

# Gravitation as the result of the reintegration of migrated electrons and positrons to their atomic nuclei.

Oswaldo Domann

odomann@yahoo.com

*(This paper is an extract of [6] listed in section Bibliography.)*

*Copyright. All rights reserved.*

## Abstract

This paper presents the mechanism of gravitation based on an approach where the energies of electrons and positrons are stored in fundamental particles (FPs) that move radially and continuously through a focal point in space, point where classically the energies of subatomic particles are thought to be concentrated. FPs store the energy in longitudinal and transversal rotations which define corresponding angular momenta. Forces between subatomic particles are the product of the interactions of their FPs. The laws of interactions between fundamental particles are postulated in that way, that the linear momenta for all the basic laws of physics can subsequently be derived from them, linear momenta that are generated out of opposed pairs of angular momenta of fundamental particles.

The flattening of Galaxies' Rotation Curve is derived without the need of the definition of Dark Matter, and the origin of Dark Energy is shown.

The mechanism of the dragging between neutral moving masses is explained (Thirring-Lense-effect) and how gravitation affects the precision of atomic clocks is presented (Hafele-Keating experiment).

Finally, the quantification of the gravitation force is derived.

## 1 Introduction.

Our "Standard Model" describes a particle as a point-like entity with the energy concentrated on one point in space. The mechanism how forces between charged particles are generated is not explained. This limitation of our Standard Model results in the introduction of a series of artificial particles and constructions like Gluons, Bosons, Gravitons, Quarks, Higgs, particle's wave, etc., to explain the mechanism of interaction between particles.

The present approach postulates that a particle is formed by rays of Fundamental Particles (FPs) that move through a focal point in space. The relativistic energy of

the particle is stored by the FPs as longitudinal and transversal rotations. Interactions between two particles are now the result of the interactions between FPs of the two particles.

The steps followed to describe mathematically the new model are:

1. Definition of a distribution function  $d\kappa$  that assigns to each volume  $dV$  in space a differential energy  $dE$  of the total relativistic energy of the particle.
2. Definition of a field magnitude  $d\bar{H}$  associated with the angular momenta of FPs.
3. Definition of interaction laws between  $d\bar{H}$  fields of FPs in that way, that all forces between particles can be mathematically derived.

In what follows electrons and positrons are called "Basic Subatomic Particles" (BSPs).

The total relativistic energy of a BSP is

$$E_e = \sqrt{E_o^2 + E_p^2} = E_s + E_n \quad \text{with} \quad E_s = \frac{E_o^2}{\sqrt{E_o^2 + E_p^2}} \quad E_n = \frac{E_p^2}{\sqrt{E_o^2 + E_p^2}} \quad (1)$$

The differential energies for each differential volume are:

$$dE_e = E_e d\kappa = \nu J_e \quad dE_s = E_s d\kappa = \nu J_s \quad dE_n = E_n d\kappa = \nu J_n \quad (2)$$

with  $d\kappa$  the distribution function,  $\nu$  the angular frequency and  $J$  the angular momenta.

$$d\kappa = \frac{1}{2} \frac{r_o}{r_r^2} dr \sin \varphi d\varphi \frac{d\gamma}{2\pi} \quad dV = dr r d\varphi r \sin \varphi d\gamma \quad (3)$$

$d\kappa$  is inverse proportional to the square distance to the focal point and gives the fraction of the relativistic energy for the volume  $dV$  of the FP.

FPs leaving the focal point (emitted FPs) have only longitudinal angular momenta  $J_e$  and associated to it a longitudinal emitted field  $d\bar{H}_e$  defined as

$$d\bar{H}_e = H_e d\kappa \bar{s}_e = \sqrt{\nu J_e d\kappa} \bar{s}_e \quad \text{with} \quad H_e^2 = E_e \quad (4)$$

FPs moving to the focal point (regenerating FPs) have longitudinal  $J_s$  and transversal  $J_n$  angular momenta and associated to them respectively a longitudinal emitted field  $d\bar{H}_s$  defined as

$$d\bar{H}_s = H_s d\kappa \bar{s} = \sqrt{\nu J_s d\kappa} \bar{s} \quad \text{with} \quad H_s^2 = E_s \quad (5)$$

and a transversal emitted field  $d\bar{H}_n$  defined as

$$d\bar{H}_n = H_n d\kappa \bar{n} = \sqrt{\nu J_n d\kappa} \bar{n} \quad \text{with} \quad H_n^2 = E_n \quad (6)$$

For the total field magnitude  $H_e$  it is  $H_e^2 = H_s^2 + H_n^2$ .

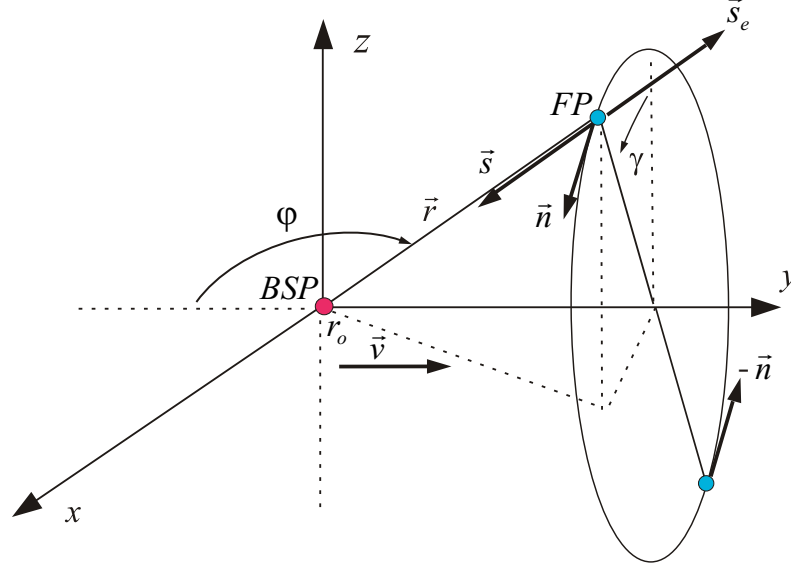


Figure 1: Unit vector  $\bar{s}_e$  for an emitted FP and unit vectors  $\bar{s}$  and  $\bar{n}$  for a regenerating FP of a BSP moving with  $v \neq c$

Fig. 1 shows at the origin of the Cartesian coordinates the focus of a BSP moving with speed  $\bar{v}$ . The vector  $\bar{s}_e$  is an unit vector in the moving direction of the emitted fundamental particle (FP). The vector  $\bar{s}$  is an unit vector in the moving direction of the regenerating FP. The vector  $\bar{n}$  is an unit vector transversal to the moving direction of the regenerating FP and oriented according the right screw rule relative to the velocity  $\bar{v}$  of the BSP.

The differential linear momentum  $dp$  of a moving BSP is generated out of pairs of opposed transversal fields  $d\bar{H}_n$  at the regenerating FPs of the BSP. Opposed pairs of transversal fields  $d\bar{H}_n$  are generated because of the axial symmetry relative to the velocity  $\bar{v}$  of the BSP as shown in Fig. 1.

**Conclusion:** Basic subatomic particles (BSPs) are structured particles with longitudinal and transversal angular momenta. The sign of the angular momenta of emitted FPs define the sign of the BSP (electron or positron). The transversal field  $d\bar{H}_n$  gives the mechanical linear moment and the magnetic moment.

Interaction laws between FPs of two BSPs are defined as products between their  $d\bar{H}$  fields.

- **Coulomb law:** The close path integration of the cross product between longitudinal  $d\bar{H}_s$  fields gives the Coulomb equation.

- **Ampere law:** The close path integration of the cross product between transversal  $d\bar{H}_n$  fields gives the Lorentz, Ampere and Bragg equations.
- **Induction law:** The close path integration of the product between the transversal field  $d\bar{H}_n$  and the absolute value of the longitudinal  $d\bar{H}_s$  field of a static BSP gives the Maxwell equations and the gravitation equations.

The fundamental equation to calculate the differential force between two BSPs is

$$dF = \frac{dp}{\Delta t} = \frac{1}{c\Delta t} dE_p = \frac{1}{c\Delta t} |d\bar{H}_1 \times d\bar{H}_2| \quad (7)$$

## 2 Mechanism of Gravitation.

To explain the mechanism of gravitation, the concept of reintegration of BSPs that have migrated out of their nuclei is required.

Because of  $d\bar{H}_s = dH_s\bar{s}$  and  $\bar{J}_s = J_s\bar{s}$  the interaction law between FPs of static BSPs (Coulomb) follows the cross product between longitudinal angular momenta  $|\bar{J}_{e_1} \times \bar{J}_{s_2}| = J_{e_1} J_{s_2} \sin \beta = J_n$  of the FPs, cross product which is zero for the distance  $d = 0$  between BSPs because of  $\beta = \pi/2$ .

