

Planck Momentum = 6.52791193 kg m/s

$$((c^7/(\hbar * G^2))/(c^5/(\hbar * G^2))) = ((c^2/(\hbar * G^2))/(1/(\hbar * G^2)))$$

$$2.42160617e+42 \text{ m}^5 / \text{s}^5$$

$$(c^5) = (6.5248935 \text{ kg m/s} * c^2 * G / \text{planck length})$$

$$\text{m}^5/\text{s}^5 = \text{Phi Decagon}$$

http://rs1168.pbsrc.com/albums/r500/GMATPrepNow/star3_zpsb1wb2kpx.png?w=480&h=480&fit=clip

$$2\pi/10 = \pi/5$$

PERFECTION!!

$$((((c^7) / (\hbar * (G^2))) / (299792458^5)) * (\text{planck length}^2)) / (5 \text{ kgf})^2 * (2\pi) = 6.52791193$$

$$((c^2) / (((s^2) / (m^8)) * (c^5))^{(1/3)})) / ((5\pi) * ((m^3) / s))^{0.5} = 6.52744937$$

$$(((6.5248935 \text{ s}) / (m * \text{kg})) / (2\pi)) / ((70406.791856 ((\text{m} / \text{s}) / \text{Mpc})) / (((2\pi) * \hbar * c) * (10973731.568508 (\text{m}^{-1})))))) = 0.99211178 \text{ meters}$$

$$(70406.791856 ((\text{m} / \text{s}) / \text{Mpc})) * (13.8880509 \text{ billion light years}) = 299792459 \text{ m} / \text{s}$$

$$(((0.5 \text{ Planck length}) / c) / ((0.5 \text{ Planck Length})^3)) / c = 1.70377849e+53 \text{ kg} = \text{mass universe}$$

$$((((0.5 \text{ Planck length}) / c) / ((0.5 \text{ Planck Length})^3)) / c) / (((13.8880509 \text{ billion light years}) * \pi)^3) / (((0.5 \text{ kg}) * G) / (c^2)) = 6.52489349 \text{ s}^2 / \text{m}^8$$

$$((c^2) / (((s^2) / (m^8)) * (c^5))^{(1/3)})) / ((5\pi) * ((m^3) / s))^{0.5} = 6.52744937$$

Planck Momentum = 6.52791193 kg m/s

$$((((c^7) / (\hbar * (G^2))) / (299792458^5)) * (\text{planck length}^2)) / (5 \text{ kgf}) = 1.0192887$$

<http://vixra.org/pdf/1102.0032vB.pdf>

$$((c^7/(\hbar * G^2))/(c^5/(\hbar * G^2))) = ((c^2/(\hbar * G^2))/(1/(\hbar * G^2)))$$

2.42160617e+42 m⁵ / s⁵ ... messes up units going from Planck unit to Classical units

$$(c^5) = (6.5248935 \text{ kg m/s} * c^2 * G / \text{planck length})$$

$$m^5/s^5 = \dots \text{ Phi Decagon}$$

http://rs1168.pbsrc.com/albums/r500/GMATPrepNow/star3_zpsb1wb2kpx.png?w=480&h=480&fit=clip

$$2\pi/10 = \pi/5$$

PERFECTION!!

$$((((((c^7) / (\hbar * (G^2))) / (299792458^5)) * (\text{planck length}^2)) / (5 \text{ kgf})^2) * (2\pi) = 6.52791193$$

$$360 / (72 + 72 + 72 + 108) = 1.1111111111111111$$

$$(2*360)/(108+ 36) = 5$$

$$((\pi / 1.1111111111111111111111111111) * (2^3) * (5^4))^2 / c = 0.666659497 \text{ s} / \text{m} = \text{Koide Formula}$$

<https://photos.app.goo.gl/PMoU96M1Ukt1kZrJ2>

It's a fractal .. a Penrose Tiling ... a Decagon

$$(2*360 \text{ degrees}) / (108 \text{ degrees} + 36 \text{ degrees}) = 5$$

[https://en.wikipedia.org/wiki/Golden_triangle_\(mathematics\)#Golden_gnomon](https://en.wikipedia.org/wiki/Golden_triangle_(mathematics)#Golden_gnomon)

