Is Nature fundamentally continuous or discrete, and how can these two different but very useful conceptions be fully reconciled? -expanded version, with all details-

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Abstract

Our contention, is that reality is actually analog, but that at a critical limit, as when the Octonian gravity condition kicks in, that for a time it is made to appear discrete. This due to an initial phase transition just at the start of the big bang. Our second consideration is, that symmetry breaking models, i.e. the Higgs boson are in themselves not appropriate or necessary for the formation of particles with mass just before Octonionic gravity which could arise in pre Planckian physics models without a potential. Finally, that the necessity of potentials for pre Octonionic gravity physics can be circumvented via judicious use of Sherrer k essence physics.

Introduction

Our presentation takes note of several developments. First of all a feed into cosmological vacuum energy has been modeled, and that we have ideas as to how to inter relate four and five dimensional vacuum energies. Secondly, a mechanism for the onset of Octonian gravity is stated, as a consequence as to a build up of a peak temperature for its inception, at the time space time flattens. The onset of pre Octonionic gravity, with tiny masses associated with gravitons, is in line with Quantum mechanics as embedded within a larger, non linear classical theory (i.e. go to the Pilot Model, to get an idea of what is involved. That plus t’Hoofts deterministic quantum mechanics construction) Thirdly, we suggest that the transition from highly curved space time, which is pre Octonionic gravity, i.e. Non quantum state, to quantum state, is due to a chaotic mapping which we present in this document. That chaotic mapping also has that there would be up to Planckian space time an explosion of the degrees of freedom. I.e. this degree of freedom explosion would be where we obtain quantum dynamics. Thermal inputs for the push to quantum dynamics are the first topic brought up for our perusal of this document.

Vacuum energy, sources and commentary

Begin first with looking at different value of the cosmological vacuum energy parameters, in four and five dimensions [1]

\[ |\Lambda_{5-\text{dim}}| \approx c_1 \cdot \left(\frac{1}{T^\alpha}\right) \]

(1)

in contrast with the more traditional four-dimensional version of the same, minus the minus sign of the brane world theory version. The five-dimensional version is actually connected with Brane theory and higher dimensions, whereas the four-dimensional version is linked to more traditional De Sitter space-time geometry, as given by Park (2003) [2]

\[ \Lambda_{4-\text{dim}} \approx c_2 \cdot T^\beta \]

(2)

If one looks at the range of allowed upper bounds of the cosmological constant, the difference between what Barvinsky (2006) [3] recently predicted, and Park (2003) [2] is:
\[ \Lambda_{4\text{-}dim} \propto c_2 \cdot T^\beta \rightarrow \text{graviton production at}\ t(\text{Planck}) \rightarrow 360 \cdot m_p^2 \ll c_2 \cdot \left[ T \approx 10^{32} K \right]^\beta \]  

Right after the gravitons are released, one still sees a drop-off of temperature contributions to the cosmological constant. Then one can write, for small time values \( t \approx 3^1 \cdot t_p, \) \( 0 < \delta^1 \leq 1 \) and for temperatures sharply lower than \( T \approx 10^{12} \text{ Kelvin} \), Beckwith (2008), where for a positive integer \( n \) [4]

\[ \frac{\Lambda_{4\text{-}dim}}{\Lambda_{5\text{-}dim}} \approx 1 \approx \frac{1}{n} \]  

If there is an order of magnitude equivalence between such representations, there is a quantum regime of gravity that is consistent with fluctuations in energy and growth of entropy. An order-of-magnitude estimate will be used to present what the value of the vacuum energy should be in the neighborhood of Planck time in the advent of nucleation of a new universe. The significance of Eq (4) is that at very high temperatures, it reinforces what the author brought up with Tigran Tchrakian, in Bremen, [5] August 29th, 2008. I.e., one would like to have a uniform value of the cosmological constant in the gravitating Yang-Mills fields in quantum gravity in order to keep the gauges associated with instantons from changing. When one has, especially for times \( t_1, t_2 < \text{Planck time} \ t_p \) and \( t_1 \not= t_2 \), with temperature \( T(t_1) \not= T(t_2) \), then \( \Lambda_4(t_1) \not= \Lambda_4(t_2) \). I.e., in the regime of high temperatures, one has \( T(t_1) \not= T(t_2) \) for times \( t_1, t_2 < \text{Planck time} \ t_p \) and \( t_1 \not= t_2 \), such that gauge invariance necessary for soliton (instanton) stability is broken [5]. That breaking of instanton stability due to changes of \( \Lambda_4(t_1) \not= \Lambda_4(t_2) \) will be our point of where we move from an embedding of quantum mechanics in an analog reality, to the quantum regime. I.e. as one reaches to high temperature, analog reality mimics digital quantum mechanics. Let us now look at different characterizations of the discontinuity, which is the boundary between analog reality, and Octonian gravity. First of all, one can look at scale factor evolution.

What leads to causal discontinuity in scale factor evolution?

