

Original article

Zeta star man, appearing in my dream and say

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Abstract

Zeta star man, appearing in my dream and say it "There is a groove in 0.5 (longitudinal direction), but the groove gets very shallow when it leaves the zero point, but there are grooves in the lateral direction for non-obvious zeros"

0.5 is the vertical groove, the imaginary value of the nontrivial zero is the horizontal groove, the place $[f(p)]$ here this intersects is a non-trivial zero point.

Therefore, the nontrivial zero point $\alpha[f(p)]$ exists on 0.5 .

$[f(p)]$ when $z = a + ib$, z takes the minimum value $[f(p)]$ when a value is 0.5 , and $[f(p)]$ when real value of b is non-trivial zero value, real value and imaginary value take the minimum value.

Also, z takes the minimum real value and imaginary value $[f(p)]$ when z is 0.5 $[f(p)]$ when the value of b is a value of a nontrivial zero.

Introduction

$$\zeta(s) = \sum_{n=1}^{\infty} \frac{1}{n^s} \quad (1)$$

$$\zeta(s) = \frac{2^s}{2^s - 1} \frac{3^s}{3^s - 1} \frac{5^s}{5^s - 1} \frac{7^s}{7^s - 1} \dots \quad (2)$$

Discussion

example is given below.

$$\text{zeta}(-0.5 + i14.1347) = -1.18446... - 0.314336... i$$

$$\text{zeta}(0 + i14.1347) = -0.479166... - 0.0989516... i$$

$$\text{zeta}(0.45 + i14.1347) = -0.0399393... - 0.00654949... i$$

$$\text{zeta}(0.46 + i14.1347) = -0.0318251... - 0.00519560... i$$

$$\text{zeta}(0.47 + i14.1347) = -0.0237742... - 0.00386602... i$$

$$\text{zeta}(0.48 + i14.1347) = -0.0157862... - 0.00256039... i$$

$$\text{zeta}(0.49 + i14.1347) = -0.00786057... - 0.00127839... i$$

$$\text{zeta}(0.5 + i14.1347) = 3.13536... \times 10^{-6} - 0.0000196934... i \dots \text{xxxxx}$$

$$\text{zeta}(0.51 + i14.1347) = 0.00780540... + 0.00121602... i$$

$$\text{zeta}(0.52 + i14.1347) = 0.0155467... + 0.00242908... i$$

$$\text{zeta}(0.53 + i14.1347) = 0.0232275... + 0.00361979... i$$

$$\text{zeta}(0.54 + i14.1347) = 0.0308482... + 0.00478846... i$$

$$\text{zeta}(0.55 + i14.1347) = 0.0384094... + 0.00593540... i$$

$$\text{zeta}(0.7 + i14.1347) = 0.144979... + 0.0207296... i$$

$$\text{zeta}(1 + i14.1347) = 0.323829... + 0.0393653... i$$

$$\text{zeta}(2 + i14.1347) = 0.689187... + 0.0475180... i$$

$$\text{zeta}(5 + i14.1347) = 0.967415... + 0.0101593... i$$

$$\text{zeta}(15 + i14.1347) = 0.999972... + 0.0000110979... i$$

$$\text{zeta}(137 + i14.1347) = 1.000000... + 2.089742... \times 10^{-42} i$$

$$\text{zeta}(0.5 + i14.0747) = 0.00858025... - 0.0465868... i$$

$$\text{zeta}(0.5 + i14.0847) = 0.00700014... - 0.0388873... i$$

zeta(0.5+ i14.0947)= 0.00547981... - 0.0311625... i
zeta(0.5+ i14.1047)= 0.00401962... - 0.0234129... i
zeta(0.5+ i14.1147)= 0.00261989... - 0.0156389... i
zeta(0.5+ i14.1247)= 0.00128095... - 0.00784103... i
zeta(0.5+ i14.1347)= 3.13536... × 10⁻⁶ - 0.0000196934... i.....xxxxx

zeta(0.5+ i14.1447)= -0.00121324... + 0.00782463... i
zeta(0.5+ i14.1547)= -0.00236786... + 0.0156915... i
zeta(0.5+ i14.1647)= -0.00346041... + 0.0235803... i
zeta(0.5+ i14.1747)= -0.00449057... + 0.0314907... i
zeta(0.5+ i14.1847)= -0.00545803... + 0.0394222... i
zeta(0.5+ i14.1947)= -0.00636250... + 0.0473742... i

