

Review article

Prime number determination method

Vol.1

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Abstract

As a prime number determination method, if the number is divided by 12 or 18 or 24 or 30 and the remainder is a prime number including 1, it is a prime number.

If the remainder is 2, it is an even number.

If the remainder is 3, it is a multiple of 3.

In particular, the remainder of the prime divided by 12 is limited to 1, 5, 7 and 11.

Therefore, the method of dividing by 12 seems to be the most efficient.

There is also a method of using the fact that the remainder becomes a prime number of 30 or less by dividing by 30, which is better or more subtle.

When prime is divided by 30, the remainder always becomes prime.

Thus the prime number circulates in 12 or 30 and more for example, 18, 24, etc..

But, In the case of multiplication of prime number and prime number, the remainder may be 35 or 25 and prime number when dividing by 48.

And this is not only when dividing by 48, the same can be said when dividing by 30, 24, 18.

It can not be determined whether it is a prime or not, it is just a sieve.

Discussion

All of the following, the one which prime was divided.

$$13/12=1 \times 12 + 1$$

$$17/12=1 \times 12 + 5$$

$$19/12=1 \times 12 + 7 \text{ twin prime}$$

$$23/12=1 \times 12 + 11$$

$$29/12=2 \times 12 + 5$$

$$31/12=2 \times 12 + 7$$

$$37/12=3 \times 12 + 1$$

$$41/12=3 \times 12 + 5$$

$$43/12=3 \times 12 + 7 \text{ twin prime}$$

$$47/12=3 \times 12 + 11$$

$$53/12=4 \times 12 + 5$$

$$59/12=4 \times 12 + 11$$

$$61/12=5 \times 12 + 1 \text{ twin prime}$$

$$71/12=5 \times 12 + 11$$

$$73/12=6 \times 12 + 1 \text{ twin prime}$$

$$79/12=6 \times 12 + 7$$

$$83/12=6 \times 12 + 11$$

$$89/12=7 \times 12 + 5$$

$$97/12=8 \times 12 + 1$$

$$101/12=8 \times 12 + 5$$

$$103/12=8 \times 12 + 7 \text{ twin prime}$$

$$107/12=8 \times 12 + 11$$

$$109/12=9 \times 12 + 1 \text{ twin prime}$$

$$113/12=9 \times 12 + 5$$

$$127/12=10 \times 12 + 7$$

$$131/12=10 \times 12 + 11$$

$$137/12=11 \times 12 + 5$$

$$139/12=11 \times 12 + 7 \text{ twin prime}$$

$$149/12=12 \times 12 + 5$$

$$151/12=12 \times 12 + 7 \text{ twin prime}$$

$$157/12=13 \times 12 + 1$$

$$163/12=13 \times 12 + 7$$

$$167/12=13 \times 12 + 11$$

$$173/12=14 \times 12 + 5$$

$$179/12=14 \times 12 + 11$$

$$181/12=15 \times 12 + 1 \text{ twin prime}$$

$$191/12=15 \times 12 + 11$$

$$193/12=16 \times 12 + 1 \text{ twin prime}$$

$$197/12=16 \times 12 + 5$$

$$199/12=16 \times 12 + 7 \text{ twin prime}$$

$$211/12=17 \times 12 + 7$$

$$223/12=18 \times 12 + 7$$

$$227/12=18 \times 12 + 11$$

$$229/12=19 \times 12 + 1 \text{ twin prime}$$

$$233/12=19 \times 12 + 5$$

$$239/12=19 \times 12 + 11$$

$$241/12=20 \times 12 + 1 \text{ twin prime}$$

$$251/12=20 \times 12 + 11$$

$$257/12=21 \times 12 + 5$$

$$263/12=21 \times 12 + 11$$

$$269/12=22 \times 12 + 5$$

$$271/12=22 \times 12 + 7 \text{ twin prime}$$

$$277/12=23 \times 12 + 1$$

$$281/12=23 \times 12 + 5$$

$$283/12=23 \times 12 + 7 \text{ twin prime}$$

$$293/12=24 \times 12 + 5$$

$$307/12=25 \times 12 + 7$$

$$311/12=25 \times 12 + 11$$

$$313/12=26 \times 12 + 1 \text{ twin prime}$$

$$317/12=26 \times 12 + 5$$

$$331/12=27 \times 12 + 7$$

$$337/12=28 \times 12 + 1$$

$$347/12=28 \times 12 + 11$$

$$349/12=29 \times 12 + 1 \text{ twin prime}$$

$$353/12=29 \times 12 + 5$$

$$359/12=29 \times 12 + 11$$

$$367/12=30 \times 12 + 7$$

$373/12=31 \times 12 + 1$
