1111 & 15 Oyeku & - dark - Oludumare's Earthly creations
\end{tabular}

Clifford Algebras were not known to European mathematicians until Clifford in the 19th century and not known to European physicists until Dirac in the 20th century but it seems to me that their structure was known to Africans in ancient times. For example, the courses of the Great Pyramid of Giza correspond to the graded structure of \(\mathrm{Cl}(8)\) :

(image adapted from David Davidson image - for larger size see tony5m17h.net/GreatPyrCl8.png )

Further, IFA identifies the 256 Odu with \(16 \times 16\) pairs of the 16 Orishas corresponding to the \(16 \times 16\) matrix


Real Clifford Algebras have the property of 8-periodicity so that \(\mathrm{Cl}(\mathrm{N} 8)=\mathrm{Cl}(8) \times \ldots\) ( N times tensor product \() \ldots \times \mathrm{Cl}(8)\)
meaning that all Real Clifford Algebras, no matter how large, have fundamental underlying \(\mathrm{Cl}(8)\) structure.

In particular:
\[
\begin{gathered}
\mathrm{Cl}(16)=\mathrm{Cl}(8) \times \mathrm{Cl}(8) \\
120 \mathrm{Cl}(16) \text { bivectors }= \\
=(28 \mathrm{Cl}(8) \text { bivectors } \times 1)+(1 \times 28 \mathrm{Cl}(8) \text { bivectors })+(8 \mathrm{Cl}(8) \text { vectors } \times 8 \mathrm{Cl}(8) \text { vectors }) \\
64+64+64+64=128+128=256 \mathrm{Cl}(16) \text { spinors }= \\
=(8 \mathrm{Cl}(8)+\text { half-spinors } \times 8 \mathrm{Cl}(8)+\text { half-spinors })+(8 \mathrm{Cl}(8)+\text { half-spinors } \times 8 \mathrm{Cl}(8) \text {-half-spinors })+ \\
+(8 \mathrm{Cl}(8) \text {-half-spinors } \times 8 \mathrm{Cl}(8) \text {-half-spinors })+(8 \mathrm{Cl}(8) \text {-half-spinors } \times 8 \mathrm{Cl}(8)+\text { half-spinors })
\end{gathered}
\]

\section*{Llull}

Ramon Llull (1232-1316) of Mallorca lived in a time and place of a unique confluence of Islamic, Christian, and Jewish mystical ideas on a Mediterranean island between Iberia and Africa so he was exposed to ideas including Islamic 16 -element IIm al Raml derived from African 256 -element IFA, Christian-Crusader Troubadour 78-element Tarot, Jewish Urim v'Thummim system revealed to Moses for decoding the 72 letters on the 12 stones of the Breastplate of Judgment, and
he was able to travel easily to Africa, the home of 256 -element IFA.
Anthony Bonner in his book "The Art and Logic of Ramon Llull" (Brill 2007) says:
"... Ramon Llull ... grew up in ... Majorca ... conquered [by] ... the Catalans ...
where Muslims ... occupied perhaps a third of the population, and where Jews ... were culturally important ...
he decided to ... write a book ... directed towards the conversion of the Muslims and Jews ... and settled down to nine years of study, during which he bought an Arab slave so as to learn his language and culture ... [his] autobiograhphy ... has ... gaps, as for instance what he actually studied beside the Arabic language during his nine years of formation ... In about 1283 Llull remodeled his system with the Ars demonstrativa ... Llull's description ... "This First Figure is circular, with A in the center ...

... [It] is made up of sixteen compartments, with ... lines extending from one compartment to another ... In these compartments are written the sixteen dignitaries we understand to exist in God" ...
... The First Elemental Figure ... consists of four quadrangles ...

The Figure of Fire (beas)
\begin{tabular}{|c|c|c|c|}
\hline Ere & alir & wiser & carth \\
\hline sir & Ere & carth & wakcr \\
\hline Winar & earti & fre & U17 \\
\hline carth & water & tir &  \\
\hline
\end{tabular}

The Figure of Air (moistars)
\begin{tabular}{|c|c|c|c|}
\hline nir & fire & wner & carth \\
\hline Ere & sir & earth & watar \\
\hline water & ewth & air & fire \\
\hline carth & water & firs & air \\
\hline
\end{tabular}

The Pigure of Earth (dryness)
\begin{tabular}{|c|c|c|c|}
\hline march & wxter & air & fire \\
\hline watsr & couth & \(f 6\) & air \\
\hline air & fire & earh & water \\
\hline fre & air & walcr & carth \\
\hline
\end{tabular}

Elemental Figure
... of sixteen compartments each ...".

The 16 dignitaries correspond to the 16 Orishas of IFA.