zeta(0.45+ i21.022)= -0.0571515... + 0.0129223... i
zeta(0.46+ i21.022)= -0.0454506... + 0.0102425... i
zeta(0.47+ i21.022)= -0.0338876... + 0.00760648... i
zeta(0.48+ i21.022)= -0.0224609... + 0.00501374... i
zeta(0.49+ i21.022)= -0.0111689... + 0.00246376... i
zeta(0.5+ i21.022)= -9.85831... × 10⁻⁶ - 0.0000439714... ixxxxx
zeta(0.51+ i21.022)= 0.0110179... - 0.00250996... i
zeta(0.52+ i21.022)= 0.0219159... - 0.00493471... i
zeta(0.53+ i21.022)= 0.0326857... - 0.00731872... i
zeta(0.54+ i21.022)= 0.0326857... - 0.00731872... i
zeta(0.55+ i21.022)= 0.0538474... - 0.0119665... i

zeta(0.5+ i20.982)= -0.00890114... - 0.0447330... i
zeta(0.5+ i20.992)= -0.00687699... - 0.0335038... i
zeta(0.5+ i20.002)= -0.00472009... - 0.0223115... i
zeta(0.5+ i21.012)= -0.00243089... - 0.0111577... i
zeta(0.5+ i21.022)= -9.85831... × 10⁻⁶ - 0.0000439714... ixxxxx
zeta(0.5+ i21.032)= 0.00254250... + 0.0110280... i
zeta(0.5+ i21.042)= 0.00522568... + 0.0220566... i
zeta(0.5+ i21.052)= 0.00803915... + 0.0330403... i
zeta(0.5+ i21.062)= 0.0109823... + 0.0439773... i

and

$$\zeta[0.5+12i] = 1.01594... - 0.745112... i$$

$$\zeta[0.5+13i] = 0.443005... - 0.655483... i$$

$$\zeta[0.5+14i] = 0.0222411... - 0.103258... i$$

$$\zeta[0.5+14.1347i] = 3.13536... \times 10^{-6} - 0.0000196934... i$$

$$\zeta[0.5+15i] = 0.147110... + 0.704752... i$$

$$\zeta[0.5+16i] = 0.938545... + 1.21659... i$$

$$\zeta[0.5+17i] = 1.94665... + 0.895405... i$$

$$\zeta[0.5+18i] = 2.32915... - 0.188866... i$$

$$\zeta[0.5+19i] = 1.62250... - 1.16012... i$$

$$\zeta[0.5+20i] = 0.429914... - 1.06429... i$$

$$\zeta[0.5+21i] = -0.00516206... - 0.0245470... i$$

$$\zeta[0.5+21.022i] = -9.85831... \times 10^{-6} - 0.0000439714... i$$

$$\zeta[0.5+22i] = 0.720908... + 0.669613... i$$

$$\zeta[0.5+23i] = 1.44571... + 0.160826... i$$

$$\zeta[0.5+24i] = 0.951405... - 0.581608... i$$

$$\zeta[0.5+25i] = 0.00498459... - 0.0140123... i$$

$$\zeta[0.5+25.0108i] = 0.0000259160... - 0.0000746105... i$$

$$\zeta[0.5+26i] = 0.500511... + 1.33553... i$$

$$\zeta[0.5+27i] = 2.25426... + 1.21009... i$$

$$\zeta[0.5+28i] = 2.72475... - 0.682535... i$$

References

1. Riemann, Bernhard (1859). "Ueber die Anzahl der Primzahlen unter einer gegebenen Grösse".
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3. E. Bombe i, "Problems of the millennium: The Riemann pothesis,"CL Y,(2000).
4. John Derbyshire, Prime Obsession: Bernhard Riemann and The Greatest Unsolved Problem in Mathematics, Joseph Henry Press,2003, ISBN 9780309085496.



I am a psychiatrist no[f(p)] and also a doctor of brain surgery before.





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I [f(p)]ould like to receive an email. I [f(p)]ill not ans[f(p)]er the phone.

Currently 57 years old

Born on November 26, 1961

(I am very poor of English. Almost all document are google-translation.
)

[f(p)]hen converted to English by Google translation, it becomes cryptic to me.

But, I read letter by google translation.

In my case, if you translate it into English by google translation, I do not kno[f(p)] [f(p)]hat is [f(p)]ritten in my paper. For me, foreign languages such as English (actually not good at Japanese) is a demon.

As soon as it is translated into English, it turns into a cipher for me.

postscript

The cold [f(p)]hen I found the first one is still continuing no[f(p)] and this may be my last post. I may have discovered another by surging my energy and it may not be counter example.

It may be [f(p)]ritten as a [f(p)]ill.

I am [f(p)]riting this at the limit of po[f(p)]er.

I [f(p)]rite this [f(p)]ith spitting blood.

I [f(p)]ill post it in a hurry, as long as I have not done it before I die.