In Fig. 2 the differential linear momentum  $dp_2$  at BSP 2 is generated by pairs of opposed angular momentum  $\bar{J}_{n_2}$  of regenerating FPs.

Fig. 3 gives the linear momentum between two BSPs as a function of the distance  $d$ . The variable  $r_o$  represents the radii of the focus of the BSPs, which are constant for non relativistic speeds.

Nucleons are composed of electrons and positrons which are concentrated in the range of  $0 \leq \gamma \leq 0.1$  of the curve of Fig. 3 where the attractions and repulsions between them are zero.

Electrons and positrons of a nucleon migrate slowly into the range of  $0.1 \leq \gamma \leq 1.8$  polarizing the nucleon, and are subsequently reintegrated with high speed when their FPs cross with FPs of the remaining electrons and positrons of the nucleon because of  $\beta < \pi/2$  (Neutron 1 at Fig. 4). Opposed linear momenta  $d\bar{p}_a$  and  $d\bar{p}_b$  are generated at BSPs  $a$  and  $b$ .

The movement of BSP  $b$  generates the  $dH_n$  field shown in Fig. 4, field that is passed to the static BSP  $p$  of neutron 2 according the **induction law** of sec. 1. The final result is that neutron 1 moves with the linear momentum  $-d\bar{p}_a$  and neutron 2 with the opposed linear momentum  $d\bar{p}_p$ . The mechanism is independent of the sign of the interacting BSPs explaining the attracting force of gravitation. It is important to note that as BSPs  $a$  and  $b$  generate opposed  $dH_n$  fields that are passed to BSP  $p$  of neutron

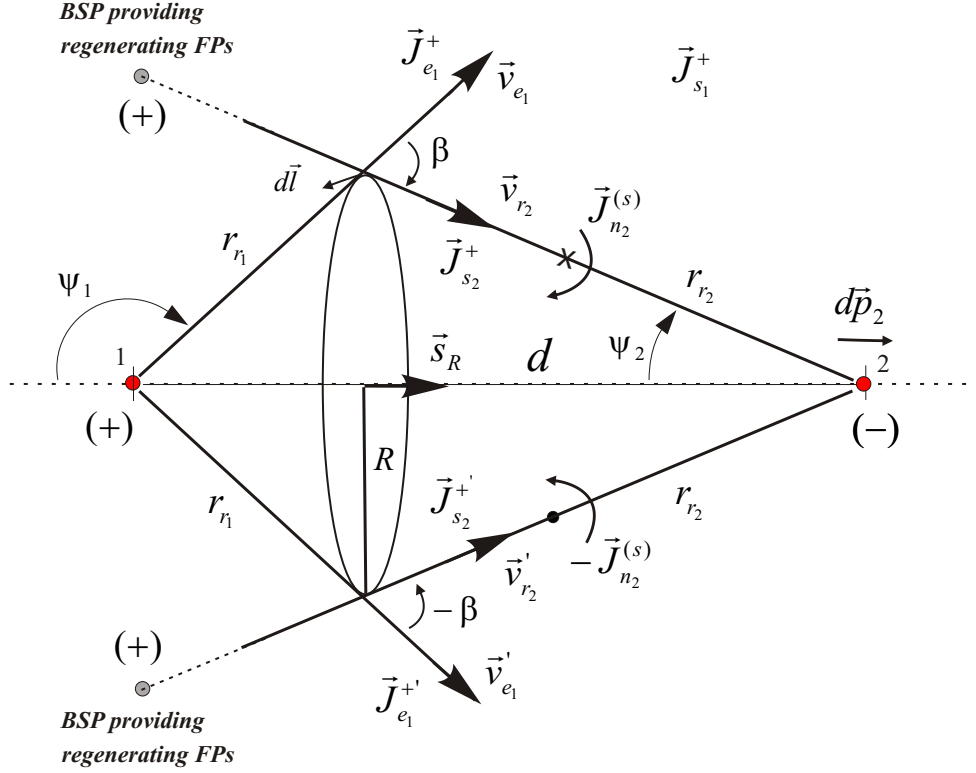


Figure 2: Generation of angular momentum  $J_n$  at regenerating fundamental particles of two static basic subatomic particles at the distance  $d$

2, the field of BSP  $b$  is closer to BSP  $p$  and has a higher probability to be passed to BSP  $p$ .

### 3 Newton gravitation force.

To calculate the gravitation force induced by the reintegration of migrated BSPs, we need to know the number of migrated BSPs in the time  $\Delta t$  for a neutral body with mass  $M$ .

The following equation was derived in [6] for the **induced gravitation** force generated by one reintegrated electron or positron

$$F_i = \frac{dp}{\Delta t} = \frac{k c \sqrt{m} \sqrt{m_p}}{4 K d^2} \iint_{\text{Induction}} \quad \text{with} \quad \iint_{\text{Induction}} = 2.4662 \quad (8)$$

with  $m$  the mass of the reintegrating BSP,  $m_p$  the mass of the resting BSP,  $k =$

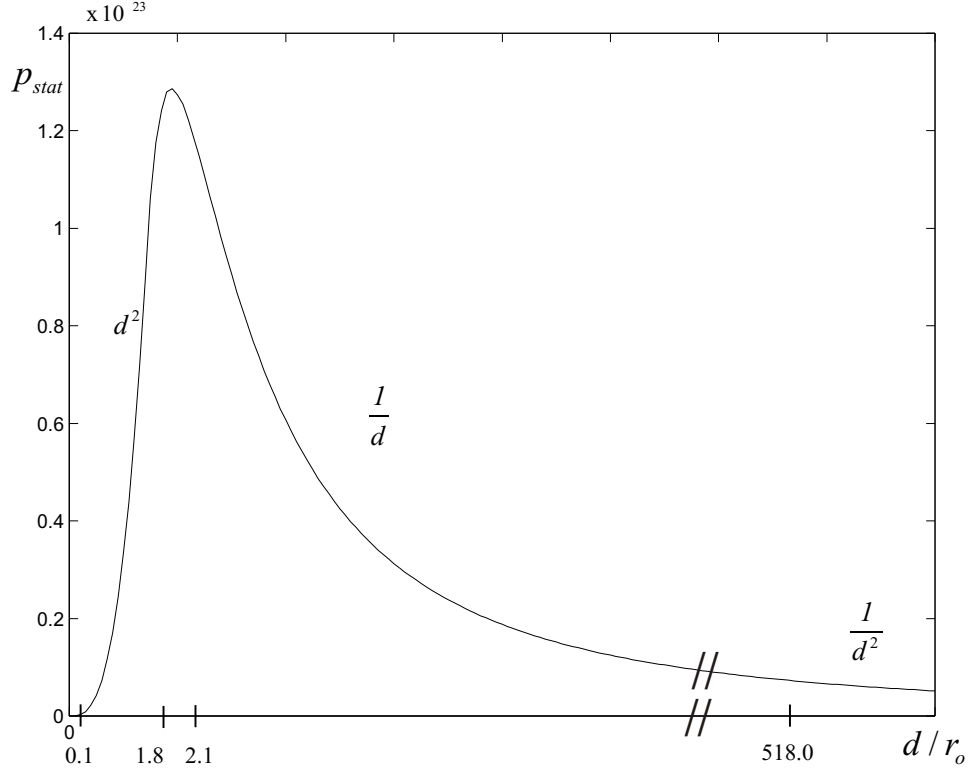


Figure 3: Linear momentum  $p_{stat}$  as function of  $\gamma = d/r_o$  between two static BSPs with equal radii  $r_{o1} = r_{o2}$

$7.4315 \cdot 10^{-2}$ . It is also

$$\Delta t = K r_o^2 \quad r_o = 3.8590 \cdot 10^{-13} \text{ m} \quad \text{and} \quad K = 5.4274 \cdot 10^4 \text{ s/m}^2 \quad (9)$$

The direction of the force  $F_i$  on BSP  $p$  of neutron 2 in Fig. 4 is independent of the sign of the BSPs and is always oriented in the direction of the reintegrating BSP  $b$  of neutron 1.

Fig. 5 shows reintegrating BSPs  $a$  and  $d$  at Neutron 1 that transmit respectively opposed momenta  $p_g$  and  $p_e$  to neutron 2. Because of the greater distance from neutron 2 of BSP  $a$  compared with BSP  $d$ , the probability for BSP  $d$  to transmit his momentum is greater than the probability for BSP  $a$ . Momenta are quantized and have all equal absolute value independent if transmitted or not. The result computed over a mass  $M$  gives a net number of transmitted momentum to neutron 2 in the direction of neutron 1, what explains the attraction between neutral masses.

