

**Odd abundant numbers of the form $2 \cdot k \cdot P - (345 + 30 \cdot (k - 1))$
where P are Poulet numbers**

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Abstract. In this paper I make the following three conjectures:
(I) All numbers of the form $2 \cdot k \cdot 645 - (345 + 30 \cdot (k - 1))$, where k natural, are odd abundant numbers; the sequence of these numbers is 945, 2205, 3465, 4725, 5985, 7245, 8505, 9765... (II) All numbers of the form $2 \cdot k \cdot 1905 - (345 + 30 \cdot (k - 1))$, where k natural, are odd abundant numbers; the sequence of these numbers is 3465, 7245, 11025, 14805, 18585, 22365, 26145, 29925... (III) There exist an infinity of Poulet numbers P such that all the numbers $2 \cdot k \cdot P - (345 + 30 \cdot (k - 1))$, where k natural, are odd abundant numbers.

Conjecture I:

All numbers of the form $2 \cdot k \cdot 645 - (345 + 30 \cdot (k - 1))$, where k natural, are odd abundant numbers.

Note: see the sequence A005231 in OEIS for odd abundant numbers.

The sequence of these odd abundant numbers:

: 945 = $2 \cdot 1 \cdot 645 - (345 + 30 \cdot 0)$;
: 2205 = $2 \cdot 2 \cdot 645 - (345 + 30 \cdot 1)$;
: 3465 = $2 \cdot 3 \cdot 645 - (345 + 30 \cdot 2)$;
: 4725 = $2 \cdot 4 \cdot 645 - (345 + 30 \cdot 3)$;
: 5985 = $2 \cdot 5 \cdot 645 - (345 + 30 \cdot 4)$;
: 7245 = $2 \cdot 6 \cdot 645 - (345 + 30 \cdot 5)$;
: 8505 = $2 \cdot 7 \cdot 645 - (345 + 30 \cdot 6)$;
: 9765 = $2 \cdot 8 \cdot 645 - (345 + 30 \cdot 7)$;
(...)

Conjecture II:

All numbers of the form $2 \cdot k \cdot 1905 - (345 + 30 \cdot (k - 1))$, where k natural, are odd abundant numbers.

The sequence of these odd abundant numbers:

: 3465 = $2 \cdot 1 \cdot 1905 - (345 + 30 \cdot 0)$;
: 7245 = $2 \cdot 2 \cdot 1905 - (345 + 30 \cdot 1)$;
: 11025 = $2 \cdot 3 \cdot 1905 - (345 + 30 \cdot 2)$;
: 14805 = $2 \cdot 4 \cdot 1905 - (345 + 30 \cdot 3)$;

: $18585 = 2*5*1905 - (345 + 30*4);$
: $22365 = 2*6*1905 - (345 + 30*5);$
: $26145 = 2*7*1905 - (345 + 30*6);$
: $29925 = 2*8*1905 - (345 + 30*7);$
(...)

Conjecture III:

There exist an infinity of Poulet numbers P such that all the numbers $2*k*P - (345 + 30*(k - 1))$, where k natural, are odd abundant numbers.