

## ***Original article***

### ***Discovery of prime number production equation by complex number***

$$(\sqrt{24a+4i})^2+33$$

***and***

$$(\sqrt{6a+4i})^2+33$$

***and***

$$(\sqrt{10a+4i})^2+35$$

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## ***Abstract***

***I tried variously.***

$$(30a+bi)^2+k$$

$$(24a+bi)^2+k$$

$$(1007a+bi)^2+k$$

$$(60a+bi)^2+k \quad \text{etc.}$$

***(a, b and k are positive integer.)***

***Only the real part of the complex number was extracted.***

***However, in the above formula it did not work well.***

***and, It settled down.***

$$(\sqrt{24a+4i})^2+33$$

**and**

$$(\sqrt{6a+4i})^2+33$$

**I half successful.**

**$\sqrt{8}, \sqrt{12}, \sqrt{14}, \sqrt{18}$  did not succeed.**

**Last,**

$$(\sqrt{10a+4i})^2+35$$

**(a are positive integer)**

**I half successful.**

**Only the real part of the complex number was extracted.**

**However, a relatively large number of things that are not prime numbers are still included.**

**The challenge to my prime production ceremony will continue.**

## **Introduction**

$$(30a+bi)^2+k$$

$$(24a+bi)^2+k$$

$$(1007a+bi)^2+k$$

$$(60a+bi)^2+k$$

$$(2a+bi)^2+k$$

$$(4a+bi)^2+k$$

$$(6a+bi)^2+k$$

$$(8a+bi)^2+k$$

$$(10a+bi)^2+k$$

$$(12a+bi)^2+k$$

**(a,b,k is positive integer)**

Only the real part of the complex number was extracted.

However, in the above formula it did not work well.

I attempted triple and quadruple, but did not go well.

Finally, I tried use  $\sqrt{24}$ .

$$(\sqrt{24a} + 4i)^2 + 33$$

$$(\sqrt{24a+4i})^2+33$$

(a is positive integer)

Only the real part of the complex number was extracted.

I half successful.

Make sure not to make a mistake, but  $(\sqrt{10}) * a$ , and a is not in  $\sqrt{\quad}$ .

And, finally I tried

$$(\sqrt{6a} + 4i)^2 + 33$$

$(\sqrt{6a+4i})^2+33$

(a is positive integer)

Only the real part of the complex number was extracted.

I half successful.

$\sqrt{2}, \sqrt{8}, \sqrt{12}, \sqrt{14}, \sqrt{18}$  did not succeed.

However,  $\sqrt{8}, \sqrt{12}$  were a subtle feeling.

And

$\sqrt{3}, \sqrt{5}, \sqrt{7}, \sqrt{11}, \sqrt{13}, \sqrt{15}, \sqrt{17}$  did not succeed.

In the above odd numbers, even and odd numbers alternately came out.

However, there was a feeling that good results would be obtained if even number and odd number were different.

Finally I tried

$$(\sqrt{10a} + 4i)^2 + 35$$

$(\sqrt{10a+4i})^2+35$

(a is positive integer)

Only the real part of the complex number was extracted.

I half successful.

However, the challenge to my prime production ceremony will continue.

## ***discussion***

$$(\sqrt{6a} + 4i)^2 + 33$$

(a is positive integer)

Only the real part of the complex number was extracted.