For two bodies with masses  $M_1$  and  $M_2$  and where the number of reintegrated BSPs

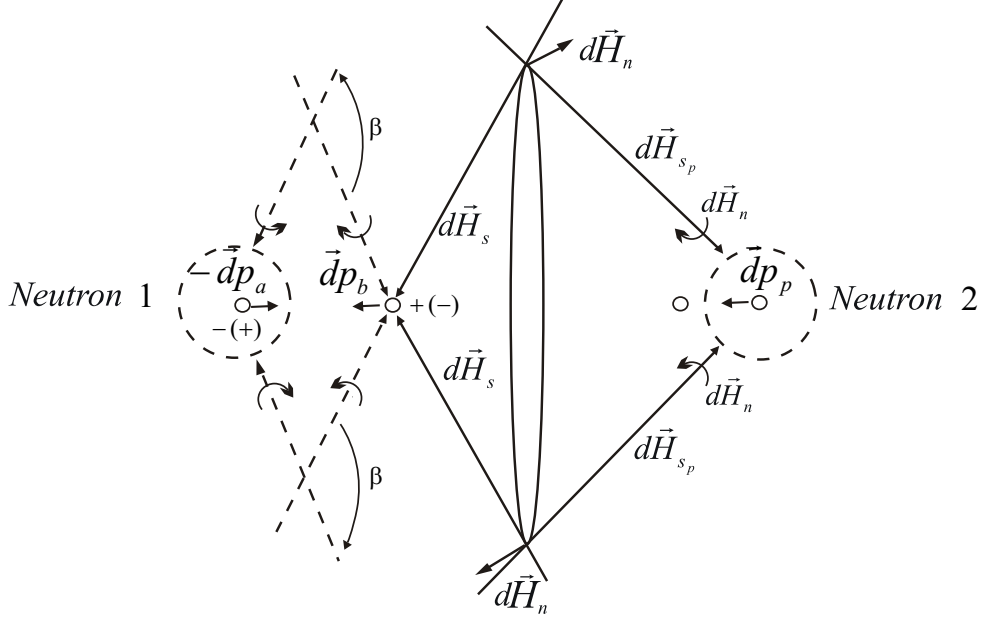


Figure 4: Transmission of momentum  $dp_b$  from neutron 1 to neutron 2

in the time  $\Delta t$  is respectively  $\Delta_{G_1}$  and  $\Delta_{G_2}$  it must be

$$F_i \Delta_{G_1} \Delta_{G_2} = G \frac{M_1 M_2}{d^2} \quad \text{with} \quad G = 6.6726 \cdot 10^{-11} \frac{m^3}{kg \, s^2} \quad (10)$$

As the direction of the force  $F_i$  is the same for reintegrating electrons  $\Delta_G^-$  and positrons  $\Delta_G^+$  it is

$$\Delta_G = |\Delta_G^-| + |\Delta_G^+| \quad (11)$$

We get that

$$\Delta_{G_1} \Delta_{G_2} = G \frac{4 K M_1 M_2}{m k c \int \int_{Induction}} \quad (12)$$

or

$$\Delta_{G_1} \Delta_{G_2} = 2.8922 \cdot 10^{17} M_1 M_2 = \gamma_G^2 M_1 M_2 \quad (13)$$

The number of migrated BSPs in the time  $\Delta t$  for a neutral body with mass  $M$  is thus

$$\Delta_G = \gamma_G M \quad \text{with} \quad \gamma_G = 5.3779 \cdot 10^8 \, kg^{-1} \quad (14)$$

**Calculation example:** The number of migrated BSPs that are reintegrated at the sun and the earth in the time  $\Delta t$  are respectively, with  $M_\odot = 1.9891 \cdot 10^{30} \, kg$  and

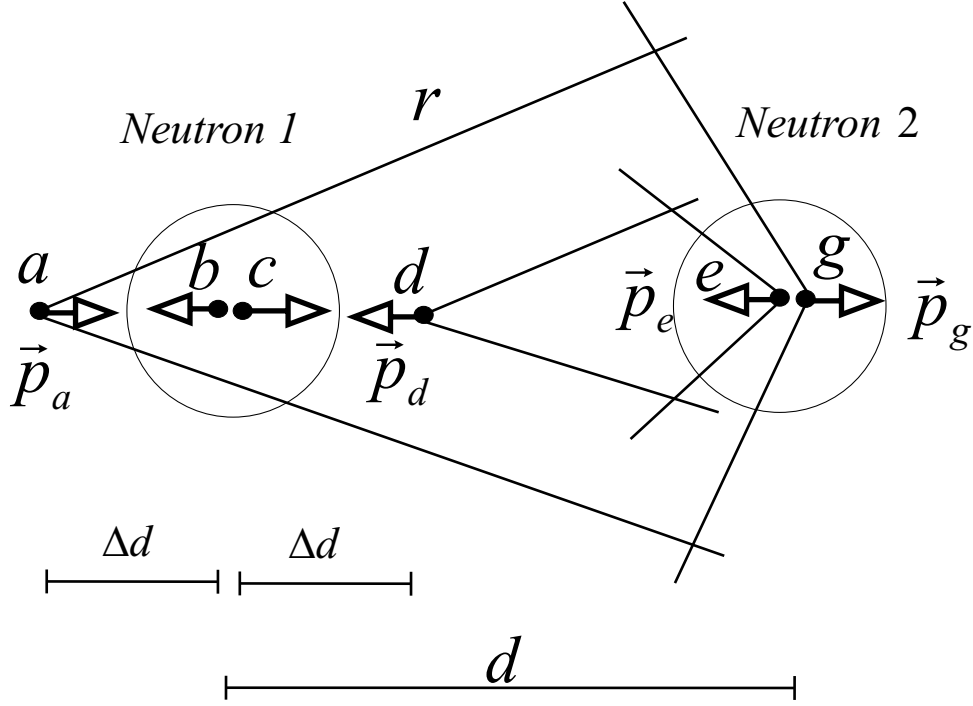


Figure 5: Net momentum transmitted from neutron 1 to neutron 2

$$M_{\dagger} = 5.9736 \cdot 10^{24} \text{ kg}$$

$$\Delta_{G_{\odot}} = 1.0697 \cdot 10^{39} \quad \text{and} \quad \Delta_{\dagger} = 3.2125 \cdot 10^{33} \quad (15)$$

The power exchanged between two masses due to gravitation is

$$P_G = F_i c = \frac{E_p}{\Delta t} = \frac{k m c^2}{4 K d^2} \Delta_{G_1} \Delta_{G_2} \int \int_{\text{Induktion}} \quad (16)$$

The power exchanged between the sun and the earth is, with  $d_{\odot\dagger} = 1.49476 \cdot 10^{11} \text{ m}$

$$P_G = F_G c = G \frac{M_{\odot} M_{\dagger}}{d_{\odot\dagger}^2} c = 1.0646 \cdot 10^{31} \text{ J/s} \quad (17)$$

## 4 Ampere gravitation force.

In the previous sections we have seen that the induced gravitation force is due to the reintegration of migrated BSPs in the direction  $d$  of the two gravitating bodies (longitudinal reintegration). When a BSP is reintegrated to a neutron, the two BSPs of different signs that interact, produce an equivalent current in the direction of the positive BSP as shown in Fig. 6.

As the numbers of positive and negative BSPs that migrate in one direction at one neutron are equal, no average current should exist in that direction in the time  $\Delta t$ . It is

$$\Delta_R = \Delta_R^+ + \Delta_R^- = 0 \quad (18)$$



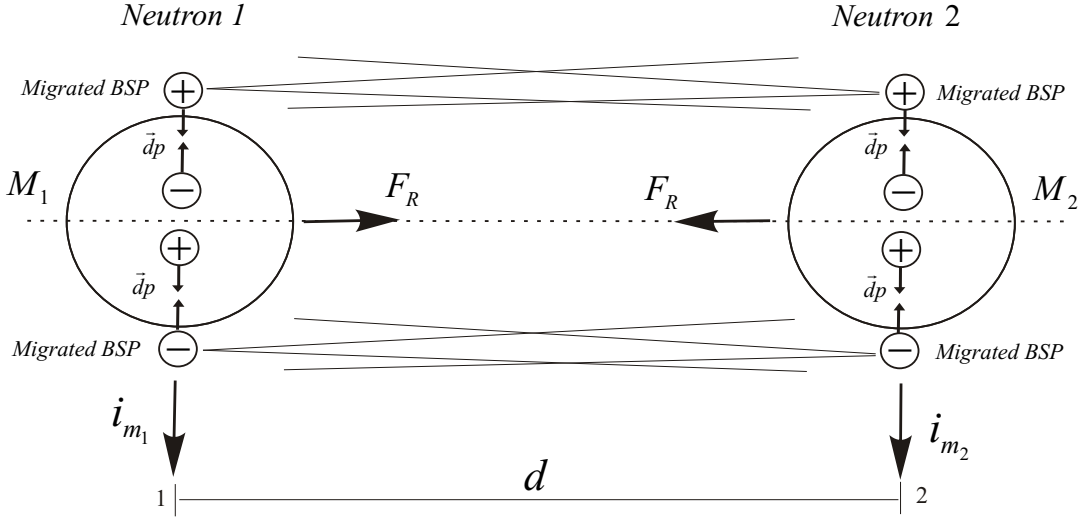


Figure 6: Resulting current due to reintegration of migrated BSPs

We now assume that because of the power exchange (16) between the two neutrons, a synchronization between the reintegration of BSPs of equal sign in the direction orthogonal to the axis defined by the two neutrons is generated, resulting in parallel currents of equal sign that generate an attracting force between the neutrons. The synchronization is generated by the relative movements between the gravitating bodies and is zero between static bodies. Thus the total attracting force between the two neutrons is produced first by the induced (Newton) force and second by the currents of reintegrating BSPs (Ampere).