 $379/12=31 \times 12 + 7$
 $383/12=31 \times 12 + 11$
 $389/12=32 \times 12 + 5$
 $397/12=33 \times 12 + 1$
 $401/12=33 \times 12 + 5$
 $409/12=34 \times 12 + 1$
 $419/12=34 \times 12 + 11$
 $421/12=35 \times 12 + 1$ *twin prime*
 $431/12=35 \times 12 + 11$
 $433/12=36 \times 12 + 1$ *twin prime*
 $439/12=36 \times 12 + 7$
 $443/12=36 \times 12 + 11$
 $449/12=37 \times 12 + 5$
 $457/12=38 \times 12 + 1$
 $461/12=38 \times 12 + 5$
 $463/12=38 \times 12 + 7$ *twin prime*
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 $739/12=61 \times 12 + 7$
 $743/12=61 \times 12 + 11$
 $953/12=79 \times 12 + 5$
 $997/12=83 \times 12 + 1$
 $1021/12=85 \times 12 + 1$
 $1361/12=113 \times 12 + 5$
 $1381/12=115 \times 12 + 1$
 $1511/12=125 \times 12 + 11$
 $1579/12=131 \times 12 + 7$
 $1621/12=135 \times 12 + 1$
 $1693/12=141 \times 12 + 1$
 $1783/12=148 \times 12 + 7$
 $1877/12=156 \times 12 + 5$
 $1901/12=158 \times 12 + 5$
 $1907/12=158 \times 12 + 11$
 $1913/12=159 \times 12 + 5$
 $1931/12=160 \times 12 + 11$
 $1987/12=165 \times 12 + 7$
 $1999/12=166 \times 12 + 7$
 $2063/12=171 \times 12 + 11$

$$2161/12=180 \times 12 + 1$$

$$2293/12=191 \times 12 + 1$$

$$2477/12=206 \times 12 + 5$$

$$3001/12=250 \times 12 + 1$$

$$3191/12=265 \times 12 + 11$$

$$3331/12=277 \times 12 + 7$$

$$4073/12=339 \times 12 + 5$$

$$4691/12=390 \times 12 + 11$$

$$9883/12=823 \times 12 + 7$$

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$$67/30=2 \times 30 + 7$$

$$71/30=2 \times 30 + 11$$

$$73/30=2 \times 30 + 13 \text{ twin prime}$$

$$79/30=2 \times 30 + 19$$

$$83/30=2 \times 30 + 23$$

$$89/30=2 \times 30 + 29$$

$$97/30=3 \times 30 + 7$$

$$101/30=3 \times 30 + 11$$

$$103/30=3 \times 30 + 13 \text{ twin prime}$$

$$107/30=3 \times 30 + 17$$

$$109/30=3 \times 30 + 19 \text{ twin prime}$$

$$113/30=3 \times 30 + 23$$

$$127/30=4 \times 30 + 7$$

$$131/30=4 \times 30 + 11$$

$$137/30=4 \times 30 + 17$$

$$139/30=4 \times 30 + 19 \text{ twin prime}$$

$$149/30=4 \times 30 + 29$$

$$151/30=5 \times 30 + 1 \text{ twin prime}$$

$$157/30=5 \times 30 + 7$$

$$163/30=5 \times 30 + 13$$

$$167/30=5 \times 30 + 17$$

$$173/30=5 \times 30 + 23$$

$$179/30=5 \times 30 + 29$$

$$181/30=6 \times 30 + 1 \text{ twin prime}$$

$191/30=6 \times 30 + 11$
 $193/30=6 \times 30 + 13$ *twin prime*
 $197/30=6 \times 30 + 17$
 $199/30=6 \times 30 + 19$ *twin prime*
 $211/30=7 \times 30 + 1$
 $213/30=7 \times 30 + 13$
 $227/30=7 \times 30 + 17$
 $229/30=7 \times 30 + 19$ *twin prime*
 $233/30=7 \times 30 + 23$
 $239/30=7 \times 30 + 29$
 $241/30=8 \times 30 + 1$ *twin prime*
 $251/30=8 \times 30 + 11$
 $257/30=8 \times 30 + 17$
 $263/30=8 \times 30 + 23$
 $269/30=8 \times 30 + 29$
 $271/30=9 \times 30 + 1$ *twin prime*
 $277/30=9 \times 30 + 7$
 $281/30=9 \times 30 + 11$
 $283/30=9 \times 30 + 13$ *twin prime*
 $293/30=9 \times 30 + 23$
 $307/30=10 \times 30 + 7$
 $311/30=10 \times 30 + 11$
 $313/30=10 \times 30 + 13$ *twin prime*
 $317/30=10 \times 30 + 17$
 $331/30=11 \times 30 + 1$
 $337/30=11 \times 30 + 7$
 $347/30=11 \times 30 + 17$
 $349/30=11 \times 30 + 19$
.....
.....
 $1901/30=63 \times 30 + 11$
 $1913/30=63 \times 30 + 23$
 $1933/30=64 \times 30 + 13$
 $1949/30=64 \times 30 + 29$
 $1951/30=65 \times 30 + 1$
 $1973/30=65 \times 30 + 23$
 $2003/30=66 \times 30 + 23$
 $2011/30=67 \times 30 + 1$

$$2017/30=67 \times 30 + 7$$

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Just to be sure, I write it again, but the numbers divided are all prime numbers.