The Friedmann equation [19] for the evolution of a scale factor \( a(t) \),

\[ (\dot{a}/a)^2 = \frac{8\pi G}{3} \left[ \rho_{\text{rel}} + \rho_{\text{matter}} \right] + \frac{\Lambda}{3} \]  

suggests a non-partially ordered set evolution of the scale factor with evolving time, thereby implying a causal discontinuity. The validity of this formalism is established by rewriting the Friedman equation as follows: \( a(t^*) < l_p \) for \( t^* < t_p \) = Planck time, and \( a_0 = l_p \), for a discrete equation model of Eq (6) [4]

\[
\left[ \frac{a(t^* + \delta t)}{a(t^*)} \right] - 1 < \left[ \frac{\delta t \cdot l_p}{\sqrt{3/8\pi\Lambda}} \right] \left[ \frac{1}{24\pi \cdot a^3(t^*)} + \frac{1}{\Lambda} \left[ (\rho_{\text{rel}})_0 \cdot a^4_0 \cdot a^4(t^*) + (\rho_m)_0 \cdot a^3_0 \cdot a^3(t^*) \right] \right]^{1/2} 
\]

\[
\delta t \rightarrow e^{\epsilon}, \Lambda \not= 0, a \not= 0 \rightarrow \left\{ \begin{align*}
\delta t \cdot \left[ l_p / a(t^*) \right] \cdot \left( \frac{(\rho_{\text{rel}})_0 a^4_0}{a^4(t^*)} + \frac{(\rho_m)_0 a^3_0}{a^3(t^*)} \right) & \approx e^{\epsilon} \ll 1 
\end{align*} \right.
\]
So in the initial phases of the big bang, with very large vacuum energy \( \neq \infty \) and \( a(t^*) \neq 0, 0 < a(t^*) < 1 \), the following relation, which violates (signal) causality, is obtained for very small fluctuation \( a(t^*) < l_p \) for \( t^* < t_p = \text{Planck time} \), and \( a_0 \neq l_p, a_0 > l_p \), which indicates that [6]

\[
\rho_{\text{rel}} \equiv \left( \frac{a_{\text{present-era}}}{a(t)} \right)^4 \cdot \left( \rho_{\text{rel}} \right)_{\text{present-era}} \tag{7}
\]

And

\[
\rho_m \equiv \left( \frac{a_{\text{present-era}}}{a(t)} \right)^3 \cdot \left( \rho_m \right)_{\text{present-era}} \tag{8}
\]

Using the above equation creates the following as plausible estimates, which can be reviewed, as needed.

For large, but not infinite temperatures, and for \( \Lambda \sim c_i T^\alpha \) [4]

\[
\left( \frac{\delta t}{\sqrt[3]{3/8\pi}} \right) \cdot \frac{\left( \rho_{\text{rel}} \right)_0 a_0^4}{a^4(t^*)} + \frac{\left( \rho_m \right)_0 a_0^3}{a^3(t^*)} \approx 10^{-45} \cdot 10^1 \cdot \sqrt{10^{60}} \approx 10^{-4} << 1 \tag{9}
\]

If we examine what happens with \( |\Lambda_{4-\text{dim}}| \sim c_i T^{-\beta} \)

**TABLE 1**

**Cosmological \( \Lambda \) in 5 and 4 dimensions [4]**

<table>
<thead>
<tr>
<th>Time ( 0 \leq t \ll t_p )</th>
<th>Time ( 0 \leq t &lt; t_p )</th>
<th>Time ( t \geq t_p )</th>
<th>Time ( t &gt; t_p ) → today</th>
</tr>
</thead>
<tbody>
<tr>
<td>[</td>
<td>\Lambda_5</td>
<td>\text{ undefined}, ]</td>
<td>[</td>
</tr>
<tr>
<td>( T \approx e^+ \rightarrow T \approx 10^{32} K )</td>
<td>( \Lambda_{4-\text{dim}} \approx \text{extremely large} )</td>
<td>( T \text{ much smaller than } 10^{12} K )</td>
<td>( \Lambda_{4-\text{dim}} \approx \text{constant} )</td>
</tr>
<tr>
<td>( \Lambda_{4-\text{dim}} \approx \text{almost } \infty )</td>
<td>( 10^{32} K &gt; T &gt; 10^{12} K )</td>
<td>( T \approx 10^{12} K )</td>
<td>( T \approx 3.2 K )</td>
</tr>
</tbody>
</table>