$$F_T = F_G + F_R \quad \text{with} \quad F_G = G \frac{M_1 M_2}{d^2} \quad \text{and} \quad F_R = R \frac{M_1 M_2}{d} \quad (19)$$

To derive an equation we start with the following equation from [6] derived for the total force density due to Ampere interaction.

$$\frac{F}{\Delta l} = \frac{b}{c} \frac{r_o^2}{\Delta_o t} \frac{I_{m_1} I_{m_2}}{64 m d} \int_{\gamma_{2min}}^{\gamma_{2max}} \int_{\gamma_{1min}}^{\gamma_{1max}} \frac{\sin^2(\gamma_1 - \gamma_2)}{\sqrt{\sin \gamma_1 \sin \gamma_2}} d\gamma_1 d\gamma_2 \quad (20)$$

with  $\int \int_{Ampere} = 5.8731$ .

It is also for  $v \ll c$

$$\rho_x = \frac{N_x}{\Delta x} = \frac{1}{2 r_o} \quad I_m = \rho m v \quad \Delta_o t = K r_o^2 \quad I_m = \frac{m}{q} I_q \quad (21)$$

We have defined a density  $\rho_x$  of BSPs for the current so that one BSP follows

immediately the next without space between them. As we want the force between one pair of BSPs of the two parallel currents we take  $\Delta l = 2 r_o$ .

For one reintegrating BSP it is  $\rho = 1$ . The current generated by one reintegrating BSP is

$$I_{m_1} = i_m = \rho m v_m = \rho m k c \quad \text{with} \quad v_m = k c \quad k = 7.4315 \cdot 10^{-2} \quad (22)$$

We get for the force between one transversal reintegrating BSP at the body with mass  $M_1$  and one longitudinal reintegrating BSP at  $M_2$  moving parallel with the speed  $v_2$

$$dF_R = 5.8731 \frac{b}{\Delta_o t} \frac{2 r_o^3}{64} \rho^2 m k \frac{v_2}{d} = 2.2086 \cdot 10^{-50} \frac{v_2}{d} N \quad (23)$$

with  $I_{m_2} = i_2 = \rho m v_2$ .

The concept is shown in Fig. 7.

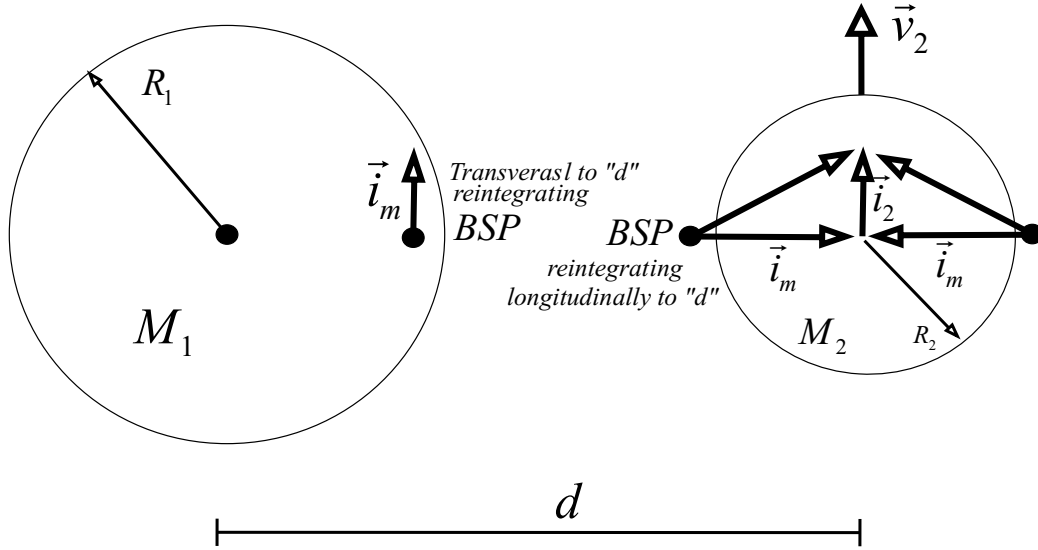


Figure 7: Ampere gravitation

**Note:** The sign that takes the current  $i_m$  of the reintegrating BSP at the body with mass  $M_1$  which interacts with the current  $i_2$ , is a function of the direction of the magnetic poles of  $M_1$ . The Ampere gravitation force  $F_R$  is therefore an attraction or a repulsion force depending on the relative directions of the magnetic poles of  $M_1$  and the speed  $v_2$ .

In sec. 3 we have derived the mass density  $\gamma_G$  of reintegrating BSPs. At Fig. 5 we have seen that half of the longitudinal reintegrating BSPs of a neutron 1 induce momenta on neutron 2 in one direction while the other half of longitudinal reintegrating BSPs induce momenta in the opposed direction on neutron 2. In Fig. 7 we see, that all

longitudinal reintegrating BSPs at  $M_2$  generate a current component  $i_2$  in the direction of the speed  $v_2$ . This means that we have to take for the density  $\gamma_A$  of reintegrating BSPs for the Ampere gravitation force approximately twice the value of the density  $\gamma_G$  of the Newton gravitation force

$$\gamma_A \approx 2 \gamma_G = 2 \cdot 5.3779 \cdot 10^8 = 1.07558 \cdot 10^9 \text{ kg}^{-1} \quad (24)$$

resulting for the total Ampere gravitation force between  $M_1$  and  $M_2$

$$F_R = 5.8731 \frac{b}{\Delta_{ot}} \frac{2 r_o^3}{64} \rho^2 m k v_2 \gamma_A^2 \frac{M_1 M_2}{d} = 2.5551 \cdot 10^{-32} v_2 \frac{M_1 M_2}{d} \text{ N} \quad (25)$$

where

$$F_R = R \frac{M_1 M_2}{d} \quad \text{with} \quad R = 2.5551 \cdot 10^{-32} v_2 = R(v_2) \quad (26)$$

The total gravitation force gives

$$F_T = F_G + F_R = \left[ \frac{G}{d^2} + \frac{R}{d} \right] M_1 M_2 \quad (27)$$

The concept is shown in Fig. 8.

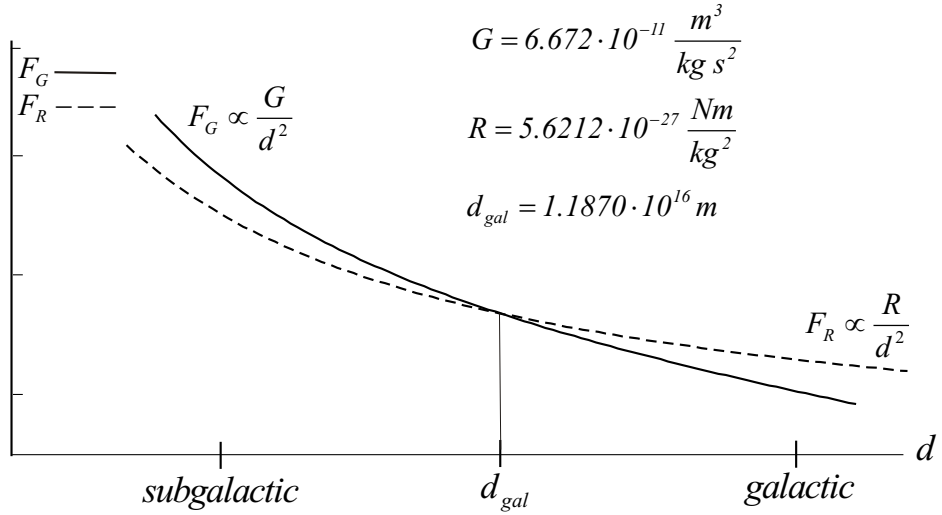


Figure 8: Gravitation forces at sub-galactic and galactic distances.

