# STRUCTURES AND PROPERTIES OF INTEGER SEQUENCES GENERATED 

FROM

## PRIME NUMBERS SEEDS

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#### Abstract

: A previous paper submitted to viXra by the author on 2020-06-07 (1) and more specifically its paragraph 3-5 was related to the generation of primefree integer sequences using, as a seed, a prime numbers subset, a recursive algorithm and a specific formula described again in the next background section of this paper extending the initial work. Indeed, whereas two prime numbers seeds containing respectively the first $10^{3}$ and $2 * 10^{4}$ prime numbers were used in the initial study, the seed size range has been enlarged from $10^{2}$ to $10^{7}$ prime number terms. This allowed to confirm previous results and reinforced the so called primefree conjecture referenced CD-3 established from them. (1) This paper entitled "Structures and Properties of Integer Sequences generated from prime and nonprime number seeds"can be downloaded at: http://viXra.org/abs/2005.0056 under the viXra subject category: number theory and citation number: 2006.0056.


Key Words: prime numbers seeds, stepwise-algorithm and formula, primefree integer sequences conjecture.

1- IT Tools and VBA program:

- PC: AMD (tm) XP 2800+
2.08 GHz . RAM: 1.00Go.
- softwares: R x64 4.0.1 Ink, RStudio, Windows and Excel 2010. - a R program has been developed for sequence calculation.


## 2- Background:

## 2-1 Recursive algorithm:

The recursive algorithm starts with a subset of the prime numbers set $(2,3,5,7,11,13,17,19 \ldots)$ used as a seed to produce with the formula below a first sequence $S_{1}$ which is then used as a new seed to produce with the same formula the next sequence $S_{2}$ and so one...

## 2-2 Formula:

The formula leading with the above described algorithm to primefree sequences and referenced in the previous mentioned paper formula $n^{\circ} 3$ is:
$t_{(i+2+2 * j, j+2)}=t_{(i+2+2 * j, j+1)}+t_{(i+3+2 * j, j+1)}-t_{(i+1+2 * j, j+1)-} t_{(i+2 * j, j+1)}$
with $i=1$ to $n-3-3 * j$ and $j=0$ to $m-2$
and where ( $n$ ) is the number of terms of the prime numbers seed equal to the number of rows ( n ) of a ( $\mathrm{n}^{*} \mathrm{~m}$ ) matrix where ( m ) is the number of columns. The prime numbers seed is filed in the first column of the matrix and the sequences produced in the columns 2 to m .

2-3 Main results from the initial work:

- Whereas prime numbers are present in the first few sequences produced by the algorithm and the formula, they are totally absent from the subsequent ones, including from long sequences composed of more than several thousand terms.
- The number of prime numbers in the first sequences deacreases along the sequence.

3- Methodology of the extended study:
It is based on these observations that the work as been exetended to the use of longer prime numbers seeds.
So, whereas only two prime numbers seeds containing respectively the first $10^{3}$ and $2 * 10^{4}$ terms of the prime numbers set $(2,3,5,7,11,13,17,19 \ldots$ ) have been used in the initial work, 6 seeds containing respectively the first $10^{2}, 10^{3}, 10^{4}, 10^{5}, 10^{6}$ and $10^{7}$ prime numbers have been selected to extend the search for longer primefree sequences.

## 4- Results:

4-1: Sign and primality of the sequence terms:
For the 6 seeds, whereas, the first sequence contains positive integers only, both positive and negative ones are present in the next sequences. primefree sequences excepted, each sequence is composed of prime and nonprime numbers.

## 4-2: Number and percentage of primes in sequences:

Tables $n^{\circ} 1$ to $n^{\circ} 6$ give the number and the percentage of prime numbers in sequences for the 6 prime numbers seeds containing themselves: $10^{2}, 10^{3}, 10^{4}, 10^{5}, 10^{6}$ and $10^{7}$ prime number terms.

Figure $\mathrm{n}^{\circ} 1$ gives the total number of terms in the first 15 sequences for the 6 prime numbers seeds, a total of 166664340 terms.

Figure $\mathrm{n}^{\circ} 2$ gives the total number of prime numbers in the first 15 sequences for the 6 prime numbers seeds, a total of 202316, thus representing $0,12 \%$ of the total number of terms.