For times \( t > t_p \) → today, a stable instanton is assumed, along the lines brought up by t’Hooft [7], due to the stable \( \Lambda_{4-\text{dim}} \approx \text{constant} \sim \text{very small value, roughly at the value given today} \). This assumes a radical drop-off of the cosmological constant for, say right after the electroweak transition. This would be in line with Kolb’s assertion of the net degrees of freedom in space-time drop from about 1000 to less than two, especially if \( t > t_p \) → today in terms of the value of time after the big bang. The supposition we are making here is that the value of \( N \) so obtained is actually proportional to a numerical graviton density we will refer to as \( \langle n \rangle \), provided that there is a bias toward HFGW, which would mandate a very small value for \( V \approx R_n^3 \approx \lambda^3 \). Furthermore, structure formation arguments, as given by Perkins [8] give ample evidence that if we use an energy scale, \( m \), over a Planck mass value \( M_{\text{Planck}} \), as well as contributions from field amplitude \( \phi \), and using the contribution of scale factor behavior \( \frac{\dot{a}}{a} \equiv H \approx -m \cdot \frac{\phi}{3 \cdot \phi} \), where we assume \( \dot{\phi} \approx 0 \) due to inflation.
\[
\frac{\Delta \rho}{\rho} \sim H \Delta t \sim \frac{H^2}{\phi} \sim \left( \frac{m}{M_{\text{Planck}}} \right) \times \left( \frac{\phi}{M_{\text{Planck}}} \right) \sim 10^{-5}
\]

(10)

At the very onset of inflation, \( \phi \ll M_{\text{Planck}} \), and if \( m \) (assuming \( \hbar = c = 1 \)) is due to inputs from a prior universe, we have a wide range of parameter space as to ascertain where \( \Delta S \approx \Delta N_{\text{gravitons}} \approx 10^{88} \) comes from and plays a role as to the development of entropy in cosmological evolution. In the next Chapter, we will discuss if or not it is feasible / reasonable to have data compression of prior universe ‘information’. It suffices to say that if \( S_{\text{initial}} \sim 10^5 \) is transferred from a prior universe to our own universe at the onset of inflation, at times less than Planck time \( t_p \sim 10^{-44} \) seconds, that enough information MAY exit for the preservation of the prior universe’s cosmological constants, i.e. \( \hbar, G, \alpha \) (fine structure constant) and the like. We do not have a reference for this and this supposition is being presented for the first time. Times after after \( t = 10^{-44} \) are not less important. But that the ‘constant’s memory’ is already imprinted in the universe, so to speak. I.e. a memory transfer is implied as far as being transferred from the beginning. Confirmation of this hypothesis depends upon models of how much ‘information’ \( \hbar, G, \alpha \) actually require to be set in place, at the onset of our universe’s inflation, a topic which we currently have no experimental way of testing at this current time.

Consider now what could happen with a phenomenological model bases upon the following inflection point i.e. split regime of different potential behavior

\[
V(\phi) = g \cdot \phi^a
\]

(13)

De facto, what we come up with pre, and post Planckian space time regimes, when looking at consistency of the emergent structure is the following. Namely by adjusting what is done by Weinberg we have [14],

\[
V(\phi) \propto \phi^{4|1|} \quad \text{for} \quad t < t_{\text{Planck}}
\]

(14)

Also, we would have

\[
V(\phi) \propto \phi^{4|1|} \quad \text{for} \quad t >>> t_{\text{Planck}}
\]

(15)

The switch between Eq. (14) and Eq. (15) is not justified analytically. I.e. it breaks down. Beckwith et al (2011) designated this as the boundary of a causal discontinuity. Now according to Weinberg [13], if

\[
\varepsilon = \frac{\lambda^2}{16\pi G}, H = 1/\varepsilon \quad \text{so that one has a scale factor behaving as} \quad [14]
\]

\[
a(t) \sim t^{1/\varepsilon}
\]

(16)

Then, if [14]

\[
|V(\phi)| << (4\pi G)^{-2}
\]

(17)

there are no quantum gravity effects worth speaking of. I.e., if one uses an exponential potential a scalar field could take the value of \( \phi_1 \) to \( \phi_2 \) for flat space geometry and times \( t_i \) to \( t_f \) [14]

\[
\phi(t) = \frac{1}{\lambda} \ln \left[ \frac{8\pi G g \varepsilon^2 t^2}{3} \right]
\]

(18)

Then the scale factors, from Planckian time scale as [14]
The more \( \frac{a(t_2)}{a(t_1)} \gg 1 \), then the less likely there is a tie in with quantum gravity. Note those that the way this potential is defined is for a flat, Roberson-Walker geometry, and that if and when \( t_1 < t_{\text{Planck}} \) then what is done in Eq. (11) no longer applies, and that one is no longer having any connection with even an octonionic Gravity regime.

**Increase in degrees of freedom in the sub Planckian regime.**

Starting with [15], [16]

\[
E_{\text{thermal}} \approx \frac{1}{2} k_b T_{\text{temperature}} \propto \left[ \Omega_0 \bar{T} \right] \sim \tilde{\beta}
\]

The assumption is that there would be an initial fixed entropy arising, with \( \bar{N} \) as a nucleated structure arising in a short time interval as a temperature \( T_{\text{temperature}} \propto (0^{+}, 10^{19} GeV) \) arrives. One then obtains, dimensionally speaking [15], [16]

\[
\frac{\Delta \tilde{\beta}}{\text{dist}} \approx (5 k_b \Delta T_{\text{temp}}/2) \cdot \frac{\bar{N}}{\text{dist}} \sim qE_{\text{net-electric-field}} \sim [T \Delta S/\text{dist}]
\]