## 4.1 Flattening of galaxies' rotation curve.

For galactic distances the Ampere gravitation force  $F_R$  predominates over the induced gravitation force  $F_G$  and we can write eq. (27) as

$$F_T \approx F_R = \frac{R}{d} M_1 M_2 \quad (28)$$

The equation for the centrifugal force of a body with mass  $M_2$  is

$$F_c = M_2 \frac{v_{orb}^2}{d} \quad \text{with } v_{orb} \text{ the tangential speed} \quad (29)$$

For steady state mode the centrifugal force  $F_c$  must equal the gravitation force  $F_T$ . For our case it is

$$F_c = M_2 \frac{v_{orb}^2}{d} = F_T \approx F_R = \frac{R}{d} M_1 M_2 \quad (30)$$

We get for the tangential speed

$$v_{orb} \approx \sqrt{R M_1} \quad \text{constant} \quad (31)$$

The tangential speed  $v_{orb}$  is independent of the distance  $d$  what explains the flattening of galaxies' rotation curves.

### Calculation example

In the following calculation example we assume that the transition distance  $d_{gal}$  is much smaller than the distance between the gravitating bodies and that the Newton force can be neglected compared with the Ampere force.

For the Sun with  $v_2 = v_{orb} = 220 \text{ km/s}$  and  $M_2 = M_\odot = 2 \cdot 10^{30} \text{ kg}$  and a distance to the core of the Milky Way of  $d = 25 \cdot 10^{19} \text{ m}$  we get a centrifugal force of

$$F_c = M_2 \frac{v_{orb}^2}{d} = 3.872 \cdot 10^{20} \text{ N} \quad (32)$$

With

$$R(v_2) = 2.5551 \cdot 10^{-32} v_2 = 5.6212 \cdot 10^{-27} \text{ Nm/kg}^2 \quad (33)$$

and

$$F_c \approx R \frac{M_1 M_2}{d} \quad (34)$$

we get a Mass for the Milky Way of

$$M_1 = F_c d \frac{1}{R M_\odot} = 4.3 \cdot 10^6 M_\odot \quad (35)$$

and with

$$F_G = F_R \quad \text{we get} \quad d_{gal} = \frac{G}{R} = 1.1870 \cdot 10^{16} \text{ m} \quad (36)$$

justifying our assumption for  $F_T \approx F_R$  because the distance between the Sun and the core of the Milky Way is  $d \gg d_{gal}$ .

**Note:** The mass of the Milky Way calculated with the Newton gravitation law gives  $M_1 \approx 1.5 \cdot 10^{12} M_\odot$  which is huge more than the bright matter and therefore called dark matter. The mass calculated with the present approach corresponds to the bright matter and there is no need to introduce virtual masses in space.

For sub-galactic distances the induced force  $F_G$  is predominant, while for galactic distances the Ampere force  $F_R$  predominates, as shown in Fig. 8.

$$d_{gal} = \frac{G}{R} \quad (37)$$

**Note:** The flattening of galaxies' rotation curve was derived based on the assumption that the gravitation force is composed of an induced component and a component due to parallel currents generated by reintegrating BSPs and, that for galactic distances the induced component can be neglected.

## 5 Quantification of gravitation forces.

In sec. 8.1 from [6] "Induction between an accelerated and a probe BSP expressed as closed path integration over the whole space" the elementary linear momentum  $p_{elem}$  is derived which with

$$\Delta t(v = 0) = \Delta_o t = 8.082110^{-21} \text{ s} \quad \text{and} \quad k = 7.4315 \cdot 10^{-2} < 1 \quad (38)$$

gives

$$p_{elem} = m c k = \frac{h}{c \Delta_o t} k = 2.0309 \cdot 10^{-23} \text{ kg m s}^{-1} \quad (39)$$

The elementary linear momentum  $p_{elem}$  is now used to quantize the two components of the gravitation force.

## 5.1 Quantification of the induced gravitation force.

From sec. 2 eq. (8) we have that the gravitation force for **one** aligned reintegrating BSPs is

$$F_i = \frac{k m c}{4 K d^2} \int \int_{Induction} \quad \text{with} \quad \int \int_{Induction} = 2.4662 \quad (40)$$

which we can write with  $\Delta_o t = K r_o^2$  and  $p_{elem} = k m c$  as

$$F_i = N_i \nu_o p_{elem} \quad \text{with} \quad N_i = \frac{r_o^2}{4 d^2} \int \int_{Induction} \quad (41)$$

Considering that  $\Delta G_1 \Delta G_2 = \gamma_G^2 M_1 M_2$  we can write for the total force between two masses  $M_1$  and  $M_2$

$$F_G = F_i \Delta G_1 \Delta G_2 = N_G \nu_o p_{elem} \quad \text{with} \quad N_G = N_i \Delta G_1 \Delta G_2 \quad (42)$$

where  $N_G$  represents the probability of elementary forces  $f_{elem} = \nu_o p_{elem}$  in the time  $\Delta_o t = K r_o^2$ .

Finally we get

$$F_G = N_G(M_1, M_2, d) \nu_o p_{elem} \quad \text{with} \quad N_G = 2.6555 \cdot 10^{-8} \frac{M_1 M_2}{d^2} \quad (43)$$

The frequency with which elementary momenta are generated is

$$\nu_G = N_G(M_1, M_2, d) \nu_o = 3.2856 \cdot 10^{12} \frac{M_1 M_2}{d^2} \quad (44)$$

For the earth with a mass of  $M_\oplus = 5.974 \cdot 10^{24} \text{ kg}$  and the sun with a mass of  $M_\odot = 1.9889 \cdot 10^{30} \text{ kg}$  and a distance of  $d = 147.1 \cdot 10^9 \text{ m}$  we get a frequency of  $\nu_G = 1.8041 \cdot 10^{45} \text{ s}^{-1}$  for aligned reintegrating BSPs.

## 5.2 Quantification of Ampere force between parallel reintegrating BSPs.

From sec. 4 eq. (23) we have for a pair of parallel reintegrating BSPs that

$$dF_R = 5.8731 \frac{b}{\Delta_o t} \frac{2 r_o^3}{64} \rho^2 m k \frac{v_2}{d} = 2.2086 \cdot 10^{-50} \frac{v_2}{d} N \quad (45)$$

which we can write as

$$dF_R = N \nu_o p_{elem} \quad \text{with} \quad N = 8.7893 \cdot 10^{-48} \frac{v_2}{d} \quad (46)$$

where

$$p_{elem} = k m c \quad \text{and} \quad k = 7.4315 \cdot 10^{-2} \quad (47)$$

The total Ampere force between masses  $M_1$  and  $m_2$  is given with eq. (25)

$$F_R = 2.5551 \cdot 10^{-32} v_2 \frac{M_1 M_2}{d} N \quad (48)$$

We now write the equation in the form

$$F_R = N_R(M_1, M_2, d) \nu_o p_{elem} \quad \text{with} \quad N_R = 1.01682 \cdot 10^{-29} v_2 \frac{M_1 M_2}{d} \quad (49)$$

The frequency with which pairs of FPs cross in space is

$$\nu_R = N_R(M_1, M_2, d) \nu_o = 1.25811 \cdot 10^{-9} v_2 \frac{M_1 M_2}{d} s^{-1} \quad (50)$$

For the earth with a mass of  $M_{\oplus} = 5.974 \cdot 10^{24} kg$  and the sun with a mass of  $M_{\odot} = 1.9889 \cdot 10^{30} kg$  and a distance of  $d = 1.5 \cdot 10^8 m$  and a tangential speed of the earth around the sun of  $v_2 = 30 m/s$  we get a frequency of  $\nu_R = 2.9896 \cdot 10^{39} s^{-1}$  for parallel reintegrating BSPs. The frequency  $\nu_G$  for aligned BSPs is nearly  $10^6$  times grater than the frequency for parallel reintegrating BSPs and so the corresponding forces.

### 5.3 Quantification of the total gravitation force.

The total gravitation force is given by the sum of the induced force between aligned reintegrating BSPs and the force between parallel reintegrating BSPs.

$$F_T = F_G + F_R = [N_G(M_1, M_2, d) + N_R(M_1, M_2, d)] p_{elem} \nu_o \quad (51)$$

or

$$F_T = F_G + F_R = p_{elem} \nu_o \left[ \frac{2.6555 \cdot 10^{-8}}{d^2} + \frac{1.01682 \cdot 10^{-29}}{d} v_2 \right] M_1 M_2 \quad (52)$$

We define the distance  $d_{gal}$  as the distance for which  $F_G = F_R$  and get

$$d_{gal} = \frac{2.6555 \cdot 10^{-8}}{1.01682 \cdot 10^{-29} v_2} = 2.6116 \cdot 10^{21} \frac{1}{v_2} m \quad (53)$$

## 6 Precession of a gyroscope due to the Ampere gravitation force.

To derive the precession of a gyroscope in the presence of a massive body we start with the following equation from [6] derived for the total force density due to Ampere interaction.

$$\frac{F}{\Delta l} = \frac{b}{c} \frac{r_o^2}{\Delta_o t} \frac{I_{m_1} I_{m_2}}{64 m} \frac{1}{d} \int_{\gamma_{2min}}^{\gamma_{2max}} \int_{\gamma_{1min}}^{\gamma_{1max}} \frac{\sin^2(\gamma_1 - \gamma_2)}{\sqrt{\sin \gamma_1 \sin \gamma_2}} d\gamma_1 d\gamma_2 \quad (54)$$

with  $\int \int_{Ampere} = 5.8731$ .