Prime number is representable either as $6n+1$ or as $6n-1$.

When $6n+1$

If $n=2k$, $6 \cdot 2k+1=12k+1$

If $n=2k+1$, $6 \cdot (2k+1)+1=12k+7$

And

When $6n-1$

If $n=2k$, $6 \cdot 2k-1=12k-1=12(k-1)+11$

If $n=2k+1$, $6 \cdot (2k+1)-1=12k+5$

In this way, the remainder of the prime divided by 12 is limited to 1, 5, 7 and 11.

Re-discussion

(The following shows the multiplication of prime numbers.)

when

$$51521 \cdot 51853 = 2671518413 = 148417689 \times 18 + 11 = 222626534 \times 12 + 5 = 111313267 \times 24 + 5 \\ = 89050613 \times 30 + 23 (51521 = 8586 \times 6 + 5, 51853 = 8642 \times 6 + 1) = 55656633 \times 48 + \mathbf{29}$$

when

$$27067 \cdot 25367 = 686608589 = 38144921 \times 18 + 11 = 57217382 \times 12 + 5 = \\ 28608691 \times 24 + 5 = 22886952 \times 30 + 29 = 14304345 \times 48 + \mathbf{29}$$

when

$$28099 \cdot 29137 = 818720563 = 45484475 \times 18 + 13 = 68226713 \times 12 + 7 = 34113356 \times 24 + 19 \\ = 27290685 \times 30 + 13 (28099 = 4683 \times 6 + 1, 29137 = 4856 \times 6 + 1) = 17056678 \times 48 + \mathbf{19}$$

when

$$30271 \cdot 25261 = 764675731 = 42481985 \times 18 + 1 = 63722977 \times 12 + 7 = 31861488 \times 24 + 19$$

$$=25489191 \times 30 + 1(30271=5045 \times 6 + 1, 25261=4210 \times 6 + 1 =2105 \times 12 + 1)= 15930744 \times 48 + 19$$

when

$$44071*41281=1819294951=101071941 \times 18 + 13=151607912 \times 12 + 7=75803956 \times 24 + 7 =60643165 \times 30 + 1=37901978 \times 48 + 7$$

when

$$33581*35671=1197867851=66548213 \times 18 + 17=99822320 \times 12 + 11=49911160 \times 24 + 11=39928928 \times 30 + 11=24955580 \times 48 + 11$$

when

$$7*151=1057=58 \times 18 + 13=88 \times 12 + 1=44 \times 24 + 1=35 \times 30 + 7$$

when

$$41077*44279=1818848483=101047137 \times 18 + 17=151570706 \times 12 + 11=75785353 \times 24 + 11=60628282 \times 30 + 23=37892676 \times 48 + 3\beta\beta\beta\beta5=30314141 \times 60 + 23$$

when

$$41*43=1763=97 \times 18 + 17=146 \times 12 + 11=73 \times 24 + 11=73 \times 24 + 11=58 \times 30 + 23=36 \times 48 + 35$$

when

$$46591*49037=2284682867=126926825 \times 18 + 17=190390238 \times 12 + 11=95195119 \times 24 + 11=76156095 \times 30 + 17=47597559 \times 48 + 35$$

when

$$191=955=53 \times 18 + 1=79 \times 12 + 7=39 \times 24 + 19=31 \times 30 + 25$$

when

$$(48*2+5)*(48*1+5)= 101 \times 53 =5353=111 \times 48 + 25$$

re-conclusion

prime number can express $48n+5$ or $48n+7$, Therefore, The multiplication's remainder divided by 48 may be 25 or 35.

Reference

1) https://en.wikipedia.org/wiki/Prime_number

2) https://en.m.wikipedia.org/wiki/Formula_for_primes



I am a psychiatrist now and also a doctor of brain surgery before.

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Currently 56 years old

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I would like to receive an email. I will not answer the phone.

I am very poor of english. Document are all google-translation.

When it is translated into English, Japanese becomes cryptographically.

$$\zeta(s) = \sum_{n=1}^{\infty} \frac{1}{n^s} \quad (1)$$

$$\zeta(s) = \frac{2^s}{2^s - 1} \frac{3^s}{3^s - 1} \frac{5^s}{5^s - 1} \frac{7^s}{7^s - 1} \cdots \quad (2)$$

【References】

- 1) https://en.wikipedia.org/wiki/Riemann_hypothesis



☺~☺~☺~☺~☺~

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