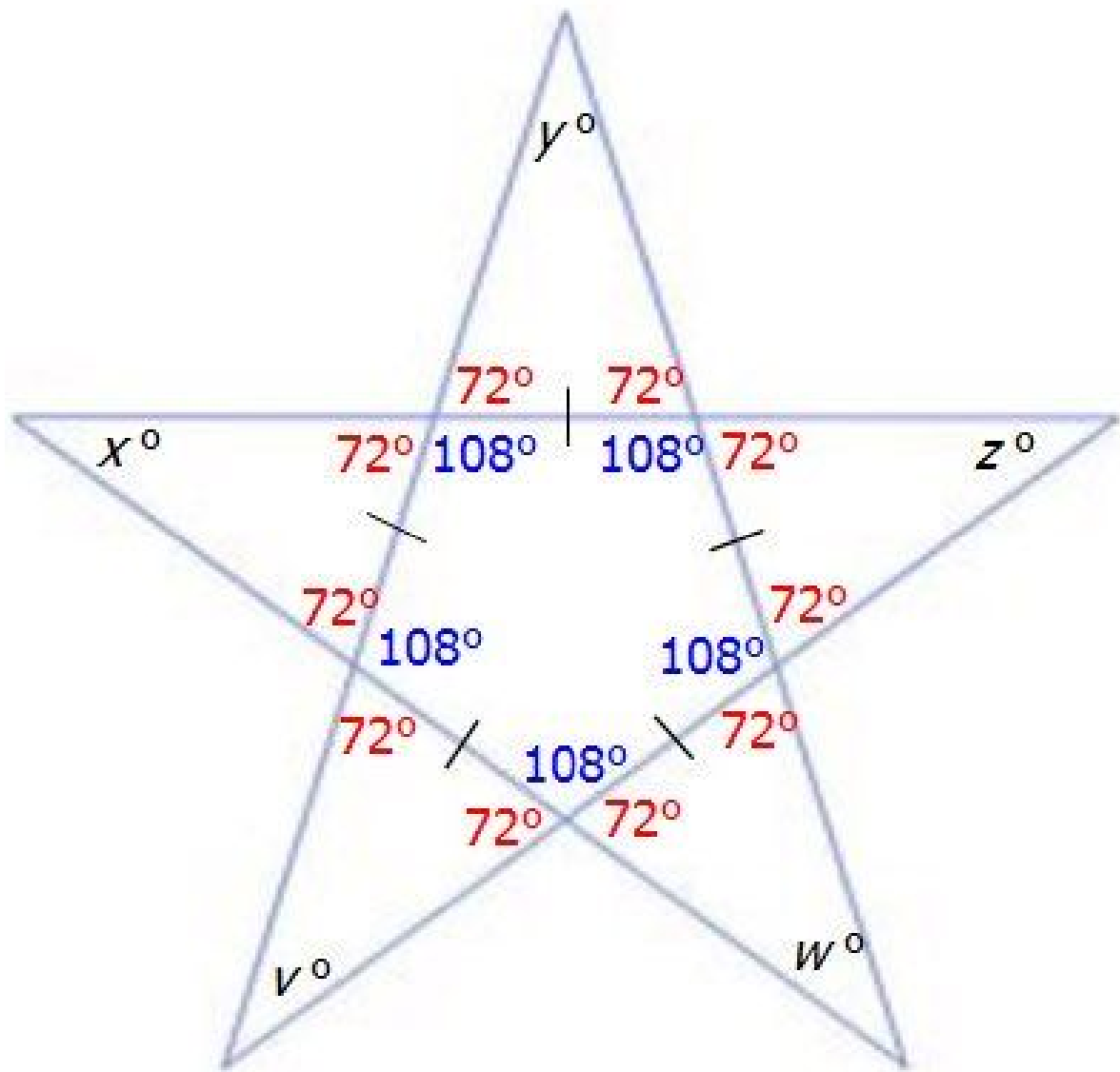
https://en.wikipedia.org/wiki/Penrose_tiling

c⁵ Decagon 10 lines ... m⁵/s⁵

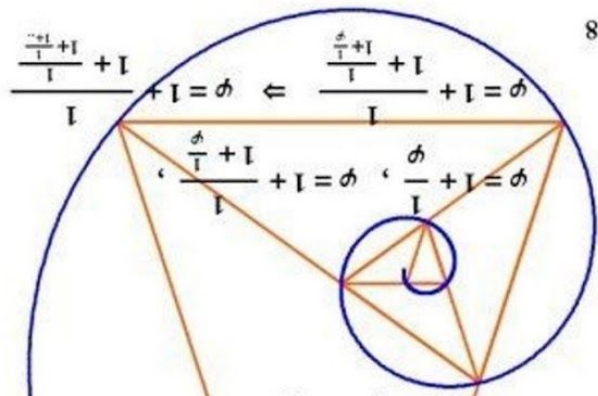
Why the units Are messed up going from Planck System to Classical System... Existing Pressure is omitted because it is unnoticed.... Near frictionless Ideal Fluid under pressure.

