

Holography and MHCE8S Theory: Importance of Critical Density Data and Galaxy Count Assumption

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Abstract: Agreement with Planck Collaboration critical density data and assumption of 10^{27} galaxy count verifies the importance of holography in MHCE8S theory.

Starting¹ with a spherical 3-dimensional universe of radius R , we compare its volume $\frac{4}{3} \times \pi \times R^3$ to that of a multiple (10^{27}) thin 2-dimensional disk-shaped area $4 \times \pi \times R^2 = (\frac{4}{3} \times \pi \times R^3) / (4 \times \pi \times R^2) = R/3$. Now² for $R = 4.1082355 \times 10^{26} \text{ M}$ the volume of the universe $= \frac{4}{3} \times \pi \times 4.1082355^3 = 1.3333333 \times 3.1415926 = 4.18879 \times 69.337147 = 290.43874 \times 10^{78} = 2.9043874 \times 10^{80} \text{ M}^3$. The total thin disk (galaxy) area of the universe $= (R/3)^2 = (1.3694118)^2 \times 10^{52} \text{ M}^2 = 1.8752886 \times 10^{52} \text{ M}^2$. Now the volume of a 3-dimensional universe/total (10^{27} galaxy) area of a 2-dimensional (galaxy) disk holographic universe $= 2.9043874 \times 10^{80} / 1.8752886 \times 10^{52} = 15.487682 \times 10^{27}$.

Each disk galaxy has an area $= 4 \times \pi \times R^2 / 10^{27} = 4 \times 3.14159926 = 12.566396 \times (4.1082355)^2 = 1.2566396 \times 1.6877598 \times 10^{54} = 2.1209057 \times 10^{27}$. Now $15.48 / 2.120 = 7.30 < 8.62$, and the critical density is not exceeded. For 10^{28} galaxies however, the disk area decreases by X10 and 7.30 increases X10, now exceeding the critical density limit.

1. "Observable universe", Wikipedia, (2019)
2. George R. Briggs, " Small corrections to the critical density calculation in MHCE8S theory produce full agreement with Planck Collaboration data", ViXra 1901.0221, (2019)