## FORCE AND GEOMETRY

Alberto Coe

albamv8@hotmail.com

## Abstract .

Will describe a geometric link related with the ratio between two physical forces , gravitational force and electromagnetic force .

Keywords . Gravity , electromagnetism , geometry .

Let's write gravitational force between proton and electron :

$$F_G = \frac{Ge_m p_m}{r^2}$$

Newtonian constant of gravitation G=  $6.6735 \times 10^{-11} \frac{m^3}{Kg s^2}$ Electron mass =  $9.109382 \times 10^{-31}$  Kg Proton mass =  $1.67262 \times 10^{-27}$  Kg

Now the electromagnetic force between two units of electric charge :

$$F_{EM} = \frac{KQ^2}{r^2}$$

Coulomb's constant =  $8.9875518 \ge 10^9 \frac{N m^2}{C^2}$ Electric charge =  $1.602176 \ge 10^{-19} \text{ J}$ 

Since the distance (r) is the same in the two forces , shall ignore .

The comparison , ie the ratio , between gravitational force and electromagnetic force when proton and electron are used :

 $\frac{F_G}{F_{EM}} = 4.4074 \ge 10^{-40}$ 

Will see what type of geometric value matches the dimensionless value described before . First write the length's geometric unit from wich we start :

it = 
$$\left(\frac{1}{10^{34}}\right)$$

(in reference to the expression coined by the physicist J.A.Wheeler : ''its from bits")[1].

Note that one 'it' is close to the Planck scale =  $(10^{-35})$ 

Now let's define a particular volume's unit :

$$V_{it} = \frac{32}{3}\pi [N_A(it)]^4$$

Or , in order to an easier visualization (fig 1) :

$$V_{it} = \frac{4}{3} \pi [N_A(it)]^3 [8N_A(it)]$$

 $N_A$  refers to Avogadro's number = 6.02214 x  $10^{23}$ 

Resulting  $V_{it} = 4.4074 \ge 10^{-40}$ 

Therefore :

$$\frac{F_G}{F_{EM}} = V_{it}$$





## Bibliography.

[1] . ''The lightness of being'' . Franck Wilczek .