

Refutation of the Heisenberg principle of uncertainty by mathematical logic

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The Heisenberg principle of uncertainty is written with h for an approximation of Planck's constant as

$$\sigma(X) * \sigma(p) \geq (h/(4*\pi)) \tag{1}$$

From Eq. 1 we rewrite it as

$$(h/(4*\pi)) * \sigma(X) * \sigma(p) \geq 1 \tag{2}$$

Eq. 2 may be stated in the negative as Not < 1 as

$$\text{Not} [(h/(4*\pi)) * \sigma(X) * \sigma(p) < 1] \tag{3.1}$$

Assuming the apparatus and method of Meth8/VL4, we map Eq. 3.1 below.

LET: p q r s p, X, (h/(4*π)), σ;
 ~ Not; & And, *; \ Not And; > Imply; < Not Imply, less than; = Equivalent to;
 # Necessity, for all; % Possibility, for some (one);

| Definition | Axiom | Symbol | Name | Meaning | 2-tuple | Ordinal |
|------------|-------|--------|-----------------|----------|---------|---------|
| 1 | p=p | T | Tautology | proof | 11 | 3 |
| 2 | p@p | F | Contradiction | absurdum | 00 | 0 |
| 3 | %p>#p | N | Non-contingency | truth | 01 | 1 |
| 4 | %p<#p | C | Contingency | falsity | 10 | 2 |

(%p>#p) 1; (p=p) T tautology, as the designated *proof* value.

The 16-valued truth table is presented row-major and horizontally.

$$\sim((r \& ((s \& q) \& (s \& p))) < (%p > \#p)) = (p=p); \quad \text{TTTT TTTT TTTN TTTN} \tag{3.2}$$

It is permissible to remove the r term because it is a scalar constant.

$$\sim(((s \& q) \& (s \& p)) < (%p > \#p)) = (p=p); \quad \text{TTTT TTTT TTTN TTTN} \tag{3.3}$$

Eqs. 3.2 and 3.3 result in the same truth table, rendering Eq. 2 as *not* tautologous.

This means the Heisenberg uncertainty principle is untenable.