Figure $\mathrm{n}^{\circ} 3$ gives the overall percentage of prime numbers in the first 15 sequences for the 6 prime numbers seeds.

Figure $\mathrm{n}^{\circ} 4$ and $\mathrm{n}^{\circ} 5$ give respectively the number of prime numbers and their percentage in the $S_{2}$ sequences for the 6 prime numbers seeds.

Figure $\mathrm{n}^{\circ} 6$ and $\mathrm{n}^{\circ} 7$ give respectively the number of prime numbers and their percentage in the $S_{3}$ sequences for the 6 prime numbers seeds.

Figures $\mathrm{n}^{\circ} 8$ to $\mathrm{n}^{\circ} 19$ give respectively the number of prime numbers and their percentage in each sequence for each prime numbers seed.

Main observations:

- The number of prime numbers in the first sequences increases with the size of the prime numbers seed, but the percentage of these decreases.
- Sequences which follow $S_{2}$ sequences overall contain fewer and fewer prime numbers.
- After a few sequences, the algorithm and the formula generate long primefree sequences. With the first $10^{7}$ prime numbers seed the first primefree sequence contains 9999961 terms. By comparison in the initial work using the first 20000 prime numbers seed, the longest primefree sequence contained only 19973 terms.


## 4-3: Occurrence of prime numbers in sequences:

Table $\mathrm{n}^{\circ} 7$ to $\mathrm{n}^{\circ} 10$ show the occurrence of prime numbers in the sequences produced from the first $10^{2,} 10^{3}, 10^{4}$, and $10^{5}$ prime numbers seeds.

Main observations:

- $2,7,19$ and 1831 are the only four prime numbers found in all the sequences produced from the 6 prime numbers seeds.
- For all prime numbers seeds, the first sequence $\mathrm{S}_{1}$ contains only one prime: (7) as the first term of the sequence.
- $\mathrm{S}_{2}$ sequences contain only 2 primes (7 and 2), (7) as the first term, a first (2) in the second position and many $\left(2^{\prime} s\right)$ along the sequence.
- $\mathrm{S}_{5}$ sequences contain only 2 primes (19 and 2 ), (19) as the first term and $(2$ 's) along the sequence.
- $\mathrm{S}_{10}$ sequences contain only one prime (1831) as the first term.
- Other sequences than the ones above mentionned contain either no primes or ( 2 's).
- Figure $n^{\circ} 20$ shows the distribution of prime numbers in the $S_{6}$ sequence for the first $10^{4}$ prime numbers seed.


## 5- Conclusions:

This extended work well confirm the initial findings of the first paper, filed on 2020-06-07 under the viXra citation number: 2006.0056 in the subject category: number theory, and consolidate the referenced CD- 3 conjecture which can be slightly reformulated as follows:
The formula below:
$\mathrm{t}_{(\mathrm{i}+2+2 * \mathrm{j}, \mathrm{j}+2)}=\mathrm{t}_{(\mathrm{i}+2+2 * \mathrm{j}, \mathrm{j}+1)}+\mathrm{t}_{(\mathrm{i}+3+2 * \mathrm{j}, \mathrm{j}+1)}-\mathrm{t}_{(\mathrm{i}+1+2 * \mathrm{j}, \mathrm{j}+1)-} \mathrm{t}_{(\mathrm{i}+2 * \mathrm{j}, \mathrm{j}+1)}$
applied to the prime numbers set $(2,3,5,7,11,13,17,19 \ldots)$ used as a seed, generates a sequence which is then used as a new seed to produce the next sequence and so one. When the number of terms of the prime number set tends to $+\infty$ and after a certain number of iterations, this recursive process leads to an infinite number of primefree sequences containing an infinity of increasingly large composite numbers.