$(\sqrt{6 \times 1} + 4i)^2 + 33 = 23$  ----prime  
 $(\sqrt{6 \times 2} + 4i)^2 + 33 = 41$  -----prime  
 $(\sqrt{6 \times 3} + 4i)^2 + 33 = 71$  -----prime  
 $(\sqrt{6 \times 4} + 4i)^2 + 33 = 113$  -----prime  
 $(\sqrt{6 \times 5} + 4i)^2 + 33 = 167$  -----prime  
 $(\sqrt{6 \times 6} + 4i)^2 + 33 = 233$  -----prime  
 $(\sqrt{6 \times 7} + 4i)^2 + 33 = 311$  -----prime  
 $(\sqrt{6 \times 8} + 4i)^2 + 33 = 401$  -----prime  
 $(\sqrt{6 \times 9} + 4i)^2 + 33 = 503$  -----prime  
 $(\sqrt{6 \times 10} + 4i)^2 + 33 = 617$  -----prime  
 $(\sqrt{6 \times 11} + 4i)^2 + 33 = 743$  -----prime  
 $(\sqrt{6 \times 12} + 4i)^2 + 33 = 881$  -----prime  
 $(\sqrt{6 \times 13} + 4i)^2 + 33 = 1031$  -----prime  
 $(\sqrt{6 \times 14} + 4i)^2 + 33 = 1193$  -----prime  
 $(\sqrt{6 \times 15} + 4i)^2 + 33 = 1367$  -----prime  
 $(\sqrt{6 \times 16} + 4i)^2 + 33 = 1553$  -----prime  
 $(\sqrt{6 \times 17} + 4i)^2 + 33 = 1751$  -----twin prime(1753)  
 $(\sqrt{6 \times 18} + 4i)^2 + 33 = 1961$  -----1951+330  
 $(\sqrt{6 \times 19} + 4i)^2 + 33 = 2183$  -----2179+ 4  
 $(\sqrt{6 \times 20} + 4i)^2 + 33 = 2417$  -----prime  
 $(\sqrt{6 \times 21} + 4i)^2 + 33 = 2663$  -----prime  
 $(\sqrt{6 \times 22} + 4i)^2 + 33 = 2921$  -----2917+ 4  
 $(\sqrt{6 \times 23} + 4i)^2 + 33 = 3191$  -----prime  
 $(\sqrt{6 \times 24} + 4i)^2 + 33 = 3473$  -----3469+ 4  
 $(\sqrt{6 \times 25} + 4i)^2 + 33 = 3767$  -----prime  
 $(\sqrt{6 \times 26} + 4i)^2 + 33 = 4073$  -----prime  
 $(\sqrt{6 \times 27} + 4i)^2 + 33 = 4391$  -----prime  
 $(\sqrt{6 \times 28} + 4i)^2 + 33 = 4721$  -----prime  
 $(\sqrt{6 \times 29} + 4i)^2 + 33 = 5063$  -----5059+ 4  
 $(\sqrt{6 \times 30} + 4i)^2 + 33 = 5417$  -----prime  
 $(\sqrt{6 \times 31} + 4i)^2 + 33 = 5783$  -----prime  
 $(\sqrt{6 \times 32} + 4i)^2 + 33 = 6161$  -----twin prime(6163)

$(\sqrt{6 \times 33 + 4i})^2 + 33 = 6551$  -----prime  
 $(\sqrt{6 \times 34 + 4i})^2 + 33 = 6953$  -----6949+ 4  
 $(\sqrt{6 \times 35 + 4i})^2 + 33 = 7367$  -----twin prime(7369)  
 $(\sqrt{6 \times 36 + 4i})^2 + 33 = 7793$  -----prime  
 $(\sqrt{6 \times 37 + 4i})^2 + 33 = 8231$  -----prime  
 $(\sqrt{6 \times 38 + 4i})^2 + 33 = 8681$  -----prime  
 $(\sqrt{6 \times 39 + 4i})^2 + 33 = 9143$  -----9137+ 6  
 $(\sqrt{6 \times 40 + 4i})^2 + 33 = 9617$  -----twin prime(9619)  
 $(\sqrt{6 \times 41 + 4i})^2 + 33 = 10103$  ----prime  
 $(\sqrt{6 \times 42 + 4i})^2 + 33 = 10601$  -----prime  
 $(\sqrt{6 \times 43 + 4i})^2 + 33 = 11111$  -----twin prime(11113)  
 $(\sqrt{6 \times 44 + 4i})^2 + 33 = 11633$  -----prime  
 $(\sqrt{6 \times 45 + 4i})^2 + 33 = 12167$  -----12163+ 4  
 $(\sqrt{6 \times 46 + 4i})^2 + 33 = 12713$  -----prime  
 $(\sqrt{6 \times 47 + 4i})^2 + 33 = 13271$  -----13267+ 4  
 $(\sqrt{6 \times 48 + 4i})^2 + 33 = 13841$  -----prime  
 $(\sqrt{6 \times 49 + 4i})^2 + 33 = 14423$  -----prime  
 $(\sqrt{6 \times 50 + 4i})^2 + 33 = 15017$  -----prime  
 $(\sqrt{6 \times 51 + 4i})^2 + 33 = 15623$  -----15619+ 4  
 $(\sqrt{6 \times 52 + 4i})^2 + 33 = 16241$  -----16231+330  
 $(\sqrt{6 \times 53 + 4i})^2 + 33 = 16871$  -----prime  
 $(\sqrt{6 \times 54 + 4i})^2 + 33 = 17513$  -----17509+ 4  
 $(\sqrt{6 \times 55 + 4i})^2 + 33 = 18167$  -----twin prime(18169)  
 $(\sqrt{6 \times 56 + 4i})^2 + 33 = 18833$  -----18839- 6  
 $(\sqrt{6 \times 57 + 4i})^2 + 33 = 19511$  -----19507+ 4  
 $(\sqrt{6 \times 58 + 4i})^2 + 33 = 20201$  -----prime  
 $(\sqrt{6 \times 59 + 4i})^2 + 33 = 20903$  -----prime  
 $(\sqrt{6 \times 60 + 4i})^2 + 33 = 21617$  -----prime  
  