The parameter, as given by \( \Delta \tilde{\beta} \) will be one of the parameters used to define chaotic Gaussian mappings. Candidates as to the inflation potential would be in powers of the inflation, i.e. in terms of \( \phi^N \), with \( N=4 \) effectively ruled out, and perhaps \( N=2 \) an admissible candidate (chaotic inflation). For \( N = 2 \), one gets [15], [16]

\[
[\Delta S] = \left[ \frac{\hbar}{T} \right] \cdot \left[ 2k^2 - \frac{1}{\eta^2} \left[ M_{\text{Planck}}^2 \left[ \frac{6}{4\pi} - \frac{12}{4\pi} \cdot \frac{1}{\phi} \right]^2 - \frac{6}{4\pi} \cdot \left[ \frac{1}{\phi^2} \right] \right] \right]^{1/2} \sim n_{\text{Particle-Count}}
\]

If the inputs into the inflation, as given by \( \phi^2 \) becomes from Eq. (6) a random influx of thermal energy from temperature, we will see the particle count on the right hand side of Eq. (23) above a partly random creation of \( n_{\text{Particle-Count}} \) which we claim has its counterpart in the following treatment of an increase in degrees of freedom. The way to introduce the expansion of the degrees of freedom from nearly zero, at the maximum point of contraction to having \( N(T) \sim 10^3 \) is to first define the classical and quantum regimes of gravity in such a way as to minimize the point of the bifurcation diagram affected by quantum processes.[15] If we suppose smoothness of space time structure down to a grid size of \( l_{\text{Planck}} \sim 10^{-33} \) centimeters at the start of inflationary expansion we have when doing this construction what would be needed to look at the maximum point of contraction, setting at \( l_{\text{Planck}} \sim 10^{-33} \) centimeters the quantum ‘dot’ or infometron, as a de facto measure zero set, as the bounce point, with classical physics behavior before and after the bounce ‘through’ the quantum dot. Dynamical systems modeling could be directly employed right ‘after’ evolution through the ‘quantum dot’ regime, with a transfer of crunched in energy to Helmholtz free energy, as the driver ‘force’ for a Gauss map type chaotic diagram right after the transition to the quantum ‘dot’ point of maximum contraction. The diagram, in a bifurcation sense would look like an application of the Gauss mapping of [15],[16]

\[
\chi_{i+1} = \exp \left[ -\tilde{\alpha} \cdot x_i^2 \right] + \tilde{\beta}
\]

In dynamical systems type parlance, one would achieve a diagram, with tree structure looking like what was given by Binous [17], using material written up by Lynch [18]. Now that we have a model as to what could be a change in space time geometry, let us consider what may happen during the Higgs mechanism and why it may not apply as expected in very early universe geometry.
**Higgs Mechanism, and its consequence in the onset of inflation. I.e. why it could break down**

Let us begin first with a U(1) gauge theory, the Fermion $\psi$ would transform locally as given by [19]

$$\psi \rightarrow \psi' = \left(\exp[-ig \cdot q(x)]\right) \psi$$

(25)

This has a Lagrangian given by, an expression for covariant derivative $D_\mu = \partial_\mu + ig A_\mu (x)$, and also $F_{\mu\nu} = \partial_\mu A_\nu - \partial_\nu A_\mu$, so that $\partial_\mu F_{\mu\nu} = j_\nu$ for current. With the mass term for the gauge boson $A_\mu$ not allowed by gauge symmetry via the Lagrangian $\xi = i \overline{\psi} \gamma^\mu D_\mu \psi + m \overline{\psi} \psi - \frac{1}{4} F_{\mu\nu} F^{\mu\nu}$

A way to allow for the mass to be factored in, i.e. look at $\phi \rightarrow \phi' = \left(\exp[-ig \cdot q(x)]\right) \cdot \phi$, and then

$$\zeta(\phi) = iD^\mu \phi ^* D_\mu \phi - \frac{1}{2} \mu^2 \phi^* \phi - \frac{1}{4} \lambda (\phi^* \phi)^2$$

(26)

If $\mu^2 < 0$, the potential has a minimum, with $\langle \phi^* \phi \rangle = v^2 = -\mu^2 / \lambda > 0$, with a VeV $\langle \phi \rangle = v$. Then

$$\phi = (\eta + v) \exp[i\sigma / v]$$

(27)

As stated by U. Sarkar, a kinetic energy term for the scalar field, namely $g^2 v^2 A^\mu A_\mu = D^\mu \phi^* D_\mu \phi$ is such that a mass term may exist. Now as to why it is stated that this procedure may break down. A scalar field will no longer be massless if the following step is taken, namely an explicit symmetry breaking term $m^2 (\phi \phi + \phi^* \phi^*)$ will allow a scalar field $\phi$ to be expanded about a VeV $\langle \phi \rangle = v$ with

$$\phi = (\eta + v) \exp[i\sigma / v] \sim \eta + v + i\sigma - \sigma^2 / 2v$$

(28)

so that the mass of $\sigma$ is $m^2$, so $\sigma$ is a pseudo nambu goldstone boson. If one wishes to have explicit examples of the VeVs, then consider [19]

$$SU(5) \rightarrow SU(4) \times U(1) \Rightarrow \langle \phi \rangle = \begin{pmatrix} 1 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 & -4 \end{pmatrix}$$