## Annex $n^{\circ}$ 1: tables

| Seed/sequence | Seed | $\mathrm{S}_{1}$ | $\mathrm{~S}_{2}$ | $\mathrm{~S}_{3}$ | $\mathrm{~S}_{4}$ | $\mathrm{~S}_{5}$ | $\mathrm{~S}_{6}$ | $\mathrm{~S}_{7}$ | $\mathrm{~S}_{8}$ | $\mathrm{~S}_{9}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Number of terms in <br> seed and sequences | $10^{2}$ | 97 | 94 | 91 | 88 | 85 | 82 | 79 | 76 | 73 |
| Number of primes in <br> seed and sequences | $10^{2}$ | 1 | 7 | 0 | 0 | 1 | 0 | 0 | 0 | 0 |
| \% of primes in seed <br> and sequences | 100 | 1,03 | 7,45 | 0 | 0 | 1,18 | 0 | 0 | 0 | 0 |


| Sequence | $\mathrm{S}_{10}$ | $\mathrm{~S}_{11}$ | $\mathrm{~S}_{12}$ | $\mathrm{~S}_{33}$ | $\mathrm{~S}_{14}$ | $\mathrm{~S}_{15}$ | $\mathrm{~S}_{16}$ | $\mathrm{~S}_{17}$ | $\mathrm{~S}_{18}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Number of terms in <br> sequences | 70 | 67 | 64 | 61 | 58 | 55 | 52 | 49 | 46 |
| Number of primes in <br> sequences | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| \% of primes in <br> sequences | 1,43 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |

Table $\mathrm{n}^{\circ} 1$ : seed and sequence length and prime numbers. seed: first $10^{2}$ prime numbers from 2 to 541 .

| Seed/sequence | Seed | $\mathrm{S}_{1}$ | $\mathrm{~S}_{2}$ | $\mathrm{~S}_{3}$ | $\mathrm{~S}_{4}$ | $\mathrm{~S}_{5}$ | $\mathrm{~S}_{6}$ | $\mathrm{~S}_{7}$ | $\mathrm{~S}_{8}$ | $\mathrm{~S}_{9}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Number of terms in <br> seed and sequences | $10^{3}$ | 997 | 994 | 991 | 988 | 985 | 982 | 979 | 976 | 973 |
| Number of primes in <br> seed and sequences | $10^{3}$ | 1 | 33 | 10 | 3 | 5 | 0 | 0 | 0 | 0 |
| \% of primes in seed <br> and sequences | 100 | 0,10 | 3,32 | 1,01 | 0,30 | 0,51 | 0 | 0 | 0 | 0 |


| Sequence | $\mathrm{S}_{10}$ | $\mathrm{~S}_{11}$ | $\mathrm{~S}_{12}$ | $\mathrm{~S}_{33}$ | $\mathrm{~S}_{14}$ | $\mathrm{~S}_{15}$ | $\mathrm{~S}_{16}$ | $\mathrm{~S}_{17}$ | $\mathrm{~S}_{18}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Number of terms in <br> sequences | 970 | 967 | 964 | 961 | 958 | 955 | 952 | 949 | 946 |
| Number of primes in <br> sequences | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| \% of primes in <br> sequences | 0,10 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |

Table $\mathrm{n}^{\circ} 2$ : seed and sequence length and prime numbers.
seed: first $10^{3}$ prime numbers from 2 to 7919.

| Seed/sequence | Seed | $\mathrm{S}_{1}$ | $\mathrm{~S}_{2}$ | $\mathrm{~S}_{3}$ | $\mathrm{~S}_{4}$ | $\mathrm{~S}_{5}$ | $\mathrm{~S}_{6}$ | $\mathrm{~S}_{7}$ | $\mathrm{~S}_{8}$ | $\mathrm{~S}_{9}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Number of terms in <br> seed and sequences | $10^{4}$ | 9997 | 9994 | 9991 | 9988 | 9985 | 9982 | 9979 | 9976 | 9973 |
| Number of primes in <br> seed and sequences | $10^{4}$ | 1 | 222 | 68 | 27 | 14 | 6 | 1 | 0 | 0 |
| \% of primes in seed <br> and sequences | 100 | 0,01 | 2,22 | 0,68 | 0,27 | 0,14 | 0,06 | 0,01 | 0 | 0 |


| Sequence | $\mathrm{S}_{10}$ | $\mathrm{~S}_{11}$ | $\mathrm{~S}_{12}$ | $\mathrm{~S}_{33}$ | $\mathrm{~S}_{14}$ | $\mathrm{~S}_{15}$ | $\mathrm{~S}_{16}$ | $\mathrm{~S}_{17}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Number of terms in <br> sequences | 9970 | 9967 | 9964 | 9961 | 9958 | 9955 | 9952 | 9949 |
| Number of primes in <br> sequences | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| \% of primes in <br> sequences | 0,01 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |