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$$(\sqrt{10a + 4i})^2 + 35$$

(a is positive integer)

(a is 1,2,3,4,5,6,7,8,9,10.....)

Only the real part of the complex number was extracted.

$(\sqrt{10 \times 1 + 4i})^2 + 35 = 29$  ----prime  
 $(\sqrt{10 \times 2 + 4i})^2 + 35 = 59$  -----prime  
 $(\sqrt{10 \times 3 + 4i})^2 + 35 = 109$  -----prime  
 $(\sqrt{10 \times 4 + 4i})^2 + 35 = 179$  -----prime  
 $(\sqrt{10 \times 5 + 4i})^2 + 35 = 269$  -----prime  
 $(\sqrt{10 \times 6 + 4i})^2 + 35 = 379$  -----prime  
 $(\sqrt{10 \times 7 + 4i})^2 + 35 = 509$  -----prime  
 $(\sqrt{10 \times 8 + 4i})^2 + 35 = 659$  -----prime  
 $(\sqrt{10 \times 9 + 4i})^2 + 35 = 829$  -----prime  
 $(\sqrt{10 \times 10 + 4i})^2 + 35 = 1019$  -----prime  
 $(\sqrt{10 \times 11 + 4i})^2 + 35 = 1229$  ----prime  
 $(\sqrt{10 \times 12 + 4i})^2 + 35 = 1459$  -----prime  
 $(\sqrt{10 \times 13 + 4i})^2 + 35 = 1709$  -----prime  
 $(\sqrt{10 \times 14 + 4i})^2 + 35 = 1979$  -----prime  
 $(\sqrt{10 \times 15 + 4i})^2 + 35 = 2269$  -----prime  
 $(\sqrt{10 \times 16 + 4i})^2 + 35 = 2579$  -----prime  
 $(\sqrt{10 \times 17 + 4i})^2 + 35 = 2909$  -----prime  
 $(\sqrt{10 \times 18 + 4i})^2 + 35 = 3259$  -----prime  
 $(\sqrt{10 \times 19 + 4i})^2 + 35 = 3629$  -----twin prime(3631)  
 $(\sqrt{10 \times 20 + 4i})^2 + 35 = 4019$  -----prime  
 $(\sqrt{10 \times 21 + 4i})^2 + 35 = 4429$  -----not prime  
 $(\sqrt{10 \times 22 + 4i})^2 + 35 = 4859$  -----twin prime(4861)  
 $(\sqrt{10 \times 23 + 4i})^2 + 35 = 5309$  -----prime  
 $(\sqrt{10 \times 24 + 4i})^2 + 35 = 5779$  -----prime  
 $(\sqrt{10 \times 25 + 4i})^2 + 35 = 6269$  -----prime  
 $(\sqrt{10 \times 26 + 4i})^2 + 35 = 6779$  -----prime  
 $(\sqrt{10 \times 27 + 4i})^2 + 35 = 7309$  -----prime  
 $(\sqrt{10 \times 28 + 4i})^2 + 35 = 7859$  -----7867,7873,  
 $(\sqrt{10 \times 29 + 4i})^2 + 35 = 8429$  -----prime  
 $(\sqrt{10 \times 30 + 4i})^2 + 35 = 9019$  -----9013,9029  
 $(\sqrt{10 \times 31 + 4i})^2 + 35 = 9629$  -----prime  
 $(\sqrt{10 \times 32 + 4i})^2 + 35 = 10259$  -----prime  
 $(\sqrt{10 \times 33 + 4i})^2 + 35 = 10909$  -----prime  
 $(\sqrt{10 \times 34 + 4i})^2 + 35 = 11579$  -----prime  
 $(\sqrt{10 \times 35 + 4i})^2 + 35 = 12269$  -----prime  
 $(\sqrt{10 \times 36 + 4i})^2 + 35 = 12979$  -----prime

