

## **Primes obtained concatenating to the right with 1 the partial sums of repdigits**

**Abstract.** In this paper I state the following conjecture: For any digit from 1 to 9 there exist a sequence with an infinity of prime terms obtained concatenating to the right with 1 the partial sums of the repdigits. Examples: for repunit numbers 1, 11, 111 (...), concatenating the sum  $S(3) = 1 + 11 + 111 = 123$  to the right with 1 is obtained 1231, prime; for repdigit numbers 3, 33, 333, 3333 (...), concatenating the sum  $S(4) = 3 + 33 + 333 + 3333 = 3702$  to the right with 1 is obtained 37021, prime.

### **Conjecture:**

For any digit from 1 to 9 there exist a sequence with an infinity of prime terms  $p$  obtained concatenating to the right with 1 the partial sums of the repdigits. Examples: for repunit numbers 1, 11, 111 (...), concatenating the sum  $S(3) = 1 + 11 + 111 = 123$  to the right with 1 is obtained 1231, prime; for repdigit numbers 3, 33, 333, 3333 (...), concatenating the sum  $S(4) = 3 + 33 + 333 + 3333 = 3702$  to the right with 1 is obtained 37021, prime.

### **Primes $p$ for the sums of the numbers $(10^n - 1)/9$ :**

(see sequence A014824 in OEIS for the partial sums of repunits)

: 11, 1231, 1234567891, 123456790123441,  
12345679012345661, 1234567901234567901234567901201  
(...)

### **Primes $p$ for the sums of the numbers $2*(10^n - 1)/9$ :**

(see sequence A099669 in OEIS for the partial sums of these repdigits)

: 241, 2469135802469101 (...)

### **Primes $p$ for the sums of the numbers $3*(10^n - 1)/9$ :**

(see sequence A099670 in OEIS for the partial sums of these repdigits)

: 31, 3691, 37021, 370370370370321, 3703703703703651,  
370370370370370311, 3703703703703703641 (...)

### **Primes $p$ for the sums of the numbers $4*(10^n - 1)/9$ :**

(see sequence A099671 in OEIS for the partial sums of these repdigits)

: 41, 4938271561, 49382716001, 493827160441 (...)

**Primes  $p$  for the sums of the numbers  $5 \cdot (10^n - 1) / 9$ :**  
(see sequence A099672 in OEIS for the partial sums of these repdigits)

: 601, 6151, 6172801 (...)

**Primes  $p$  for the sums of the numbers  $6 \cdot (10^n - 1) / 9$ :**  
(see sequence A099673 in OEIS for the partial sums of these repdigits)

: 61 (...)

**Primes  $p$  for the sums of the numbers  $7 \cdot (10^n - 1) / 9$ :**  
(see sequence A099674 in OEIS for the partial sums of these repdigits)

: 71, 86381, 864151, 86419691 (...)

**Primes  $p$  for the sums of the numbers  $8 \cdot (10^n - 1) / 9$ :**  
(see sequence A099675 in OEIS for the partial sums of these repdigits)

: 6172801 (...)

**Primes  $p$  for the sums of the numbers  $9 \cdot (10^n - 1) / 9$ :**  
(see sequence A099676 in OEIS for the partial sums of these repdigits)

: 11071, 111111111110971, 11111111111110941,  
11111111111111111110881, 11111111111111111110871  
(...)