Table $\mathrm{n}^{\circ} 3$ : seed and sequence length and prime numbers. seed: first $10^{4}$ prime numbers from 2 to 104729.

| Seed/sequence | Seed | $\mathrm{S}_{1}$ | $\mathrm{~S}_{2}$ | $\mathrm{~S}_{3}$ | $\mathrm{~S}_{4}$ | $\mathrm{~S}_{5}$ | $\mathrm{~S}_{6}$ | $\mathrm{~S}_{7}$ | $\mathrm{~S}_{8}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Number of terms <br> in seed and <br> sequences | $10^{5}$ | 99997 | 99994 | 99991 | 99988 | 99985 | 99982 | 99979 | 99976 |
| Number of <br> primes in seed <br> and sequences | $10^{5}$ | 1 | 1685 | 505 | 228 | 86 | 32 | 7 | 1 |
| \% of primes in <br> seed and <br> sequences | 100 | 0,001 | 1,69 | 0,51 | 0,23 | 0,086 | 0,032 | 0,007 | 0,001 |


| Sequence | $\mathrm{S}_{9}$ | $\mathrm{~S}_{10}$ | $\mathrm{~S}_{11}$ | $\mathrm{~S}_{12}$ | $\mathrm{~S}_{33}$ | $\mathrm{~S}_{14}$ | $\mathrm{~S}_{15}$ | $\mathrm{~S}_{16}$ | $\mathrm{~S}_{17}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Number of <br> terms in <br> sequences | 99973 | 99970 | 99967 | 99964 | 99961 | 99958 | 99955 | 99952 | 99949 |
| Number of <br> primes in <br> sequences | 1 | 2 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| \% of primes in <br> sequences | 0,001 | 0,002 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |

Table $\mathrm{n}^{\circ}$ 4: seed and sequence length and prime numbers.
seed: first $10^{5}$ prime numbers from 2 to 1299709.

| Seed/sequence | Seed | $\mathrm{S}_{1}$ | $\mathrm{~S}_{2}$ | $\mathrm{~S}_{3}$ | $\mathrm{~S}_{4}$ | $\mathrm{~S}_{5}$ | $\mathrm{~S}_{6}$ | $\mathrm{~S}_{7}$ | $\mathrm{~S}_{8}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Number of <br> terms in seed <br> and sequences | $10^{6}$ | 999997 | 999994 | 999991 | 999988 | 999985 | 999982 | 999979 | 999976 |
| Number of <br> primes in seed <br> and sequences | $10^{6}$ | 1 | 13786 | 4338 | 1783 | 587 | 199 | 72 | 28 |
| \% of primes in <br> seed and <br> sequences | 100 | 0,0001 | 1,38 | 0,43 | 0,18 | 0,059 | 0,02 | 0,0072 | 0,0028 |


| Sequence | $\mathrm{S}_{9}$ | $\mathrm{~S}_{10}$ | $\mathrm{~S}_{11}$ | $\mathrm{~S}_{12}$ | $\mathrm{~S}_{33}$ | $\mathrm{~S}_{14}$ | $\mathrm{~S}_{15}$ | $\mathrm{~S}_{16}$ | $\mathrm{~S}_{17}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Number of <br> terms in <br> sequences | 999973 | 999970 | 999967 | 999964 | 999961 | 999958 | 999955 | 999952 | 999949 |
| Number of <br> primes in <br> sequences | 8 | 3 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| \% of primes in <br> sequences | 0,0008 | 0,0003 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |

Table $\mathrm{n}^{\circ} 5$ : seed and sequence length and prime numbers.
seed: first $10^{6}$ prime numbers from 2 to 15485863.