$(\sqrt{10 \times 37 + 4i})^2 + 35 = 13709$  -----prime  
 $(\sqrt{10 \times 38 + 4i})^2 + 35 = 14459$  -----twin prime(14461)  
 $(\sqrt{10 \times 39 + 4i})^2 + 35 = 15229$  -----twin prime(15227)  
 $(\sqrt{10 \times 40 + 4i})^2 + 35 = 16019$  -----16033,16057  
 $(\sqrt{10 \times 41 + 4i})^2 + 35 = 16829$  -----prime  
 $(\sqrt{10 \times 42 + 4i})^2 + 35 = 17659$  -----prime  
 $(\sqrt{10 \times 43 + 4i})^2 + 35 = 18509$  -----18503,18517  
 $(\sqrt{10 \times 44 + 4i})^2 + 35 = 19379$  -----prime  
 $(\sqrt{10 \times 45 + 4i})^2 + 35 = 20269$  -----prime  
 $(\sqrt{10 \times 46 + 4i})^2 + 35 = 21179$  -----prime  
 $(\sqrt{10 \times 47 + 4i})^2 + 35 = 22109$  -----prime  
 $(\sqrt{10 \times 48 + 4i})^2 + 35 = 23059$  -----prime  
 $(\sqrt{10 \times 49 + 4i})^2 + 35 = 24029$  -----prime  
 $(\sqrt{10 \times 50 + 4i})^2 + 35 = 25019$  -----25013,25031  
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$$(\sqrt{24a} + 4i)^2 + 33$$

(a is positive integer)

(a is 1,2,3,4,5,6,7,8,9,10.....)

Only the real part of the complex number was extracted.

$(\sqrt{24 \times 1 + 4i})^2 + 33 = 41$  ----prime  
 $(\sqrt{24 \times 2 + 4i})^2 + 33 = 113$  -----prime  
 $(\sqrt{24 \times 3 + 4i})^2 + 33 = 233$  -----prime  
 $(\sqrt{24 \times 4 + 4i})^2 + 33 = 401$  -----prime  
 $(\sqrt{24 \times 5 + 4i})^2 + 33 = 617$  -----prime  
 $(\sqrt{24 \times 6 + 4i})^2 + 33 = 881$  -----prime  
 $(\sqrt{24 \times 7 + 4i})^2 + 33 = 1193$  -----prime  
 $(\sqrt{24 \times 8 + 4i})^2 + 33 = 1553$  -----prime  
 $(\sqrt{24 \times 9 + 4i})^2 + 33 = 1961$  -----1951+10  
 $(\sqrt{24 \times 10 + 4i})^2 + 33 = 2417$  -----prime  
 $(\sqrt{24 \times 11 + 4i})^2 + 33 = 2921$  -----2927- 6  
 $(\sqrt{24 \times 12 + 4i})^2 + 33 = 3473$  -----3467+ 6