It is also for  $v \ll c$

$$\rho_x = \frac{N_x}{\Delta x} = \frac{1}{2 r_o} \quad I_m = \rho m v \quad \Delta_o t = K r_o^2 \quad I_m = \frac{m}{q} I_q \quad (55)$$

We have defined a density  $\rho_x$  of BSPs for the current so that one BSP follows immediately the next without space between them. As we want the force between one pair of BSPs of the two parallel currents we take  $\Delta l = 2 r_o$ .

The concept is shown in Fig. 9

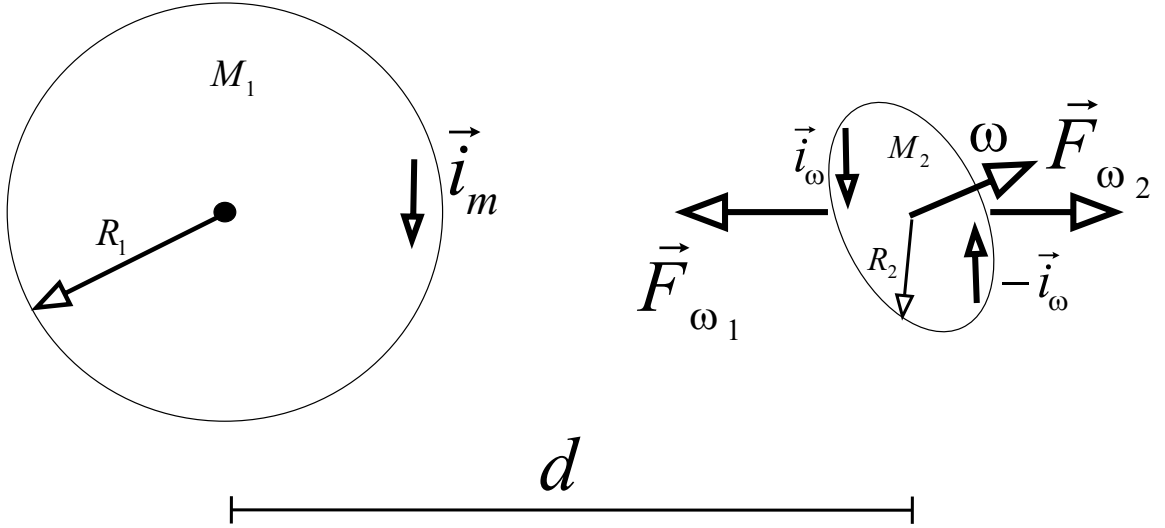


Figure 9: Gyrosopic precession.

For one reintegrating BSP it is  $\rho = 1$ . The current generated by one reintegrating BSP is

$$i_m = \rho m v_m = \rho m k c \quad \text{with} \quad v_m = k c \quad k = 7.4315 \cdot 10^{-2} \quad (56)$$



The currents at the rotating gyroscope that are parallel to the current  $i_m$  of  $M_1$  are

$$i_\omega = \pm \rho m v_\omega \quad \text{with} \quad v_\omega = \omega R_2 \quad (57)$$

For the two opposed forces that give the momentum at the gyroscope and which generate the precession we get

$$F_{\omega_1} \propto + \frac{v_m v_\omega}{d - R_\omega} \quad F_{\omega_2} \propto - \frac{v_m v_\omega}{d + R_\omega} \quad (58)$$

From eq. (54) with  $v_1 = v_m = k c$  we get for a pair of moving BSPs

$$dF_R = 5.8731 \frac{b}{c \Delta_o t} \frac{2 r_o^3}{64} \rho^2 m \frac{v_1 v_2}{d} N \quad (59)$$

and  $d \gg R_2$  we get the total force

$$F_R = 5.8731 \frac{b}{c \Delta_o t} \frac{2 r_o^3}{64} \rho^2 m v_m v_\omega \gamma_A^2 \frac{M_1 M_2}{d} N \quad (60)$$

$$F_R = 2.551 \cdot 10^{-32} v_\omega \frac{M_1 M_2}{d} N \quad (61)$$

with  $M_1$  and  $M_2$  the masses of the bodies.

**Note:** For distances  $d$  between gravitating masses smaller than  $d_{gal}$  the precession due to the Ampere force is neglect able compared with the precession due to the Newton gravitation force.

## 7 Emission Theory.

Fig 10 shows how bursts of FPs with opposed angular momenta (photons) emitted with light speed  $c$  travel from frame  $K$  to frames  $\bar{K}$  and  $K^*$  with speeds  $c + u$  from  $A$  and  $c - u$  from  $B$ . When they arrive at the measuring instruments at  $C$ , the transformations to the frames  $\bar{K}$  and  $K^*$  take place from where they continue than with the speed of light  $c$ .

The emission time of photons from **isolated** atoms is approximately  $\tau = 10^{-8} s$  what gives a length for the wave train of  $L = c \tau = 3 m$ . The total energy of the emitted photon is  $E_t = h \nu_t$  and the wavelength is  $\lambda_t = c/\nu_t$ . We have defined that the photon is composed of a train of FPs with alternated angular momenta where the distance between two consecutive FPs is equal  $\lambda_t/2$ . The number of FPs that build the photon is therefore  $L/(\lambda_t/2)$  and we get for the energy of one FP

$$E_{FP} = \frac{E_t \lambda_t}{2 L} = \frac{h}{2 \tau} = 3.313 \cdot 10^{-26} J = 2.068 \cdot 10^{-7} eV \quad (62)$$

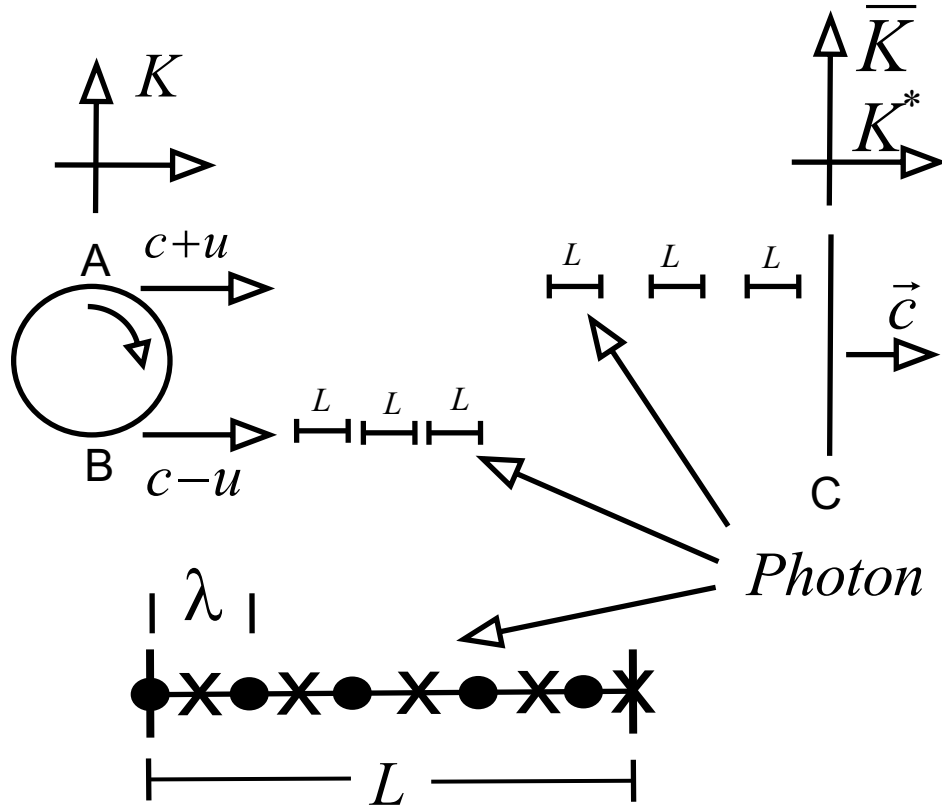


Figure 10: Emission Theory.

and for the angular frequency of the angular momentum  $h$

$$\nu_{FP} = \frac{E_{FP}}{h} = \frac{1}{2\tau} = 5 \cdot 10^7 \text{ s}^{-1} \quad (63)$$

The number  $N_{FP_0}$  of FPs of an resting BSP (electron or positron) is

$$N_{FP_0} = \frac{E_0}{E_{FP}} = 2.4746 \cdot 10^{12} \quad (64)$$

**Note:** The assumption of our standard model that light moves with light speed  $c$  independent of the emitting source induces the existence of an absolute reference frame or ether, but at the same time the model is not compatible with such absolute frames. The present approach is based on a more physical description of nature when postulating that light is emitted with light speed relative to the emission source. There are no incompatibilities with “Special Relativity without time delay and length contraction” deduced in [6].