https://en.wikipedia.org/wiki/Fluid_solution

https://en.wikipedia.org/wiki/Perfect_fluid



$$\phi \approx 1.618$$



$$\phi = 1 + \frac{1}{\phi}$$

$$\phi^2 = 1 + \phi$$

$$\phi = \frac{1 + \sqrt{5}}{2}$$

$$\phi^n = \phi^{n-1} + \phi^{n-2}$$

$$\phi = \lim_{n \rightarrow \infty} \frac{F_n}{F_{n-1}}$$

$$\phi^n = F_n \phi + F_{n-1}$$

$$\phi = \lim_{n \rightarrow \infty} \frac{F_{n-1}}{F_n}$$

$$\sin(i \ln \phi) = \frac{i}{2}$$

$$\sin\left(\frac{\pi}{2} - i \ln \phi\right) = \frac{\sqrt{5}}{2}$$

for Fibonacci numbers F_i

$$F_i = \frac{\phi^i - \phi^{-i}}{\sqrt{5}}$$

$$\text{, where } \phi = \frac{1 + \sqrt{5}}{2}$$

$$\phi^n = F_n \phi + F_{n-1}$$

$$\phi = \lim_{n \rightarrow \infty} \frac{F_n}{F_{n-1}}$$

$$\phi^2 = 1 + \phi$$

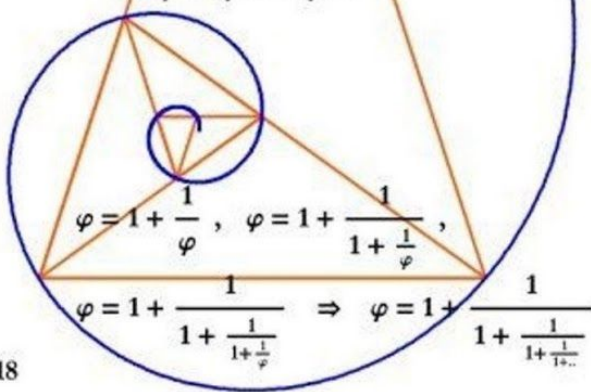
$$\phi = \frac{1 + \sqrt{5}}{2}$$

$$\phi^n = \phi^{n-1} + \phi^{n-2}$$

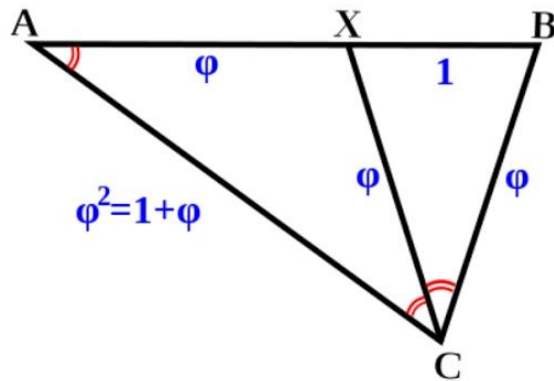
$$\sin(i \ln \phi) = \frac{i}{2}$$

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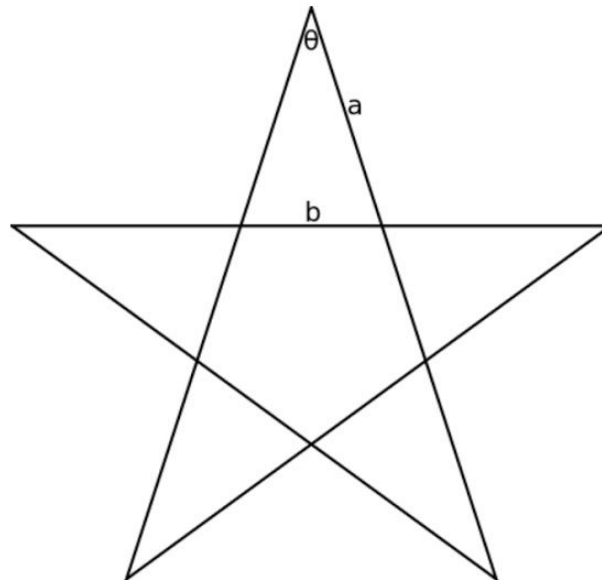
$$\phi \approx 1.618$$