| Seed/sequence | Seed | $\mathrm{S}_{1}$ | $\mathrm{~S}_{2}$ | $\mathrm{~S}_{3}$ | $\mathrm{~S}_{4}$ | $\mathrm{~S}_{5}$ | $\mathrm{~S}_{6}$ | $\mathrm{~S}_{7}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Number of <br> terms in seed <br> and sequences | $10^{7}$ | 9999997 | 9999994 | 9999991 | 9999988 | 9999985 | 9999982 | 9999979 |
| Number of <br> primes in seed <br> and sequences | $10^{7}$ | 1 | 117710 | 38267 | 14900 | 5052 | 1738 | 591 |
| \% of primes <br> in seed and <br> sequences | 100 | 0,00001 | 1,18 | 0,38 | 0,15 | 0,051 | 0,017 | 0,0059 |


| Sequence | $\mathrm{S}_{8}$ | $\mathrm{~S}_{9}$ | $\mathrm{~S}_{10}$ | $\mathrm{~S}_{11}$ | $\mathrm{~S}_{12}$ | $\mathrm{~S}_{33}$ | $\mathrm{~S}_{14}$ | $\mathrm{~S}_{15}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Number of <br> terms in <br> sequences | 9999976 | 9999973 | 9999970 | 9999967 | 9999964 | 9999961 | 9999958 | 9999955 |
| Number of <br> primes in <br> sequences | 198 | 75 | 20 | 7 | 1 | 0 | 0 | 0 |
| \% of <br> primes in <br> sequences | 0,002 | 0,0008 | 0,0002 | 0,0001 | 0,00001 | 0 | 0 | 0 |

Table $\mathrm{n}^{\circ}$ 6: seed and sequence length and prime numbers. seed: first $10^{7}$ prime numbers from 2 to 179424673.

| Sequence | Prime numbers | Occurence |
| :---: | :---: | :---: |
| $\mathrm{S}_{1}$ | 7 | 1 |
| $\mathrm{~S}_{2}$ | 7 | 1 |
| $\mathrm{~S}_{3}$ | ----- | 6 |
| $\mathrm{~S}_{4}$ | ----- | 0 prime |
| $\mathrm{S}_{5}$ | 19 | 0 prime |
| $\mathrm{S}_{6}$ | ----- | 1 |
| $\mathrm{~S}_{7}$ | ---- | 0 prime |
| $\mathrm{S}_{8}$ | ----- | 0 prime |
| $\mathrm{S}_{9}$ | ----- | 0 prime |
| $\mathrm{S}_{10}$ | 1831 | 0 prime |
| $\mathrm{S}_{11}$ to $\mathrm{S}_{18}$ | ----- | 1 |

Table $n^{\circ} 7$ : occurrence of prime numbers in sequences. seed: first $10^{2}$ prime numbers from 2 to 541

| Sequence | Prime numbers | Occurence |
| :---: | :---: | :---: |
| $\mathrm{S}_{1}$ | 7 | 1 |
| $\mathrm{~S}_{2}$ | 7 | 1 |
| $\mathrm{~S}_{3}$ | 2 | 32 |
| $\mathrm{~S}_{4}$ | 2 | 10 |
| $\mathrm{~S}_{5}$ | 2 | 3 |
| $\mathrm{~S}_{6}$ | 19 | 1 |
| $\mathrm{~S}_{7}$ | 2 | 4 |
| $\mathrm{~S}_{8}$ | ------- | 0 prime |
| $\mathrm{S}_{9}$ | ---- | 0 prime |
| $\mathrm{S}_{10}$ | ---- | 0 prime |
| $\mathrm{S}_{11}$ to $\mathrm{S}_{18}$ | 1831 | 0 prime |

Table $n^{\circ} 8$ : occurrence of prime numbers in sequences.
seed: first $10^{3}$ prime numbers from 2 to 7919

| Sequence | Prime numbers | Occurence |
| :---: | :---: | :---: |
| $\mathrm{S}_{1}$ | 7 | 1 |
| $\mathrm{~S}_{2}$ | 7 | 1 |
| $\mathrm{~S}_{3}$ | 2 | 221 |
| $\mathrm{~S}_{4}$ | 2 | 68 |
| $\mathrm{~S}_{5}$ | 2 | 27 |
| $\mathrm{~S}_{6}$ | 19 | 1 |
| $\mathrm{~S}_{7}$ | 2 | 13 |
| $\mathrm{~S}_{8}$ | 2 | 6 |
| $\mathrm{~S}_{9}$ | ------ | 1 |
| $\mathrm{~S}_{10}$ | 1831 | no prime |
| $\mathrm{S}_{11}$ to $\mathrm{S}_{17}$ | ---- | no prime |
|  |  | 1 |