## 7.1 Objections made by Willem de Sitter about Emission Theories

Willem de Sitter made in 1913 the following objections to Emission Theories:

- According to simple emission theory, light moves at a speed of  $c$  with respect to the emitting object. If this were true, light emitted from a star in a double-star system from different parts of the orbital path would travel towards us at different speeds. For certain combinations of orbital speed, distance, and inclination, the "fast" light given off during approach would overtake "slow" light emitted during a recessional part of the star's orbit. Thus Kepler's laws of motion would apparently be violated for a distant observer. Many bizarre effects would be seen, unusually shaped variable star light curves such as have never been seen.
- extreme Doppler red- and blue-shifts in phase with the light curves, implying highly non-Keplerian orbits
- splitting of the spectral lines (note simultaneous arrival of blue- and red-shifted light at the target)
- if the binary star system is resolvable in a telescope, the periodic breaking up of the stellar images into multiple images

The analysis made by de Sitter is based on a representation of light as a continuous wave and not as a sequence of bursts of equal length  $L$  of FPs of opposed angular momenta with equal wave length  $\lambda$ . The analysis makes no use of the quantized description of nature. Photons with speeds  $c + v$  and  $c - v$  may arrive simultaneously at the measuring equipment showing the two Doppler spectral lines corresponding to the red and blue shifts in accordance with Kepler's laws of motion. No bizarre effects will be seen because photons of equal length  $L$  and  $\lambda$  with speeds  $c + v$  and  $c - v$  giving well defined lines corresponding to the Doppler effects will arrive to the spectral instruments.

## 8 Thirring-Lense-Effect.

The Thirring-Lense-Effect is an effect that is based on the induction law and on the Doppler effect.

In [6] about induction bending the following equation was deduced for the force induced on a probe BSP by a BSP moving with speed  $v$ .

The concept is shown in Fig. 11

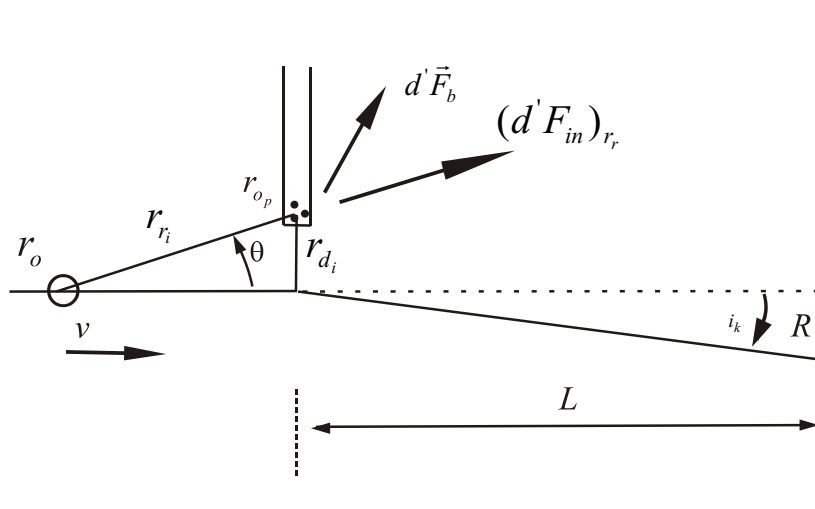


Figure 11: Force induced on a BSP at a bending edge by a BSP moving with speed  $v$ .

$$d' \bar{F}_{in} = \frac{1}{8 \pi} \sqrt{m_p} r_{op} \text{rot } \bar{C}'_n \quad (65)$$

with

$$\text{rot } \bar{C}'_n = \frac{1}{2\pi} \sqrt{m} v^2 \frac{r_o}{r_r^3} [2 \cos^2 \theta - \sin^2 \theta] \bar{e}_r + 0 \cdot \bar{e}_\gamma \quad (66)$$

$$\frac{1}{2\pi} \sqrt{m} v^2 \frac{r_o}{r_r^3} \sin \theta \cos \theta \bar{e}_\theta$$

For the analysis of the dragging produced by a rotating mass on a probe mass placed in the equatorial plane, the components of the induced force in the direction  $\bar{e}_r$  and the direction  $\bar{e}_\theta$  are required.

$$d' F_{in} \bar{e}_r = \frac{1}{16 \pi^2} m v^2 \frac{r_o^2}{r_r^3} [2 \cos^2 \theta - \sin^2 \theta] \bar{e}_r \quad (67)$$

$$d'' F_{in} \bar{e}_\theta = \frac{1}{16 \pi^2} m v^2 \frac{r_o^2}{r_r^3} \sin \theta \cos \theta \bar{e}_\theta \quad (68)$$

For equal speed  $v$  and distance  $r_r$  the components of the forces in the direction of the speed  $v$  are equal but opposed for the angles  $\theta$  and  $2\pi - \theta$ . This means that two BSPs located at  $\theta$  and  $2\pi - \theta$  induce on the probe BSP forces in the direction of  $v$  that compensate each other.

Fig. 13 shows two BSPs from the surface of the earth that moves with the speed  $v$  relative to a probe  $BSP_p$  located at the distance  $d$ . Each moving BSP emits rays of FPs with light speed  $c$  relative to the BSP, with a constant interval  $\lambda$  between them.

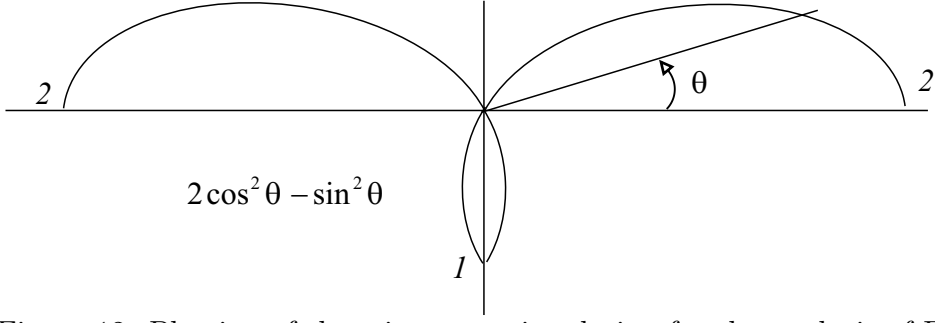


Figure 12: Plotting of the trigonometric relation for the analysis of Dragging.

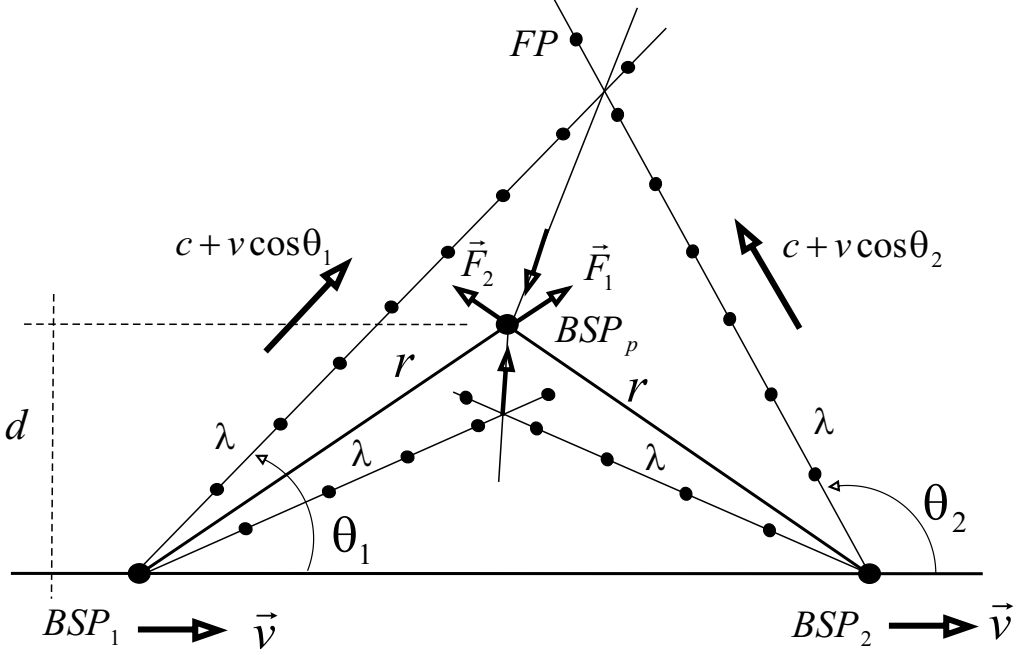


Figure 13: Dragging due to Doppler effect.