(29)

$$SU(5) \rightarrow SU(3) \times SU(2) \times U(1) \Rightarrow \langle \phi \rangle = \begin{pmatrix} 1 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & -3/2 & 0 \\ 0 & 0 & 0 & 0 & -3/2 \end{pmatrix}$$

(30)

In the case of when one is looking at when the VeV is congruent with a broken symmetry potential, as of the form $m^2 (\phi \phi + \phi^* \phi^*)$, which no longer exists in the situation where one is looking at k essence inflation, we then will be having to consider the situation is given by: The main point as to why the Higgs paradigm may break down lies in the fact that emergent structure can be formulated without use of a broken symmetry potential as given by $m^2 (\phi \phi + \phi^* \phi^*)$.

**How to have particle formation without a broken symmetry potential. Use of Sherrer k Esessence**
In particular, the situation to watch can be diagrammed out [20] by appendix entry where we are looking at the k essence scenario. This means we have a small value for the ‘growth of density perturbations’ [20], [21]

$$C_S^2 \approx \frac{1}{1 + 2 \cdot (X_0 + \tilde{e}_0) \cdot (1 / \tilde{e}_0)} \equiv \frac{1}{1 + 2 \cdot \left(1 + \frac{X_0}{\tilde{e}_0}\right)}$$

(31)

if we can approximate

$$(\partial_{\mu} \phi) \cdot (\partial^\mu \phi) \equiv \left(\frac{1}{c} \cdot \partial \phi \cdot \partial \cdot \right)^2 - (\nabla \phi)^2 \approx - (\nabla \phi)^2 \rightarrow - \left(\frac{d \phi}{dx}\right)^2$$

(31a)

a comparatively small contribution w.r.t. time variation, but a very large in many cases contribution w.r.t. spatial variation of phase

$$|X_0| \approx \frac{1}{2} \left(\frac{\partial \phi}{\partial x}\right)^2 \gg \tilde{e}_0$$

(31b)

$$0 \leq C_S^2 \approx \epsilon^* \ll 1$$

(32)

and

$$w \equiv \frac{P}{\rho} \approx - \frac{1}{1 - 4 \cdot (X_0 + \tilde{e}_0) \cdot \left(\frac{F_2}{F_0 + F_2 \cdot (\tilde{e}_0)^2 \cdot \tilde{e}_0}\right)} \approx 0$$

(33)

We get these values for the phase being nearly a ‘box’ of height approximately scaled to be about $2 \cdot \pi$

and of width $L$. Which we obtained by setting [22]

$$\phi \approx \pi \cdot \left[\tanh b \cdot (x + L / 2) - \tanh b \cdot (x - L / 2)\right]$$

(34)

This means that the initial conditions we are hypothesizing are in line with the equation of state conditions appropriate for a cosmological constant but near zero effective sound speed. As is, we approximate

![Graph of phi(x)]
Evolution of the phase from a thin wall approximation to a more nuanced thicker wall approximation with increasing $L$ between $S$-$S'$ instanton components. The ‘height’ drops and the ‘width’ $L$ increases corresponds to a de evolution of the thin wall approximation. This is in tandem with a collapse of an initial nucleating ‘potential’ system to the standard chaotic scalar $\phi^2$ potential system of Guth[23]. As the ‘hill’ flattens, and the thin wall approximation dissipates, the physical system approaches standard cosmological constant behavior.

This is occurring in the regime in which Octonian gravity initially does not apply and which eventually it does apply. So, let us look at the following

**Relevance to Octonian Quantum gravity constructions? Where does non commutative geometry come into play?**

Crowell [24] wrote on page 309 that in his Eq. (8.141), namely

$$[x_j, p_i] \equiv -\beta \cdot (l_{\text{Planck}} / l) \cdot T_{ijk} x_k \rightarrow i\hbar \delta_{i,j}$$

Here, $\beta$ is a scaling factor, while we have, above, after a certain spatial distance, a Kroniker function so that at a small distance from the confines of Planck time, we recover our quantum mechanical behavior. Our contention is, that since Eq. (26) depends upon Energy- momentum being conserved as an average about quantum fluctuations, that if energy-momentum is violated, in part, that Eq. (36) falls apart. How Crowell forms Eq. (36) at the Planck scale depends heavily upon Energy- Momentum being conserved.[24] Our construction VIOLATES energy – momentum conservation. N. Poplawski[25], [26] also has a very revealing construction for the vacuum energy, and cosmological constant which we reproduce, here

$$\Lambda = \left[ \frac{3K^2}{16} \cdot (\overline{\psi} \gamma^j \gamma^5 \psi) \cdot (\overline{\psi} \gamma^j \gamma^5 \psi) \right]$$