$(\sqrt{24 \times 13 + 4i})^2 + 33 = 4073$ -----prime  
 $(\sqrt{24 \times 14 + 4i})^2 + 33 = 4721$ -----prime  
 $(\sqrt{24 \times 15 + 4i})^2 + 33 = 5417$ -----prime  
 $(\sqrt{24 \times 16 + 4i})^2 + 33 = 6161$ -----twin prime(6163)  
 $(\sqrt{24 \times 17 + 4i})^2 + 33 = 6953$ -----6959- 6  
 $(\sqrt{24 \times 18 + 4i})^2 + 33 = 7793$ -----prime  
 $(\sqrt{24 \times 19 + 4i})^2 + 33 = 8681$ -----prime  
 $(\sqrt{24 \times 20 + 4i})^2 + 33 = 9617$ -----twin prime(9619)  
 $(\sqrt{24 \times 21 + 4i})^2 + 33 = 10601$ -----prime  
 $(\sqrt{24 \times 22 + 4i})^2 + 33 = 11633$ -----prime  
 $(\sqrt{24 \times 23 + 4i})^2 + 33 = 12713$ -----prime  
 $(\sqrt{24 \times 24 + 4i})^2 + 33 = 13841$ -----prime  
 $(\sqrt{24 \times 25 + 4i})^2 + 33 = 15017$ -----prime  
 $(\sqrt{24 \times 26 + 4i})^2 + 33 = 16241$ -----16249- 8  
 $(\sqrt{24 \times 27 + 4i})^2 + 33 = 17513$ -----17517- 4  
 $(\sqrt{24 \times 28 + 4i})^2 + 33 = 18833$ -----18039- 6  
 $(\sqrt{24 \times 29 + 4i})^2 + 33 = 20201$ -----prime  
 $(\sqrt{24 \times 30 + 4i})^2 + 33 = 21617$ ----prime  
 $(\sqrt{24 \times 31 + 4i})^2 + 33 = 23081$  ----prime  
 $(\sqrt{24 \times 32 + 4i})^2 + 33 = 24593$  -----prime  
 $(\sqrt{24 \times 33 + 4i})^2 + 33 = 26153$  -----prime  
 $(\sqrt{24 \times 34 + 4i})^2 + 33 = 27761$  -----twin prime(27763)  
 $(\sqrt{24 \times 35 + 4i})^2 + 33 = 29417$  -----29411+ 6  
 $(\sqrt{24 \times 36 + 4i})^2 + 33 = 31121$  -----prime  
 $(\sqrt{24 \times 37 + 4i})^2 + 33 = 32873$  -----32869+ 4  
 $(\sqrt{24 \times 38 + 4i})^2 + 33 = 34673$  -----prime  
 $(\sqrt{24 \times 39 + 4i})^2 + 33 = 36521$  -----twin prime(36523)  
 $(\sqrt{24 \times 40 + 4i})^2 + 33 = 38417$  -----38432-15  
 $(\sqrt{24 \times 41 + 4i})^2 + 33 = 40361$  ----prime  
 $(\sqrt{24 \times 42 + 4i})^2 + 33 = 42353$  -----42349+ 4  
 $(\sqrt{24 \times 43 + 4i})^2 + 33 = 44393$  -----44389+ 4  
 $(\sqrt{24 \times 44 + 4i})^2 + 33 = 46481$  -----46477+ 4  
 $(\sqrt{24 \times 45 + 4i})^2 + 33 = 48617$  -----48613+ 4  
 $(\sqrt{24 \times 46 + 4i})^2 + 33 = 50801$  -----50789+ 12  
 $(\sqrt{24 \times 47 + 4i})^2 + 33 = 53033$  -----53017+ 16  
 $(\sqrt{24 \times 48 + 4i})^2 + 33 = 55313$  -----prime  
 $(\sqrt{24 \times 49 + 4i})^2 + 33 = 57641$  -----prime  
 $(\sqrt{24 \times 50 + 4i})^2 + 33 = 60017$  -----prime



$$(\sqrt{24 \times 51 + 4i})^2 + 33 = 49013 \text{-----} 49019 - 6$$

$$(\sqrt{24 \times 52 + 4i})^2 + 33 = 64913 \text{-----} 94919 - 6$$

$$(\sqrt{24 \times 53 + 4i})^2 + 33 = 67433 \text{-----} \text{prime}$$

$$(\sqrt{24 \times 54 + 4i})^2 + 33 = 70001 \text{-----} \text{prime}$$

$$(\sqrt{24 \times 55 + 4i})^2 + 33 = 72617 \text{-----} \text{prime}$$

$$(\sqrt{24 \times 56 + 4i})^2 + 33 = 75281 \text{-----} 75289 - 8$$

$$(\sqrt{24 \times 57 + 4i})^2 + 33 = 77993 \text{-----} 77999 - 6$$

$$(\sqrt{24 \times 58 + 4i})^2 + 33 = 80753 \text{-----} \text{prime}$$

$$(\sqrt{24 \times 59 + 4i})^2 + 33 = 83561 \text{-----} \text{prime}$$

$$(\sqrt{24 \times 60 + 4i})^2 + 33 = 86417 \text{-----} 86423 - 6$$

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## ***postscript***

I use wolframAlpha for calculation.

## ***Reference***

1) [https://en.wikipedia.org/wiki/Prime\\_number](https://en.wikipedia.org/wiki/Prime_number)

2) [https://en.m.wikipedia.org/wiki/Formula\\_for\\_primes](https://en.m.wikipedia.org/wiki/Formula_for_primes)





I am a psychiatrist now and also a doctor of brain surgery before.

home

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I would like to receive an email. I will not answer the phone.

I am very poor of english. Document are all google-translation.

When it is translated into English it turns into a cipher for me.

Currently 56 years old

Born on November 26, 1961