Table $n^{\circ} 9$ : occurrence of prime numbers in sequences. seed: first $10^{4}$ prime numbers from 2 to 104729

| Sequence | Prime numbers | Occurence |
| :---: | :---: | :---: |
| $\mathrm{S}_{1}$ | 7 | 1 |
| $\mathrm{~S}_{2}$ | 2 | 1684 |
| $\mathrm{~S}_{3}$ | 7 | 1 |
| $\mathrm{~S}_{4}$ | 2 | 505 |
| $\mathrm{~S}_{5}$ | 2 | 228 |
| $\mathrm{~S}_{6}$ | 19 | 1 |
| $\mathrm{~S}_{7}$ | 2 | 85 |
| $\mathrm{~S}_{8}$ | 2 | 32 |
| $\mathrm{~S}_{9}$ | 2 | 7 |
| $\mathrm{~S}_{10}$ | 2 | 1 |
| $\mathrm{~S}_{11}$ to $\mathrm{S}_{16}$ | 1831 | 1 |
| 2 | --- | 1 |

Table $\mathrm{n}^{\circ} 10$ : occurrence of prime numbers in sequences. seed: first $10^{5}$ prime numbers from 2 to 1299709

## Annex n ${ }^{\circ} 2$ : figures

Figure $\mathrm{n}^{\circ} 1$ : total number of terms in


Figure $\mathrm{n}^{\circ} 2$ : total number of prime numbers in the first 15 sequences $=f($ seed size $)$


Figure $\mathrm{n}^{\circ} 3$ : overall percentage of prime numbers in the first 15 sequences $=f($ seed size $)$


Figure $n^{\circ}$ 4: number of prime numbers in


Figure $n^{\circ} 5$ : percentage of prime numbers in the $\mathrm{S}_{2}$ sequence $=\mathrm{f}($ seed size $)$


Figure $n^{\circ} 6$ : number of prime numbers in the $S_{3}$ sequence $=f($ seed size $)$


Figure $n^{\circ} 7$ : percentage of prime numbers in the $S_{3}$ sequence $=f($ seed size $)$


Figure $\mathrm{n}^{\circ}$ 8: number of prime numbers in each sequence.
seed of $10^{2}$ prime number terms.


Figure $n^{\circ} 9$ : percentage of prime numbers in each sequence. seed of $10^{2}$ prime number terms.


Sequence

Figure $n^{\circ} 10$ : number of prime numbers in each sequence.
seed of $10^{3}$ prime number terms.


Sequence

Figure $n^{\circ} 11$ : percentage of prime numbers in each sequence. seed of $10^{3}$ prime number terms)


Sequence

Figure $\mathrm{n}^{\circ}$ 12: number of prime numbers in each sequence.
seed of $10^{4}$ prime number terms.


Sequence

Figure $n^{\circ} 13$ : percentage of prime numbers in each sequence. seed of $10^{4}$ prime number terms.


Sequence

Figure $n^{\circ} 14$ : number of prime numbers in each sequence.
seed of $10^{5}$ prime number terms.


Figure $n^{\circ} 15$ : percentage of prime numbers in each sequence. seed of $10^{5}$ prime number terms.


[^0]Figure $n^{\circ}$ 16: number of primes numbers in each sequence.


Sequence

Figure $\mathrm{n}^{\circ}$ 17: percentage of prime numbers in each sequence.
seed of $10^{6}$ prime number terms.


Sequence

Figure $n^{\circ} 18$ : number of prime numbers in eacc sequence. seed $10^{7}$ of prime number terms.


Figure $\mathrm{n}^{\circ}$ 19: percentage of prime numbers in each sequence.
seed of $10^{7}$ prime number terms.


Figure $n^{\circ} 20$ : distribution of 2 's in the $S_{6}$ sequence, seed: first $10^{4}$ prime number terms.



[^0]:    Sequence