And

$$R_{\Lambda} = \left[ \frac{3\kappa}{16} \cdot (\overline{\psi} \gamma^j \gamma^5 \psi) \cdot (\overline{\psi} \gamma^j \gamma^5 \psi) \right]$$

Poplawski writes that formation of the above, is:

"Such a torsion-induced cosmological constant depends on spinor fields, so it is not constant in time (it is constant in space at cosmological scales in a homogeneous and isotropic universe). However, if these fields can form a condensate then the vacuum expectation value of (Eq. 37) will behave like a real cosmological constant”

Poplawski [25],[26]write his formulation in terms of a quark- gluon QCD based condensate. Our contention is that once a QCD style condensate breaks up there will afterwards be NO equivalent structure to Eq. (37) and Eq. (38) even at the beginning of inflation right after the break down of space time particle transfer. Once that condensate structure is not possible then as quantified by Eq. (8.140) of Crowell [24], the following will not hold:

$$\oint p_i \, dx_k = \hbar \delta_{i,k}$$

Eq. (8.40) of the Crowell [24]manuscript also makes the additional assumption, that non flat space has a geometric non-commutativity protocol which is delineated by the following spatial relationship. When Eq. (40) goes to zero, we recover the regime in which quantum mechanics holds.

$$[x_j, x_k] = \beta \cdot l_p \cdot T_{j,k,i} \cdot x_i$$

Does the (QCD) condensate occur post plankian, and not work for pre plankian regime ? Yes. The problem lies with Eq. (8.140) of Crowell [24] with the final equality not holding. If one were integrating across a causal barrier,

$$\oint [x_j, p_i] \, dx_k \approx -\oint p_i [x_j, dx_k] = -\beta \cdot l_p \cdot T_{j,k,i} \oint p_i \, dx_i \neq -\hbar \beta \cdot l_p \cdot T_{i,j,k}$$
Very likely, across a causal boundary, between $\pm l_p$ across the boundary due to the causal barrier, one would have

$$\oint p_i \, dx_k \neq h \delta_{i,k}, \oint p_i \, dx_k \equiv 0$$

(42)

I.e.

$$\oint p_i \, dx_k \bigg|_{\pm l_p} \rightarrow 0$$

(43)

If so, then [24]

$$[x_j, p_i] \neq -\beta \cdot (l_{Planck}/l) \cdot h T_{ijk} x_k \text{ and does not} \rightarrow i h \delta_{i,j}$$

(44)

Eq. (44) in itself would mean that in the pre Planckian physics regime, and in between $\pm l_p$, QM no longer applies. What we will do next is to begin the process of determining a regime in which Eq. (34) may no longer hold via experimental data sets. As an example of present confusion, please consider the following discussion where leading cosmologists, i.e. Sean Carroll [27](2005) asserted that there is a distinct possibility that mega black holes in the center of spiral galaxies have more entropy, in a calculated sense, i.e. up to $10^{90}$ in non dimensional units. This has to be compared to Carroll’s (2005)[17] stated value of up to $10^{88}$ in non dimensional units for observable non dimensional entropy units for the observable universe. Assume that there are over one billion spiral galaxies, with massive black holes in their center, each with entropy $10^{90}$, and then there is due to spiral galaxy entropy contributions $10^6 \times 10^{90} = 10^{96}$ entropy units to contend with, vs. $10^{88}$ entropy units to contend with for the observed universe. I.e. at least a ten to the eight order difference in entropy magnitude to contend with. A further datum to consider is that Eq. (44) with its variance of density fluctuations may eventually be linkable to Kolmogrov theory as far as structure formation. If we look at R. M. S. Rosa [28] (2006), and energy cascades of the form of the ‘energy dissipation law’, assuming $u_0, l_0$ are minimum velocity and length, with velocity less than the speed of light, and the length at least as large, up to $10^6$ time larger than Planck length $l_{Planck}$

$$\varepsilon \approx \frac{u_0^3}{l_0}$$

(45)

Eq. (45) above can be linked to an eddy break down process, which leads to energy dissipated by viscosity. If applied appropriately to structures transmitted through a ‘worm hole’ from a prior to a present universe, it can explain

1) How there could be a break up of ‘encapsulating’ structure which may initially suppress additional entropy beyond $S_{initial} \sim 10^5$, in the onset of inflation

2) Provide a ‘release’ mechanism $\Delta S \approx \Delta N_{gravitons} < 10^{54} \ll 10^{88}$, with $\Delta S \approx \Delta N_{gravitons} \sim 10^{21}$ perhaps a starting point for increase in entropy in $\Delta t \approx l_{Planck} \sim 5 \times 10^{-44} \text{ sec}$, rising to $\Delta S \approx \Delta N_{gravitons} \leq 10^{54} \ll 10^{88}$ for times up to 1000 seconds after the big bang.