The 120 lines correspond to the 120 bivectors of the \(\mathrm{Cl}(16)\) Clifford Algebra.
The \(4 \times 16=64\) elements of an Elemental Figure correspond to the 64 elements of each of the 64-element components of the \(\mathrm{Cl}(16)\) spinors:
\[
\begin{aligned}
& \text { ( } 8 \mathrm{Cl}(8) \text { +half-spinors x } 8 \mathrm{Cl}(8)+\text { half-spinors ) } \\
& \text { ( } 8 \mathrm{Cl}(8) \text {-half-spinors } x 8 \mathrm{Cl}(8) \text {-half-spinors ) } \\
& \text { ( } 8 \mathrm{Cl}(8)+\text { half-spinors x } 8 \mathrm{Cl}(8) \text {-half-spinors ) } \\
& \text { ( } 8 \mathrm{Cl}(8) \text {-half-spinors x } 8 \mathrm{Cl}(8)+\text { half-spinors ) }
\end{aligned}
\]

The 120 bivectors of \(\mathrm{Cl}(16)\)
and
the \(128=64+64=\)
\(=(8 \mathrm{Cl}(8)+\) half-spinors \(\times 8 \mathrm{Cl}(8)+\) half-spinors \()+(8 \mathrm{Cl}(8)\)-half-spinors \(\times 8 \mathrm{Cl}(8)\)-half-spinors \()=\)
\(=\) half-spinors of \(\mathrm{Cl}(16)\)
combine to form the 248-dim E8 Lie Algebra as it lives inside \(\mathrm{Cl}(16)\).

\section*{Lukasa}

Evans Harrell in "Mathematical understandings of Africa" (Georgia Tech 2014) says: "... lukasa memory board: A sort of map including history and personal and political relationships ... The understanding of a lukasa board has been (mostly) lost.

Can we use math to bring some of it back?".

Acording to Wikipedia: "... The lukasa fulfilled many mnemonic functions ... There were three distinct categories of lukasa ...

First, the lukasa Iwa nkunda, "the long hand of the pigeon," bears information on mythical heroes and early rulers and on the mythical migration routes of the Luba. Second, the lukasa Iwa kabemba, "the long hand of the hawk," is concerned with the organization of the Mbudye society.

A third type of memory board was created for the use of individual Luba rulers and contained secret information about divine chiefship. No examples of this type, referred to as the lukasa Iwa kitenta, "the long hand of the sacred pool,"' still exist. ...".

The First and Second types are somewhat like this example from Thomas Q. Reefe's paper "Lukasa: A Luba Memory Device" (African Arts 10, no. 4 (1977):


As to the Third type, the long hand of the sacred pool, my view is that it includes maps of states of E8 Physics as embedded in \(\mathrm{Cl}(16)\), such as physical interpretations of the 240 Root Vectors of E8. For example, here is a 2-dim view of a 3-dim cube-type representation of the 240 E8 Root Vectors

and

\(E=\) electron, \(\mathrm{UQr}=\) red up quark, \(\mathrm{UQg}=\) green up quark, \(\mathrm{UQb}=\) blue up quark \(\mathrm{Nu}=\) neutrino, \(\mathrm{DQr}=\) red down quark, \(\mathrm{DQg}=\) green down quark, \(\mathrm{DQb}=\) blue down quark
\[
P=\text { positron, aUQar = anti-red up antiquark, }
\]
aUQag = anti-green up antiquark, aUQab = anti-blue up antiquark
aNu = antineutrino, aDQar = anti-red down antiquark, \(a D Q a g=\) anti-green down antiquark, \(a D Q a b=\) anti-blue down antiquark
Each Lepton and Quark has 8 components with respect to 4+4 dim Kaluza-Klein
6 orange \(\operatorname{SU}(3)\) and 2 orange \(\operatorname{SU}(2)\) represent Standard Model root vectors
\(24-6-2=16\) orange represent \(U(2,2)\) Conformal Gravity Ghosts
12 yellow \(\operatorname{SU}(2,2)\) represent Conformal Gravity \(\operatorname{SU}(2,2)\) root vectors
\(24-12\) = 12 yellow represent Standard Model Ghosts
\(32+32=64\) blue represent \(4+4 \mathrm{dim}\) Kaluza-Klein spacetime position and momentum


A realistic generalized hyperfinite von Neumann factor AQFT is constructed by taking the completion of the union of all tensor products of \(\mathrm{Cl}(16)\) containing E8, which process is assured by 8-Periodicity of Real Clifford Algebras.

For details of how this works, see viXra 1508.0157.

In summary:
African IFA, Owari, Adinkra, Clifford (Giza), and Llull give math for E8-Cl(16) Physics that is realistically described by Lukasa maps.```