The speed of the FPs relative to a probe  $BSP_p$  located at the ray is

$$c + v \cos \theta = \lambda \nu \quad (69)$$

FPs located at the proximity of the probe  $BSP_p$  have a higher probability to contribute to the generation of the force on the probe  $BSP_p$ . The angle  $\theta = \arcsin(d/r)$  of the probe  $BSP_p$  is therefore used to calculate the force.

For the two BSPs located at the angles  $\theta_1 = \theta$  and  $\theta_2 = 2\pi - \theta$  we get the frequencies of FPs at the probe  $BSP_p$

$$\nu_1 = \frac{c + v \cos \theta_1}{\lambda} \quad \nu_2 = \frac{c + v \cos \theta_2}{\lambda} \quad \nu_o = \frac{c}{\lambda} \quad (70)$$

With eqs. (67) and (68) we get for the components of the forces in the direction of

the speed  $v$  taking into consideration the Doppler effect

$$d' \bar{F}_v = \frac{\nu}{\nu_o} d' F_{i_n} \cos \theta \bar{e}_r \quad \theta = \arcsin(d/r) \quad (71)$$

$$d'' \bar{F}_v = \frac{\nu}{\nu_o} d'' F_{i_n} \sin \theta \bar{e}_\theta \quad \theta = \arcsin(d/r) \quad (72)$$

The dragging forces in the direction of the speed  $v$  on the probe  $BSP_p$  are

$$d' \bar{F}_{drag} = (d' \bar{F}_{v_1} - d' \bar{F}_{v_2}) = \frac{\nu_1 - \nu_2}{\nu_o} d' \bar{F}_{i_n} \cos \theta e_r \quad (73)$$

$$d'' \bar{F}_{drag} = (d'' \bar{F}_{v_1} - d'' \bar{F}_{v_2}) = \frac{\nu_1 - \nu_2}{\nu_o} d'' \bar{F}_{i_n} \sin \theta e_\theta \quad (74)$$

The total dragging force is

$$\bar{F}_{drag} = \frac{2}{\pi} \int_{\theta=0}^{\pi/2} (d' \bar{F}_{drag} + d'' \bar{F}_{drag}) d\theta \quad (75)$$

## 9 Atomic clocks and gravitation.

Oscillations of mechanical instruments like a pendulum have been used in the past to define time unit of second. Big efforts were made to minimise the influence of factors like temperature, vibrations, humidity, gravitation, etc. on the precision. Modern clocks make use of the quantized change of states of atoms which takes place at a much higher frequency leading to better precisions. When comparing the precision of clocks it is very important to compare them under the same conditions of temperature, vibrations, humidity, gravitation, etc. If this is not possible, corrections for each deviation must be made. The origin of the variation of the precision of atomic clocks due to gravitation is unknown and can be attributed to changes in the energy levels of the atoms itself or to changes in the frequencies of photons after emission.

The intention of the present section is to show a possible mechanism based on the approach that gravitation is generated by the reintegration of BSP to their nuclei. According to the approach, the energies of level electrons are given by stable dynamic configurations of BSPs in nuclei, which change for each atom and its ions. The number of regenerating FPs with opposed angular momenta that arrive to a nucleus is a function of the distance to the other gravitating nucleus. They influence the stable dynamic configuration of BSPs in the nucleus changing the energy of level electrons.

The gravitation components are due to:

- Reintegration of BSPs in the direction of the distance between the gravitating

bodies (induction, Newton).

$$F_G = G \frac{M_1 M_2}{r^2} \quad (76)$$

- Reintegration of BSPs perpendicular to the distance between the gravitating bodies (Ampere).

$$F_R = \pm R(v) \frac{M_1 M_2}{r} \quad \text{with} \quad R(v) = 2.551 \cdot 10^{-32} v \quad (77)$$

**Hafele-Keating Experiment.** If we have a look at the Hafele-Keating Experiment we see that the influence of gravitation on atomic clocks depends on the intensity of the gravitation potential and on the direction of movement of the clocks relative to the earth.

The concept is shown on Fig. 14.

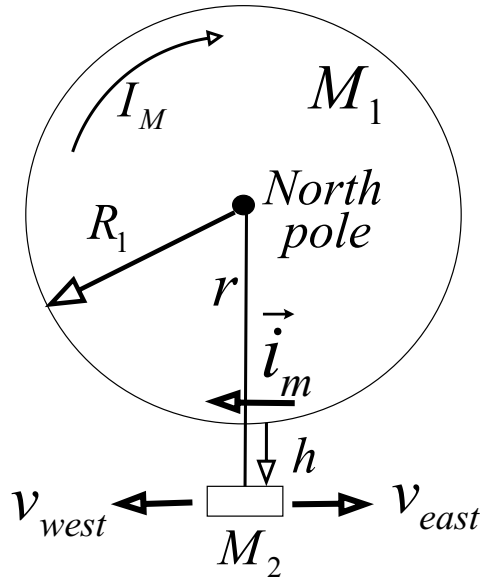


Figure 14: Influence of gravitation on time.

- Flying eastwards a total loss of 59 ns was measured.
- Flying westwards a total gain of 273 ns was measured.

The aeroplain's altitude  $h$  was constant and the flight times and speeds eastwards and westwards were equal. The gain or loss is measured relative to an equivalent atomic clock based on the earth.

At Fig. 14 we have the earth with mass  $M_1$  and an aeroplane with mass  $M_2$  moving with the speed  $v$  east or westwards relative to the surface of the earth at an altitude

*h.* The current  $i_m$  due to the reintegration of a BSP has the same direction as the equivalent current  $I_M$  that produce the magnetic field of the earth.

The interpretation with the present approach of the results of the Hafele-Keating Experiment following the previously listed results is:

Eastwards	$X - Y = Z_{east} = -59 \text{ ns}$	$X = 107 \text{ ns}$
Westwards	$X + Y = Z_{west} = 273$	$Y = 166 \text{ ns}$

where  $X$  is the time gain due to the Newton gravitation and  $Y$  the time gain and  $-Y$  the time loss due to Ampere gravitation.

- a) The total loss of 59 ns flying eastwards is composed of a gain of 107 ns due to the Newton gravitation potential of force  $F_G$  and a loss of 166 ns due to the Ampere gravitation potential of force  $F_R$ .

Flying eastwards the current  $i = \rho m v$  due the speed  $v$  of the aeroplane and the current  $i_m$  due to the reintegration have opposed directions and produce an repulsion force contrary to the Newton force resulting in a time loss.

- b) The total gain of 273 ns flying westwards is composed of a gain of 107 ns due to the Newton gravitation potential of force  $F_G$  and a gain of 166 ns due to the Ampere gravitation potential of force  $F_R$ .

Flying westwards the current  $i = \rho m v$  due the speed  $v$  of the aeroplane and the current  $i_m$  due to the reintegration have the same directions and produce an attraction force like the Newton force resulting in a time gain.

## 10 Resume.

The work is based on particles represented as structured dynamic entities with the relativistic energy distributed over the whole space on FPs, contrary to the representation used in standard theory where particles are point-like entities with the energy concentrated on one point in space.

Fundamental parts of the mechanism of gravitation are the reintegration of migrated electrons and positrons to their nuclei, and the Induction and Ampere laws between FPs of BSPs.

The gravitation force has two components, one component due to the reintegration in the direction of the two gravitating bodies and one component due to the reintegration in the direction perpendicular to it.



For sub-galactic distances the first component, which is inverse proportional to the square distance, predominates, while for galactic distances the second component, which is inverse proportional to the distance is predominant.

The second component explains the flattening of galaxies' rotation curves without the need of additional virtual matter (dark matter).

The second component also explains the repulsive forces between galaxies without the need of additional virtual energies (dark energy).

The two components of the gravitation force are quantized with the help of the elementary linear momentum deduced for the reintegration of migrated electrons and positrons to their nuclei.

The present approach is based on a more physical description of nature when postulating that light is emitted with light speed relative to the emission source (Emission Theory). There are no incompatibilities with "Special Relativity without time delay and length contraction" deduced in [6].

The dragging between two parallel moving neutral masses (Thirring-Lense-Effect) is the result of the induction law and the Doppler effect of FPs.

The time gain or loss of atomic clock due to the interaction with gravitation (Hafele-Keating-Experiment) is explained with the two components (Newton and Ampere) of the gravitation force.

## 11 Bibliography.

1. Albrecht Lindner. **Grundkurs Theoretische Physik.** Teubner Verlag, Stuttgart 1994.
2. Benenson · Harris · Stocker · Lutz. **Handbook of Physics.** Springer Verlag 2001.
3. Stephen G. Lipson. **Optik.** Springer Verlag 1997.
4. B.R. Martin & G. Shaw. **Particle Physics.** John Wiley & Sons 2003.
5. Max Schubert / Gerhard Weber. **Quantentheorie, Grundlagen und Anwendungen.** Spektrum, Akad. Verlag 1993.
6. Osvaldo Domann. **"Emission & Regeneration" Field Theory.** June 2003. [www.odomann.com](http://www.odomann.com).