Let us now consider the impact of the octonian gravity paradigm and where it may break down. And why.

Finally, Relic graviton produced entropy at the onset of the big bang. Why starting entropy would be so small while CMBR entropy would be so large

As a closing remark, Beckwith wishes to suggest a solution to Penrose’s implied question about entropy as raised in Edingborough, Scotland [30] conference proceedings. Penrose talks about the 2nd law, and its implied requirements as to the small initial value of early universe entropy, and then states that gravitational entropy would not be so major, whereas CMBR matter contributed entropy would be much larger. Beckwith is convinced that relic graviton production at the onset of the big bang, i.e. before the
contribution of entropy from matter itself would be necessary to boost entropy from its small $10^5$ value at the onset of the big bang, to a much higher level, and that entropy would be initially dramatically boosted by that process. I.e. the uniformity requirement Penrose talks about in structure would be actually as of up to the Electro weak transition, and far after the initial onset of inflation itself.

**A new idea extending Penrose’s suggestion of cyclic universes, black hole evaporation, and the embedding structure our universe is contained within**

Beckwith strongly suspects that there are no fewer than $N$ (a large number) of universes under going Penrose ‘infinite expansion’ and all these are contained within a mega universe structure. Furthermore, that each of the $N$ universes has black hole evaporation commencing, with the Hawking radiation from decaying black holes. If each of the $N$ universes is definable by a partition function, we can call $\{\Xi_i,i=1,\ldots,N\}$, then there exist an information minimum ensemble of mixed minimum information roughly correlated as about $10^7-10^8$ bits of information per each partition function in the set $\{\Xi_i,i=1,\ldots,N\}$, so minimum information is conserved between a set of partition functions per each universe

$$\left\{\Xi_i,i=1,\ldots,N\right\}_{\text{before}} \equiv \left\{\Xi_i,i=1,\ldots,N\right\}_{\text{after}}$$

However, that there is non uniqueness of information put into each partition function $\left\{\Xi_i,i=1,\ldots,N\right\}$. Furthermore that within the mega structure, that Hawking radiation from the black holes is collated via a strange attractor collection in the mega universe structure to form a new big bang for each of the $N$ universes as represented by $\left\{\Xi_i,i=1,\ldots,N\right\}$. Verification of this mega structure compression and expansion of information with a non unique venue of information placed in each of the $N$ universes would strongly favor Ergodic mixing treatments of initial values for each of the $N$ universes expanding from a quasi singularity beginning. If this idea is in any way confirmable, it would lend credence as to the formation of the dark flow hypothesis, and of how anharmonic perturbative contributions to initial inflationary expansion may occur, within a partially random ergotic background. Beckwith claims that such a process would inherently favor the small $10^7$ bits of information per each partition function representing the ‘start’ of expansion of a new universe. Hopefully, in doing so, one can explain, energy flux being re formulated for each universe. I.e. start with the Alcubierre’s formalism about energy flux, assuming that there is a solid angle for energy distribution $\Omega$ for the energy flux to travel through. \[31\]

$$\frac{dE}{dt} = \left[\lim r \to \infty\right] \frac{r^2}{16\pi} \int \Psi_4 dt \cdot d\Omega$$

The expression $\Psi_4$ is a Weyl scalar which we will, before the electro weak phase transition, assume that time dependence of both $h^+$ and $h^\times$ is miniscule and that initially $h^+ \approx h^\times$, so as to initiate $\Psi_4$ as

$$\Psi_4 \equiv -\frac{1}{4} \left[ + \partial_\tau^2 h^+ \right] (-1 + i)$$

The upshot, is that the initial energy flux about the inflationary regime would lead to looking at\[30,31\]

$$\left| \int_{-\infty}^{\infty} \Psi_4 dt \right| \approx \frac{1}{2} \left[ + \partial_\tau^2 h^+ \right] \cdot (\vec{n} \cdot t_{\text{Planck}})$$

This will lead to an initial changing energy flux at the onset of inflation which will be presented as
\[ \frac{dE}{dt} = \left[ \frac{r^2}{64\pi} \right] + \partial_t^2 h^+ \cdot [\vec{n} \cdot t_{Planck}]^2 \cdot \Omega \]  

(50)

If we are talking about an initial energy flux, we then can approximate the above as[30],[31]

\[ E_{\text{initial-flux}} \approx \left[ \frac{r^2}{64\pi} \right] + \partial_t^2 h^+ \cdot [\vec{n} \cdot t_{Planck}]^3 \cdot \Omega_{\text{effective}} \]  

(51)