^ Golden gnomon

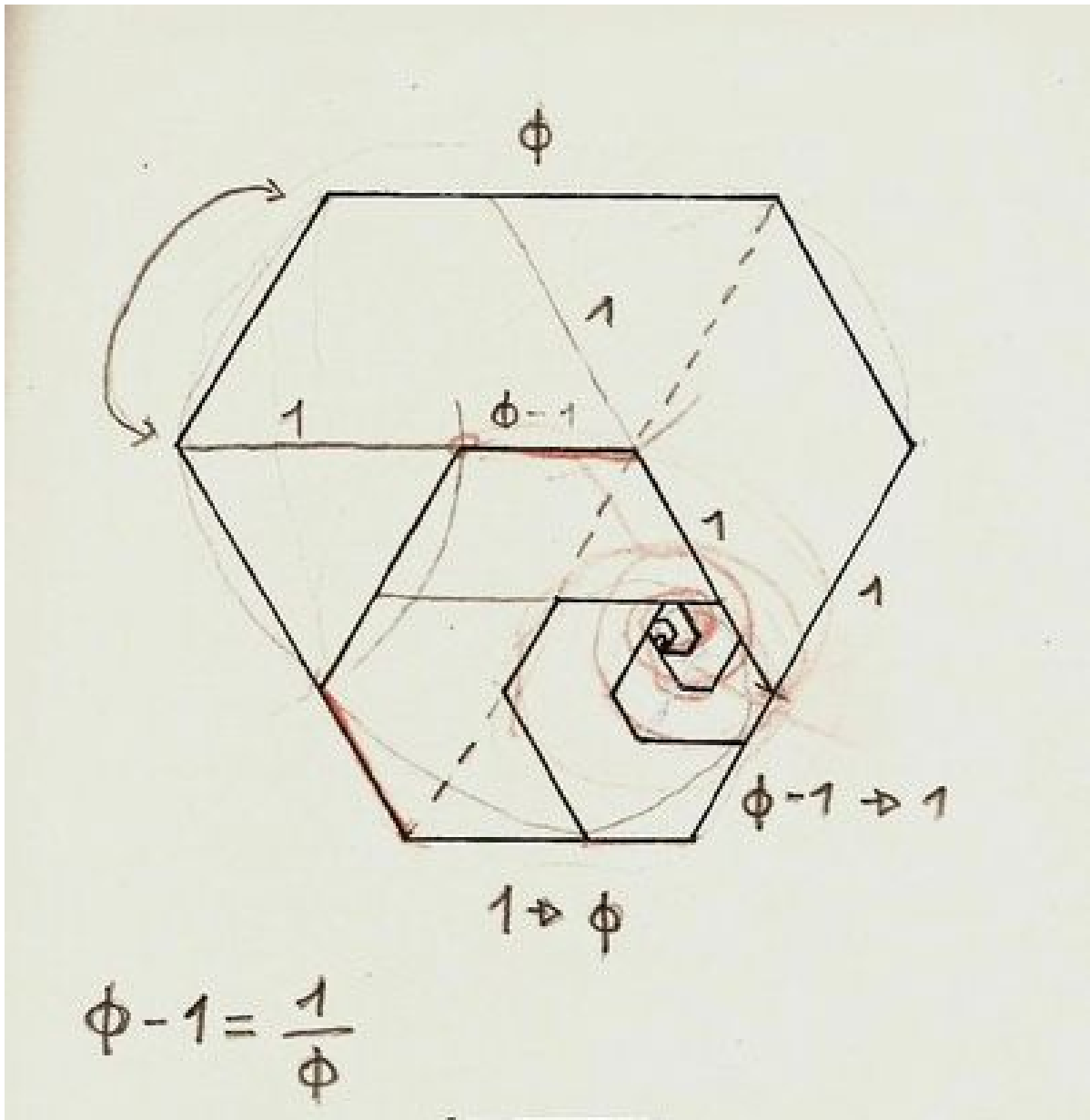


Golden triangle bisected in Robinson triangles: a golden triangle and a golden gnomon.



