

Shortest refutation of independent and entangled states of the quantum hypothesis

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We assume the method and apparatus of Meth8/VL4 with τ autology as the designated *proof* value, F as contradiction, N as truthity (non-contingency), and c as falsity (contingency). The 16-valued truth table is row-major and horizontal.

LET: $p, q, r, s: \Phi_{\blacksquare}, \Phi_{\bullet}, \Psi_{\blacksquare}, \Psi_{\bullet}; \sim$ Not; $\&$ And; $+$ Or; $-$ Not Or;
 $>$ Imply, greater than; $<$ Not Imply, less than; $=$ Equivalent; $@$ Not Equivalent;
 $\%$ possibility, for one or some; $\#$ necessity, for all or every;
 $(p@p)$ ordinal 0, F ; $(\%p>\#p)$ ordinal 1; $(\%p<\#p)$ ordinal 2; $(p=p)$ ordinal 3, T ;
 $(\sim(p<(p@p))\&\sim(p>(\%p>\#p)))$ probability on interval]0,1[.

From: quantamagazine.org/entanglement-made-simple-20160428/ [Frank Wilczek]

$$\text{Independent: } (\Phi_{\blacksquare} + \Phi_{\bullet})(\Psi_{\blacksquare} + \Psi_{\bullet}) = (\Phi_{\blacksquare} \Psi_{\blacksquare} + \Phi_{\blacksquare} \Psi_{\bullet} + \Phi_{\bullet} \Psi_{\blacksquare} + \Phi_{\bullet} \Psi_{\bullet}) \quad (1.1)$$

$$(p+q)\&(r+s); \quad \text{FFFF FTTT FTTF FTTF} \quad (1.2)$$

$$\text{Entangled: } (\Phi_{\blacksquare} \Psi_{\blacksquare} + \Phi_{\bullet} \Psi_{\bullet}) \quad (2.1)$$

$$(p\&r)+(q\&s); \quad \text{FFFF FTFT FTTF FTTF} \quad (2.2)$$

We apply the probability characteristic to respectively Eqs. 1.2 and 2.2 on interval]0,1[.

$$(p=((p+q)\&(r+s)))>(\sim(p<(p@p))\&\sim(p>(\%p>\#p))) ; \text{FTTF FFTE FFTE FFTE} \quad (1.3)$$

$$(p=((p\&r)+(q\&s)))>((p>(p@p))\&(p<(\%p>\#p))) ; \text{FTTF FFTE FTTF FTTF} \quad (2.3)$$

Eqs. 1.2, 1.3, 2.2, and 2.3 as rendered are *not* tautologous. This refutes quantum entanglement.

Remark: What follows is that the plethora of experiments allegedly supporting entanglement are not based on tautologies of bivalent mathematical logic.