Inputs into both the expression \( \partial_t^2 h^+ \), as well as \( \Omega_{\text{effective}} \) will comprise the rest of this document, plus our conclusions. The derived value of \( \Omega_{\text{effective}} \) as well as \( E_{\text{initial-flux}} \) will be tied into a way to present energy per graviton, as a way of obtaining \( n_f \). The \( n_f \) value so obtained, will be used to make a relationship, using Y. J. Ng’s entropy [9] counting algorithm of roughly [9]. \( S_{\text{entropy}} \sim n_f \). We assert that in order to obtain \( S_{\text{entropy}} \sim n_f \) from initial graviton production, as a way to quantify \( n_f \), that a small mass of the graviton can be assumed. How to tie in this energy expression, as given in Eq. (51) will be to look at the formation of a non trivial gravitational measure which we can state as a new big bang for each of the N universes as represented by [30],[31] and \( n(E_i) \cdot \text{the density of states at a given energy } E_i \) for a partition function defined by [10],[30],[31]

\[ \{\Xi_j\}_{i=1}^{i=N} \propto \begin{cases} \left. \int_0^n dE_i \cdot n(E_i) \cdot e^{-E_i} \right|_{i=1}^{i=N} \\ \end{cases} \]  

(52)

Each of the terms \( E_i \) would be identified with Eq.(52) above, with the following iteration given, namely for N universes

\[ \frac{1}{N} \sum_{j=1}^{N} \Xi_j \big|_{j-\text{before-nucleation-regime}} \xrightarrow{\text{vacuum-nucleation-transfer}} \Xi_i \big|_{i-\text{fixed-after-nucleation-regime}} \]  

(53)

For N number of universes, with each \( \Xi_j \big|_{j-\text{before-nucleation-regime}} \) for \( j = 1 \) to N being the partition function of each universe just before the blend into the RHS of Eq. (54) above for our present universe. Also, each of the independent universes given by \( \Xi_j \big|_{j-\text{before-nucleation-regime}} \) would be constructed by the absorption of one million black holes sucking in energy. I.e. in the end

\[ \Xi_j \big|_{j-\text{before-nucleation-regime}} \approx \sum_{k=1}^{Max} \Xi_k \big|_{\text{black-holes-}j\text{-th-universe}} \]  

(54)

One can treat Eq. (54) as a de facto Ergodic mixing of prior universes to a present universe, with the partition function of each of the universes defined by Eq. (53) above. Filling in the inputs into Eq. (52) to Eq. (54) is what will be done in the months ahead. \( \partial_t^2 h^+ \) will be the one to fill in, via considering [31] plus other models. Doing so will begin to allow us to form more precise evaluations of Eq. (52) to Eq. (54). Making sense of \( \partial_t^2 h^+ - k^2 h^+ \) requires that we understand the evolution of gravity waves and gravitons as a k essence phenomenon. This is part of our future works

**Conclusion:** Several reasons for the Analog nature of reality with digital a sub set of a larger Analog basis
We wish to summarize what we have presented in an orderly fashion. Doing so is a way of stating that Analog, reality is the driving force behind the evolution of inflationary physics

a) Pre Octonian gravity physics (analog regime of reality) features a breakdown of the Octonian gravity commutation relationships when one has curved space-time. **This corresponds, as brought up in the Jacobi iterated mapping for the evolution of degrees of freedom to a build up of temperature as thermal heat influx for an increase in degrees of freedom from 2 to over 1000.** Per unit volume of space time. The peak regime of where the degrees of freedom maximize out is where the Octonian regime holds. Corresponding to, also, Octonian gravity, when one has flat space, after a significant increase in temperature.

b) Analog physics, prior to the build up of temperature can be represented by the mappings given by Eq. (53) and Eq. (54). The first of these mappings is an ergotic mapping, a perfect mixing regime from many universes into our own present universe. By necessity, this mapping requires a deterministic quantum limit as similar to what t’Hooft included in his embedding of Quantum physics in a larger, non-linear theory \cite{32}, \cite{33}. This is approximated by current Pilot model build up of an embedding of QM within a more elaborate super structure.

c) The types of discontinuities presented, in Eq. (42), in Eq. (22), Eq. (14), Eq. (15) are ways to the necessity of \( \frac{\eta}{s} \approx \epsilon^+ \) giving only \( \eta \neq 0, \epsilon \rightarrow \infty \), instead of \( \eta \rightarrow 0^+ \), with the later case designating when entropy vanishes, which would correspond to no information from prior universes being transferred. I.e. non zero viscosity corresponding to, with almost infinite energy, of when the approach to Octonionic gravity occurs. The other case when viscosity vanishes would be tantamount to when no information is exchanged.

Understanding the nature of the ergotic mapping in Eq. (53) and Eq. (54) would allow for a rigorous understanding of the necessity of \( \frac{\eta}{s} \approx \epsilon^+ \) giving only \( \eta \neq 0, \epsilon \rightarrow \infty \), instead of \( \eta \rightarrow 0^+ \),

We hope that understanding these issues allows for determining how K essence physics can contribute to emergent structure, and perhaps massive gravitons and avoid symmetry breaking potentials, as used for the Higgs boson, so mentioned in Eq. (29) and Eq. (30). In doing so, we see first Analog physics in pre Planckian space time, then, briefly the formation of Digital reality, as paramount in the beginning of inflationary cosmology. The genesis of this reality is from an analog physics foundation.

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