

## Poulet numbers obtained concatenating two primes $p$ and $p \pm 30k$

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**Abstract.** In a previous paper, "Poulet numbers in Smarandache prime partial digital sequence and a possible infinite set of primes" I conjectured that there exist an infinity of Poulet numbers which admit a deconcatenation in prime numbers. In this paper I conjecture that there exist an infinity of Poulet numbers which admit a deconcatenation in two prime numbers  $p$  and  $q$  where  $q = p + 30 \cdot k$ , where  $k$  integer.

### Conjecture:

There exist an infinity of Poulet numbers which admit a deconcatenation in two prime numbers  $p$  and  $q$  where  $q = p + 30 \cdot k$ , where  $k$  integer.

### The first twenty such Poulet numbers:

: 13747 ( $p = 137, q = 47 = p - 3 \cdot 30$ );  
: 49141 ( $p = 491, q = 41 = p - 15 \cdot 30$ );  
: 101101 ( $p = 101, q = 101 = p + 0 \cdot 30$ );  
: 294409 ( $p = 29, q = 4409 = p + 146 \cdot 30$ );  
: 401401 ( $p = 401, q = 401 = p + 0 \cdot 30$ );  
: 711361 ( $p = 71, q = 1361 = p + 43 \cdot 30$ );  
: 1052929 ( $p = 10529, q = 29 = p - 350 \cdot 30$ );  
: 1141141 ( $p = 11, q = 41141 = p + 457 \cdot 30$ ,  
respectively  $p = 11411, q = 41 = p - 379 \cdot 30$ );  
: 1373653 ( $p = 1373, q = 653 = p - 24 \cdot 30$ );  
: 1472353 ( $p = 14723, q = 53 = p - 489 \cdot 30$ );  
: 1730977 ( $p = 17, q = 30977 = p + 1032 \cdot 30$ );  
: 3581761 ( $p = 3581, q = 761 = p - 94 \cdot 30$ );  
: 4917331 ( $p = 491, q = 7331 = p + 228 \cdot 30$ );  
: 6617929 ( $p = 66179, q = 29 = p - 2205 \cdot 30$ );  
: 6779137 ( $p = 677, q = 9137 = p + 282 \cdot 30$ );  
: 9371251 ( $p = 9371, q = 251 = p - 304 \cdot 30$ );  
: 11157721 ( $p = 11, q = 157721 = p + 5257 \cdot 30$ );  
: 15139199 ( $p = 15139, q = 199 = p - 498 \cdot 30$ );  
: 16349477 ( $p = 1634947, q = 7 = p - 54498 \cdot 30$ );  
: 16435747 ( $p = 164357, q = 47 = p - 5477 \cdot 30$ ).