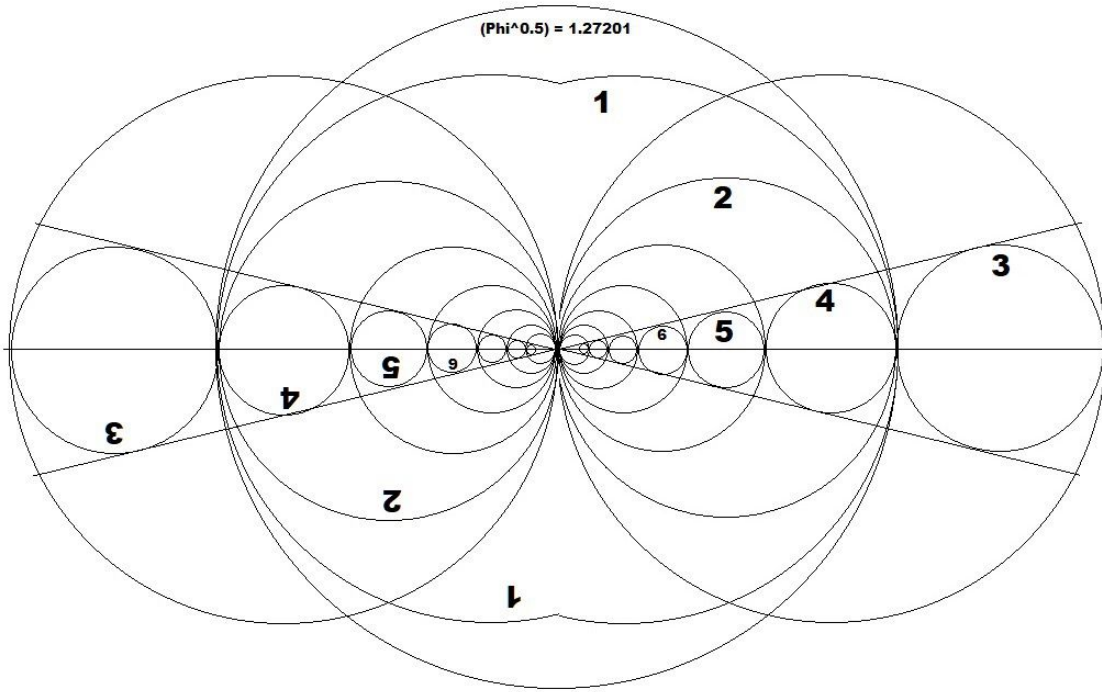
A **pentagram**. Each corner is a golden triangle. The figure also contains five golden gnomons, made by joining two corners that are not adjacent to the central pentagon.

Closely related to the golden triangle is the



1.61803398875

$(\Phi^{0.5}) = 1.27201$



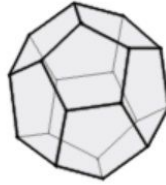
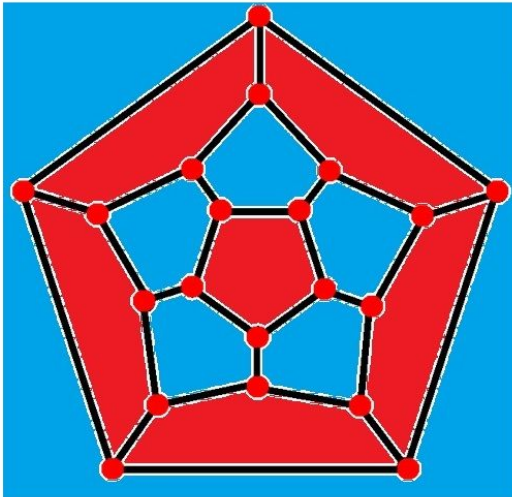
Dodecahedron Flat Tiling

Basel Problem

$$(\pi^2) / 6 = 1.64493406685$$

$$(((4\pi)^2) / 12) / ((\pi^2) / 6) = 8$$

$$((4\pi)^2) / 12 = 13.1594725348$$



12 faces, 30 edges, 20 vertices
Faces: [regular pentagons](#)

$$5.99526904 / 2 = 2.99763452$$

Sphere Calculator

Choose a Calculation
r, C, A | Given V ▾

V =

Units* ▾

Significant Figures ▾

Answer:

r = 0.954176703 m
V = 3.6389411827713 m³
A = 11.4410921 m²
C = 5.99526904 m

Edge length (a):	<input type="text" value="0.780171035694031"/>	<input type="button" value="C"/>
Surface area (A):	<input type="text" value="12.5663706144"/>	<input type="button" value="C"/>
Volume (V):	<input type="text" value="3.638941182771287"/>	<input type="button" value="C"/>
Volume diagonal (d):	<input type="text" value="2.186442650426034"/>	<input type="button" value="C"/>
Circumsphere radius (r _c):	<input type="text" value="1.093221325213017"/>	<input type="button" value="C"/>
Midsphere radius (r _m):	<input type="text" value="1.02125714424259"/>	<input type="button" value="C"/>
Insphere radius (r _i):	<input type="text" value="0.868733215285255"/>	<input type="button" value="C"/>
Surface-to-volume ratio (A/V):	<input type="text" value="3.453304129755102"/>	<input type="button" value="C"/>

Round to decimal places.